

BONDING:

WHY DOES A BOND FORM?

 $H_2:$ TWO ELECTRONS
TWO PROTONS

$$H\psi = E\psi$$

$$H = \underbrace{\sum_i T_i}_{\text{SUM OVER ALL ELECTRONS AND NUCLEI. } \Rightarrow \text{ KINETIC ENERGY CONTRIBUTION.}} + \underbrace{\sum_{i,j} \frac{q_i q_j}{4\pi\epsilon_0 r_{ij}}}_{\text{ELECTROSTATIC POTENTIAL ENERGY TERM, V, BETWEEN ALL CHARGED PARTICLES}}$$

SUM OVER ALL ELECTRONS
AND NUCLEI. $\Rightarrow$ KINETIC
ENERGY CONTRIBUTION.

ELECTROSTATIC
POTENTIAL ENERGY
TERM, V, BETWEEN
ALL CHARGED PARTICLES

$$H = \sum_i \frac{-\hbar^2}{2m_i} \nabla_i^2 + \left[\underbrace{\frac{-e^2}{r_{1A}} - \frac{e^2}{r_{1B}} - \frac{e^2}{r_{2A}} - \frac{e^2}{r_{2B}}}_{\text{ATTRACTIVE}} + \underbrace{\frac{e^2}{r_{12}} + \frac{e^2}{r_{AB}}}_{\text{REPULSIVE}} \right]$$

UNFORTUNATELY WE CANNOT SOLVE
THIS PROBLEM ANALYTICALLY.

∴ APPROXIMATE THE ANSWER.
VALENCE BOND APPROACH:

$$\psi = \underbrace{1s_A(1)}_{\text{ELECTRON 1}} \underbrace{1s_B(2)}_{\text{ELECTRON 2}}$$

IN 1S ORBITAL OF PROTON A IN 1S ORBITAL OF PROTON B

TOTAL WAVE FUNCTION IS THE PRODUCT.

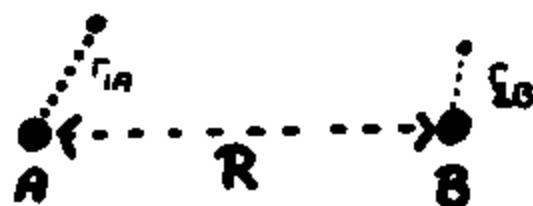
BUT

$$\psi = \underbrace{1s_A(2)}_{\text{ELECTRON 2}} \underbrace{1s_B(1)}_{\text{ELECTRON 1}}$$

IN 1S ORBITAL OF PROTON A IN 1S ORBITAL OF PROTON B

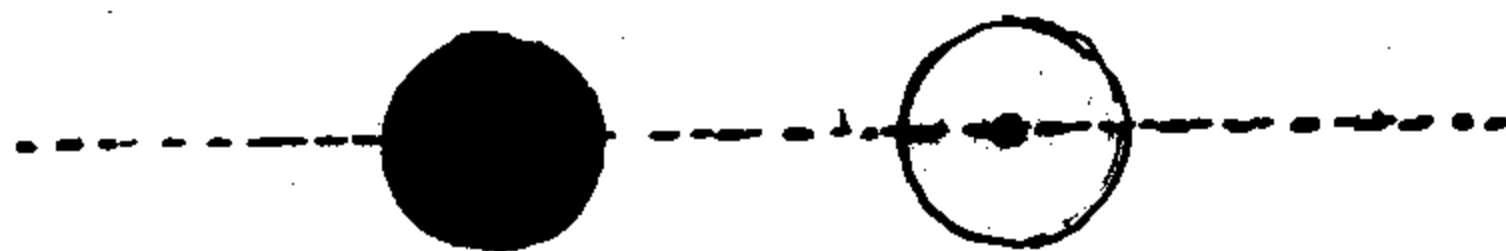
EXACTLY
EQUIVALENT

$$\psi = \underbrace{N}_{\text{NORMALIZATION}} \left(1s_A(1)1s_B(2) \overset{\text{STABLE GROUND STATE.}}{+} 1s_A(2)1s_B(1) \right)$$



