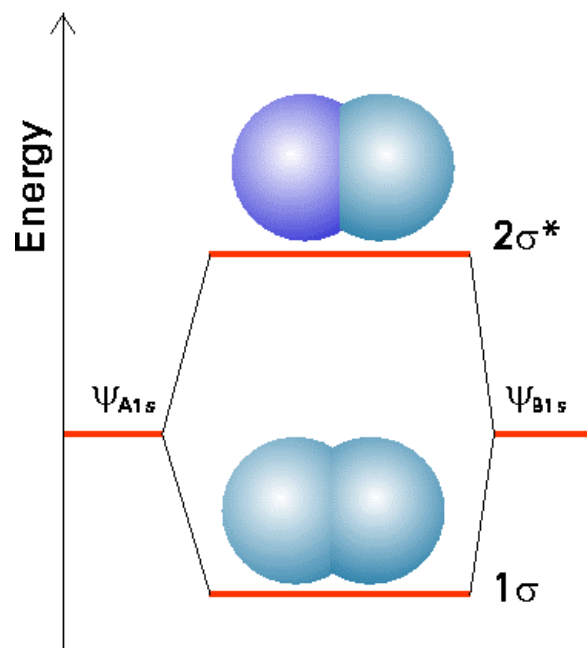


Building up Many-Electron Diatomic Molecules

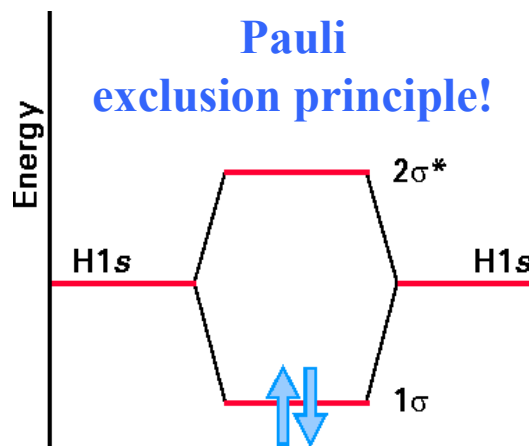


MO energy level diagram built from two 1s orbitals

“Aufbau” rules:

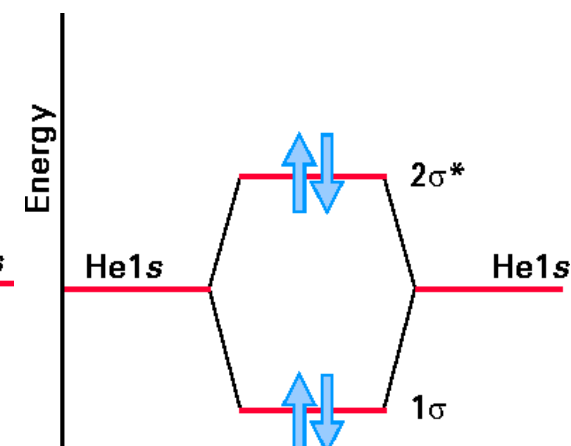
- 1.) Construct N MOs from N atomic orbitals
- 2.) Fill in electrons to achieve lowest overall energy; observe the **Pauli exclusion principle**
- 3.) Electrons occupy different degenerate MOs before doubly occupying any one of them
- 4.) Observe **Hund’s rule**: If electrons occupy different degenerate MOs, then they do so with parallel spins

Pauli exclusion principle!



