Cohesion: The Lennard-Jones(12,6) **Potential**

In summary:

$$V = -\frac{C}{r^6}$$

Attractive forces

Table 16.3 Interaction pot	ential eneraies
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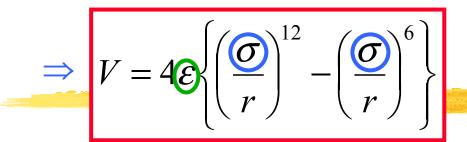
Interaction type	Distance dependence of potential energy	Typical energy/ (kJ mol ⁻¹)	Comment
lon-ion	1/r	250	Only between ions
Ion-dipole	$1/r^2$	15	
Dipole-dipole	$1/r^{3}$	2	Between stationary polar molecules
	1/16	0.3	Between rotating polar molecules
London (dispersion)	1/r6	2	Between all types of molecules

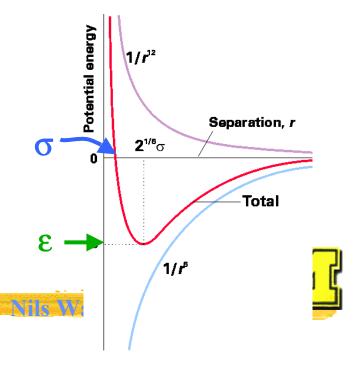
The energy of a hydrogen bond X—H···Y is typically 20 kJ mol⁻¹ and occurs on contact for X, Y = N, O, or F.

Repulsive forces

Repulsive forces (Pauli exclusion principle!)
$$V \approx +\frac{C^*}{r^n}; n > 6$$

Easiest to compute: n = 12

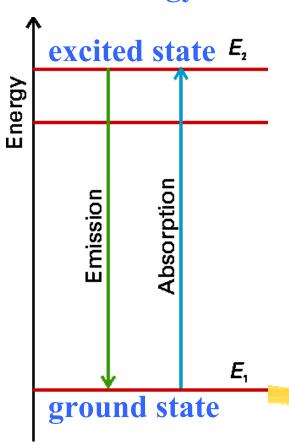




The application of quantum mechanics: Spectroscopy

Atkins, Chapter 17

Transitions between defined energy states



Bohr frequency condition

$$h\mathbf{v} = |\mathbf{E}_1 - \mathbf{E}_2|$$

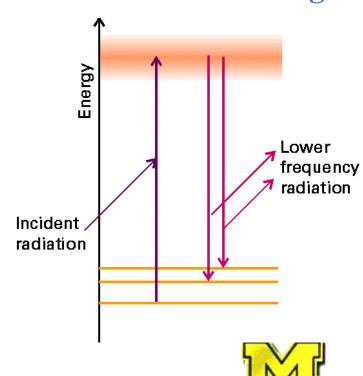
wavelength

$$\lambda = \frac{c}{v}$$

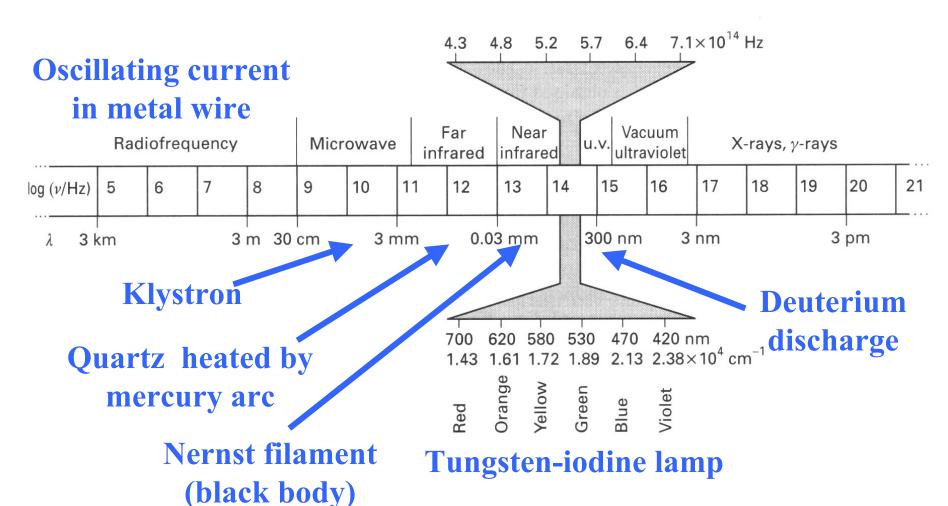
wavenumber [cm⁻¹]