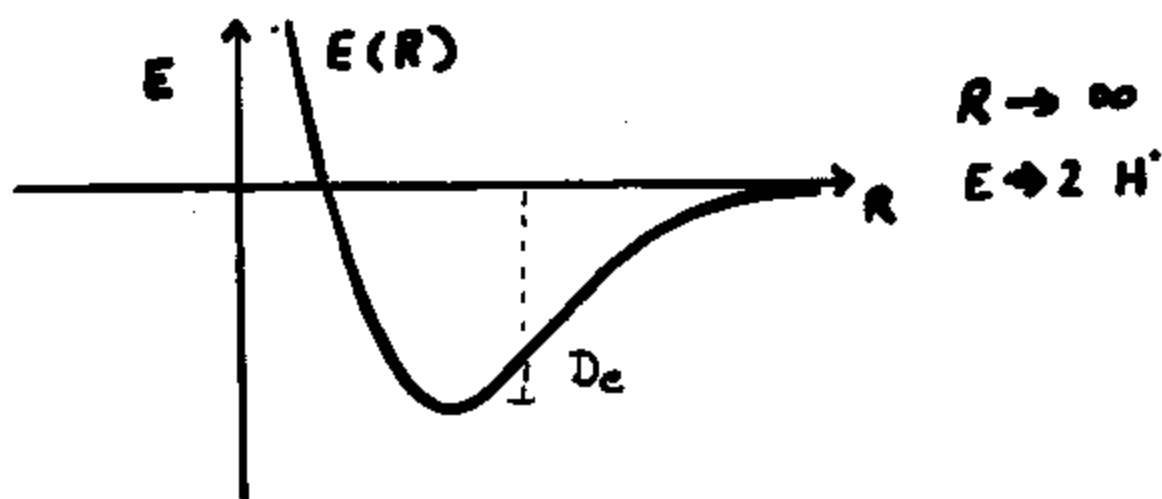
$$\psi = \frac{1}{\sqrt{2(1+S^2)}} (1s_A(1)1s_B(2) + 1s_A(2)1s_B(1))$$

$\uparrow$
 OVERLAP $\int dr 1s_A 1s_B$

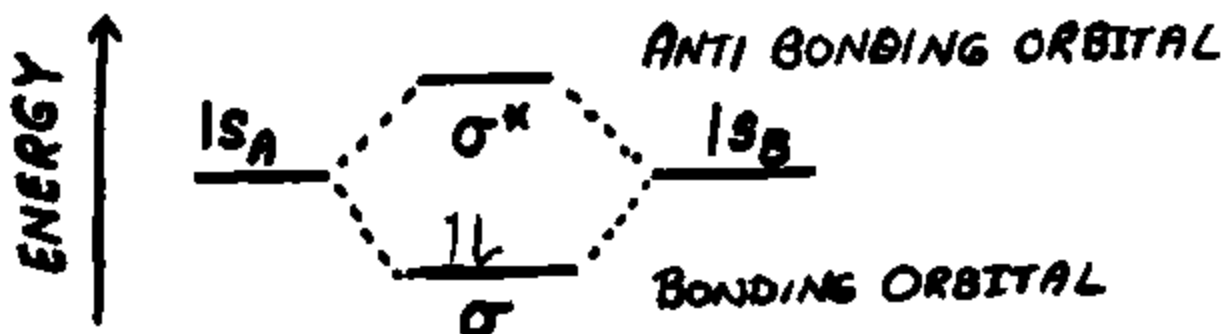


$$H\psi = \underbrace{E(R)}_{\text{ENERGY DEPENDS ON } S \text{ \& } R} \psi$$

ENERGY DEPENDS ON S
& R



MOLECULAR ORBITAL APPROACH:



$$\sigma = N(1s_A + 1s_B)$$

$$\sigma^* = N(1s_A - 1s_B)$$

LINEAR
COMBINATION
OF
ATOMIC
ORBITALS
LCAO



BONDING ORBITAL



ANTI-BONDING
ORBITAL

NODAL
PLANE

MO THEORY CONTINUED

$$\Psi = \sigma(1) \sigma(2)$$

PUT BOTH ELECTRONS
IN THE BONDING ORBITAL

$$\Psi = N \underbrace{(1s_A(1) + 1s_B(1))}_{\text{ELECTRON 1 IN BONDING ORBITAL}} \underbrace{(1s_A(2) + 1s_B(2))}_{\text{ELECTRON 2 IN BONDING ORBITAL}}$$

$$\Psi = N \underbrace{(1s_A(1)1s_B(2) + 1s_A(2)1s_B(1))}_{\text{SAME AS VB WAVE FUNCTION}} + \underbrace{(1s_A(1)1s_A(2) + 1s_B(1)1s_B(2))}_{\text{IONIC CONTRIBUTION}}$$

BOTTOM LINE:

VB THEORY UNDERESTIMATES IONIC TERM

MO THEORY OVERESTIMATES IONIC TERM

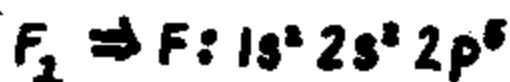
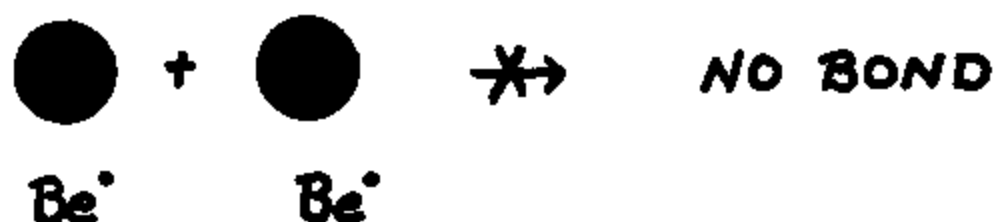
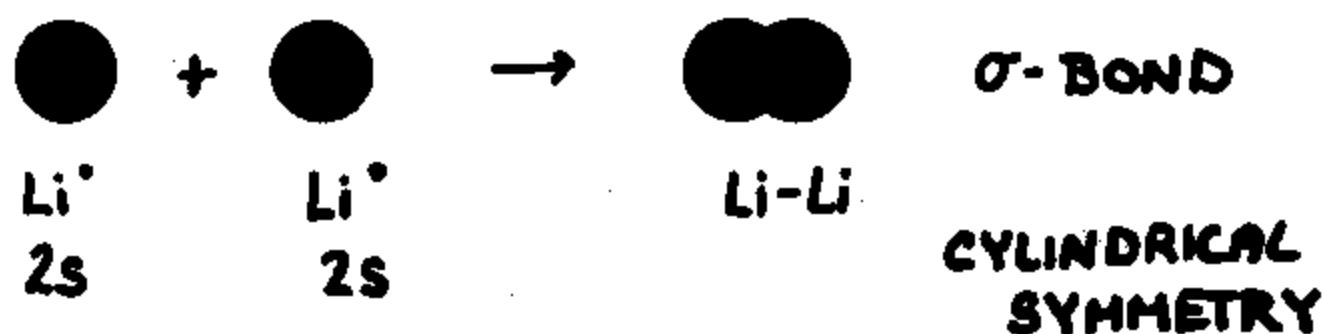
* BOTH APPROACHES ARE USEFUL FOR
QUALITATIVE INTUITIVE UNDERSTANDING *