$H_2: 1\sigma^2$

More strongly and closely bonded than H_2^+



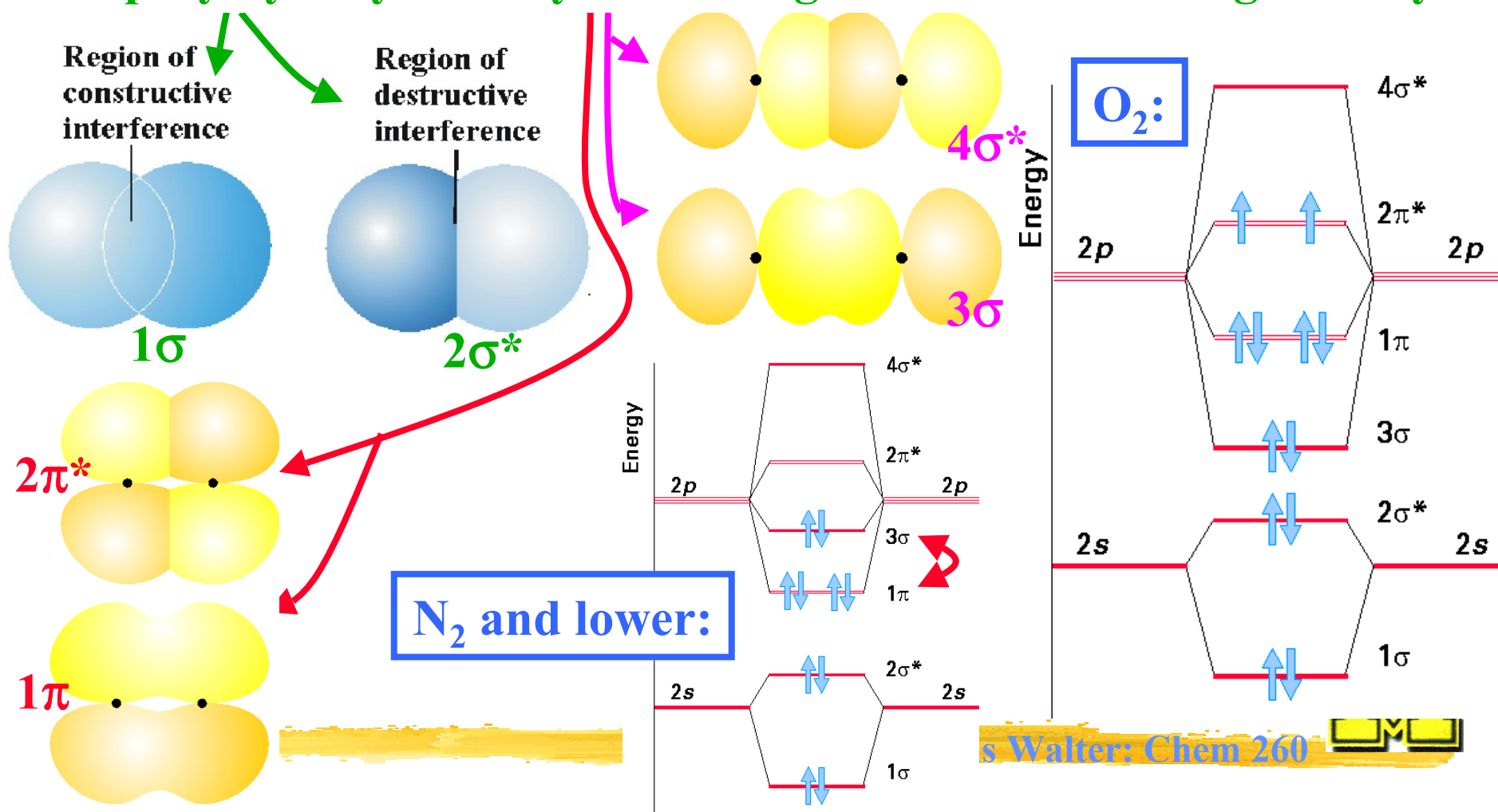
“ He_2 ”: $1\sigma^2 2\sigma^{*2}$

More antibonding than bonding
 \Rightarrow does not exist

Period 2 Homonuclear Diatomic Molecules

E.g., O_2 : $[\text{He}]2s^2 2p_x^2 2p_y^1 2p_z^1$ and $[\text{He}]2s^2 2p_x^2 2p_y^1 2p_z^1$

Simplify by only linearly combining orbitals of similar geometry

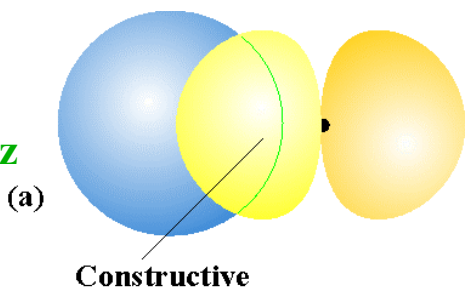


How Does it Work Again?