$$\tilde{\mathbf{v}} = \frac{1}{\lambda} = \frac{\mathbf{v}}{c}$$

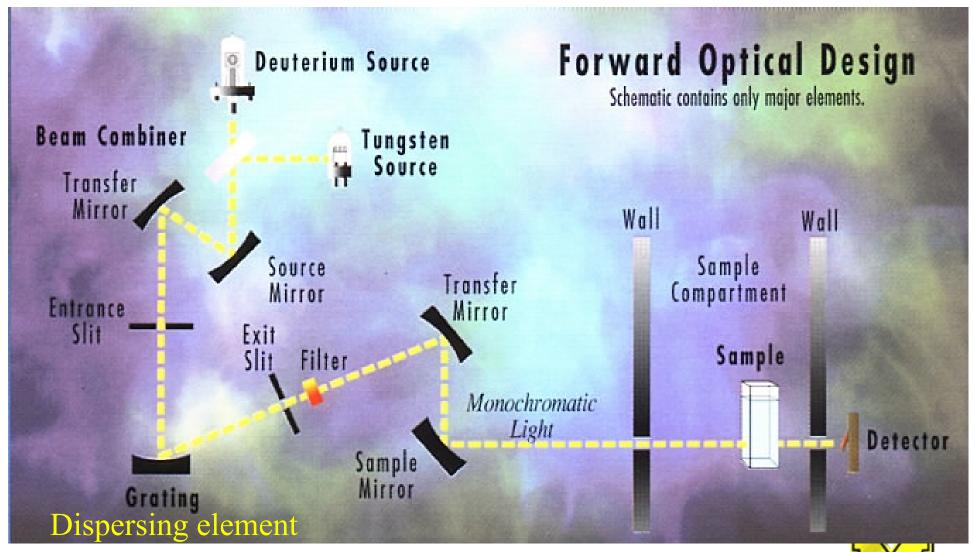
Exception: Raman scattering



The electromagnetic spectrum



A spectrophotometer



Resolution limits: 1. Line broadening through the Doppler effect

Radiation source receding from observer:

$$v' = \left(\frac{1 - s/c}{1 + s/c}\right)^{1/2} v$$
speed

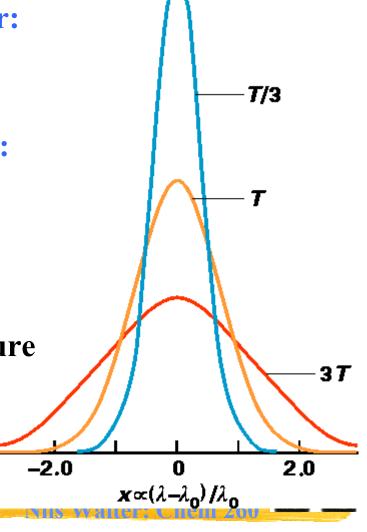
Radiation source approaching observer:

$$\mathbf{v}' = \left(\frac{1 + s/c}{1 - s/c}\right)^{1/2} \mathbf{v}$$

Overall effect on the linewidth:

$$\delta \lambda = \frac{2 \lambda}{c} \left(\frac{2 RT \ln 2}{M} \right)^{1/2}$$
 temperature mass

→ particularly in gases



Resolution limits: 2. Collision broadening

Particle collision

deformation of involved particles

changes in electronic, vibrational, rotational states

transitions less well defined

line broadening

→ particularly in liquids or gases under high pressure



Resolution limits - the bottom line: 3. Lifetime broadening

Solving the time-dependent Schrödinger

equation reveals the energy-time form of

Heisenberg's uncertainty principle: $\delta E \approx \frac{\hbar}{\tau} \Rightarrow \delta \tilde{v} \approx \frac{5.3 \text{ cm}^{-1}}{\tau/\text{ps}}$

and spontaneous emission

practical



Gases @ low pressure enable high-resolution spectroscopy

unchangeable

⇒ natural linewidth