SECOND PERIOD DIATOMIC MOLECULES

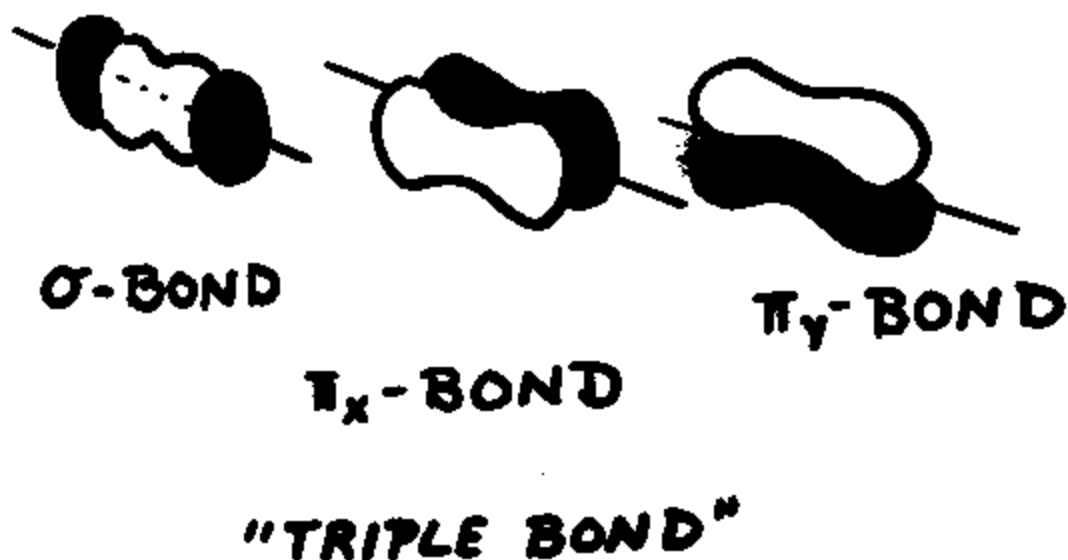
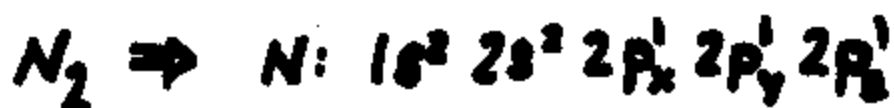
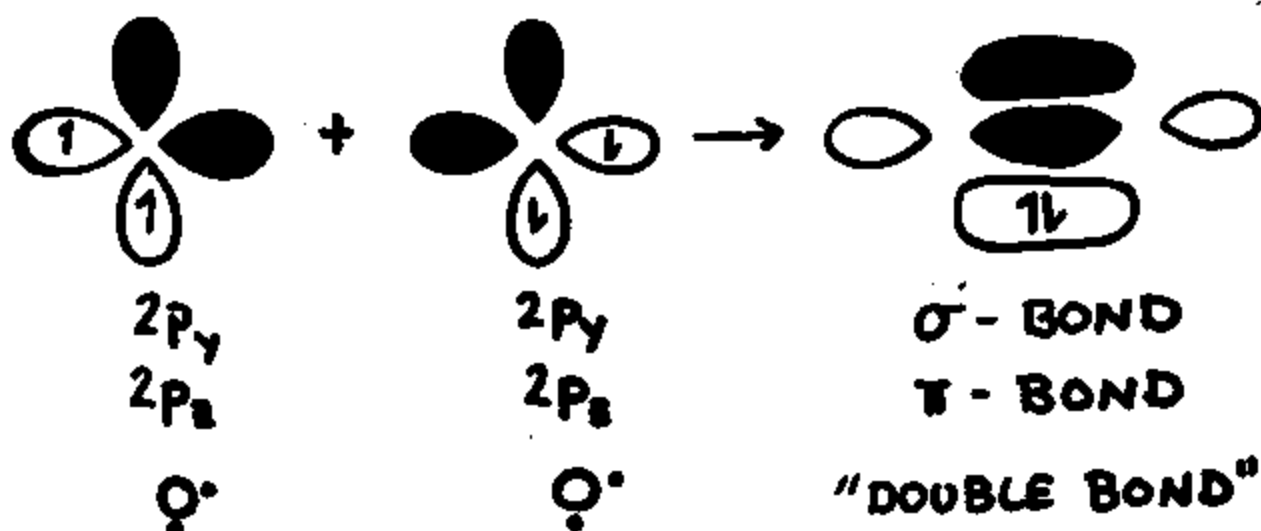
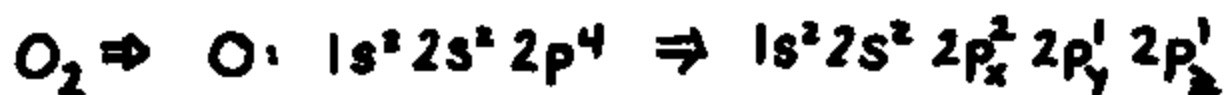
- VALENCE BOND APPROACH