Simplify by only linearly combining orbitals of similar geometry

WHY?

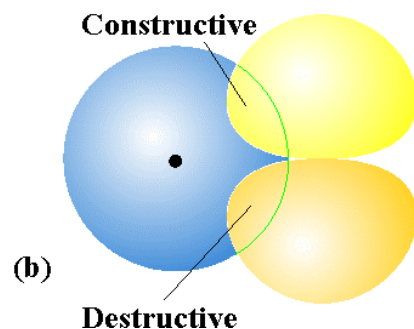
s and p_z



s and p_x

⇒

overlap
integral



$$S = \int \Psi_A \Psi_B dx dy dz = 0$$

Rules for building molecular orbitals:

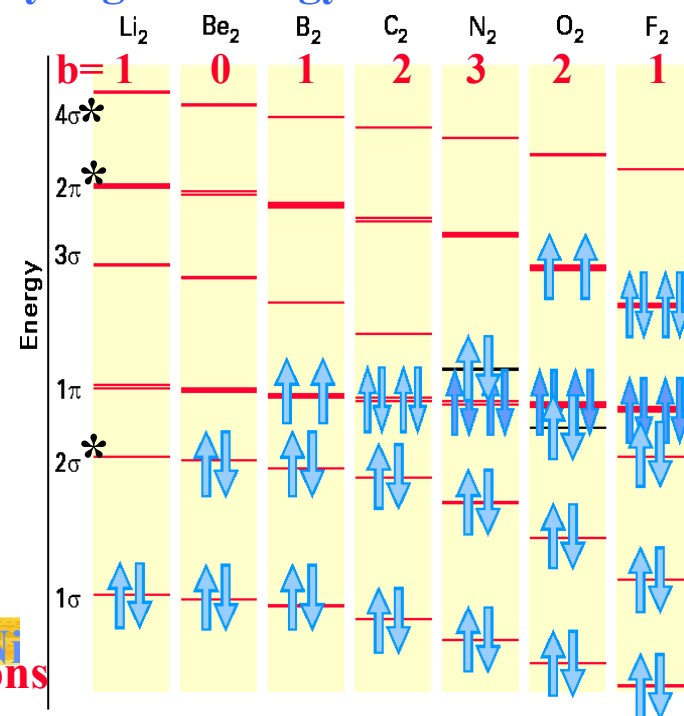
- 1.) Use all available valence orbitals from all atoms
- 2.) Classify the orbitals as having σ and π symmetry with respect to the internuclear axis
- 3.) From N_σ atomic orbitals of σ symmetry N_σ MOs with progressively higher energy can be built
- 4.) From N_π atomic orbitals of π symmetry N_π MOs with progressively higher energy can be built; π orbitals are doubly degenerate

Bond order?

$$b = \frac{1}{2}(n - n^*)$$

bonding electrons

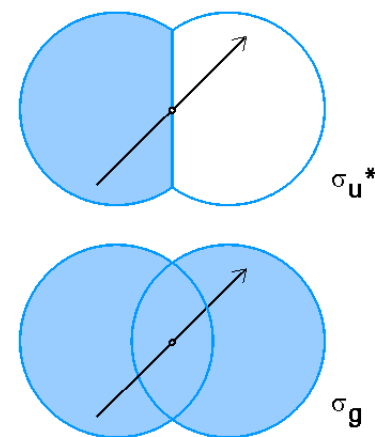
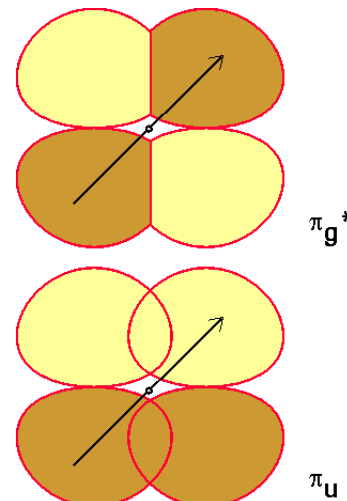
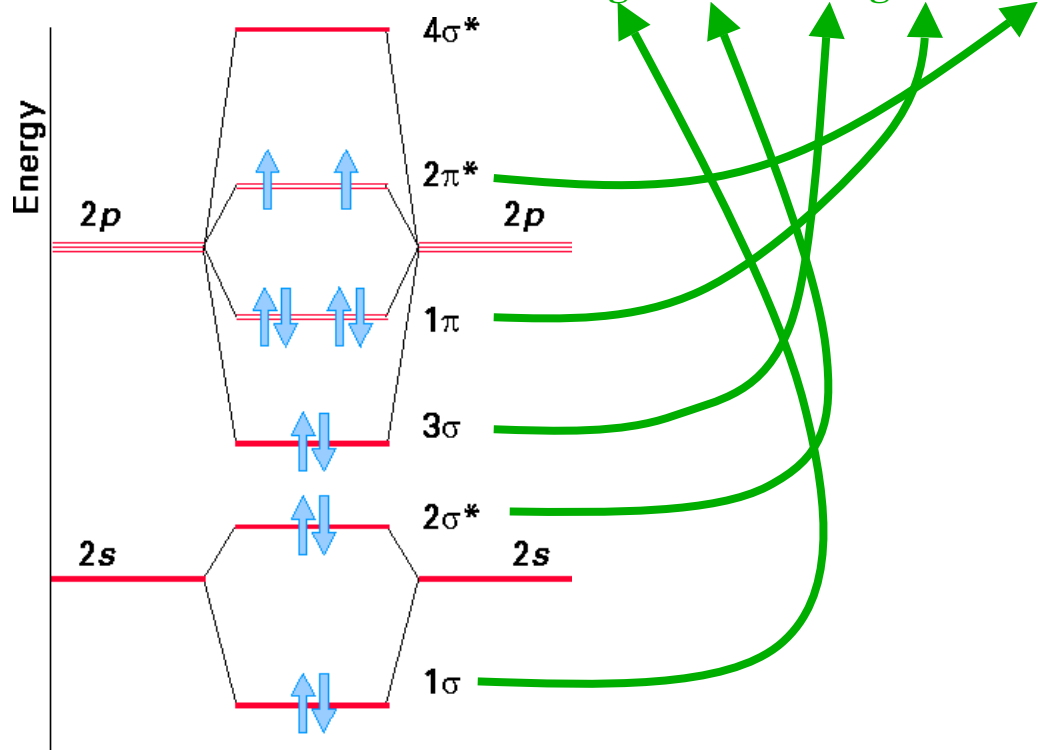
antibonding electrons



The Electronic Configuration of a Diatomic Molecule

Example: $O_2 = 1\sigma_g^2 2\sigma_u^{*2} 3\sigma_g^2 1\pi_u^4 2\pi_g^{*2}$

Further classification of MOs: Parity (= behavior under inversion)



Quantum mechanics for a σ^2 MO: $\Psi = \sigma(1)\sigma(2)$ (normalized)

$$\Psi = (1s_A(1) + 1s_B(1))(1s_A(2) + 1s_B(2))$$

$$\Psi = (1s_A(1)1s_B(2) + 1s_A(2)1s_B(1)) + (1s_A(1)1s_A(2) + 1s_B(1)1s_B(2))$$

= VB theory, covalent

ionic bond contribution