* V.B. EMPHASIZES THE BOND *

BUILDING BONDS FROM SINGLY
OCCUPIED ATOMIC ORBITALS



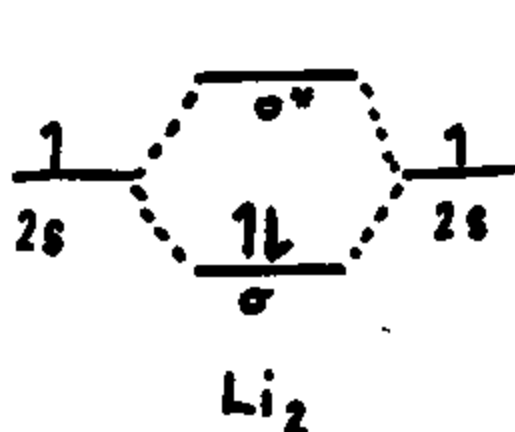
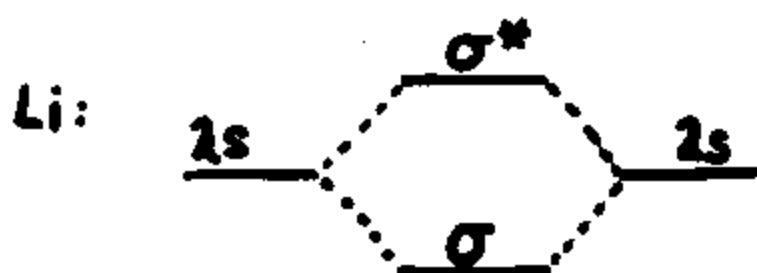
SECOND PERIOD DIATOMICS CONTINUED



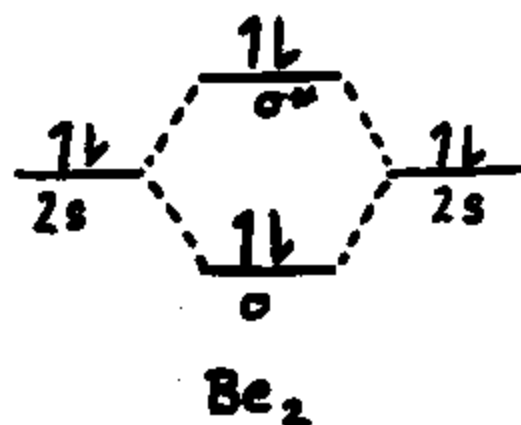
SECOND PERIOD DIATOMIC MOLECULES

- MOLECULAR ORBITAL APPROACH

*** M.O. EMPHASIZES THE MOLECULE ***
BUILDING MOLECULAR ORBITALS
AND ADDING ELECTRONS



BOND ORDER = 1



BOND ORDER = 0

NO NET BOND

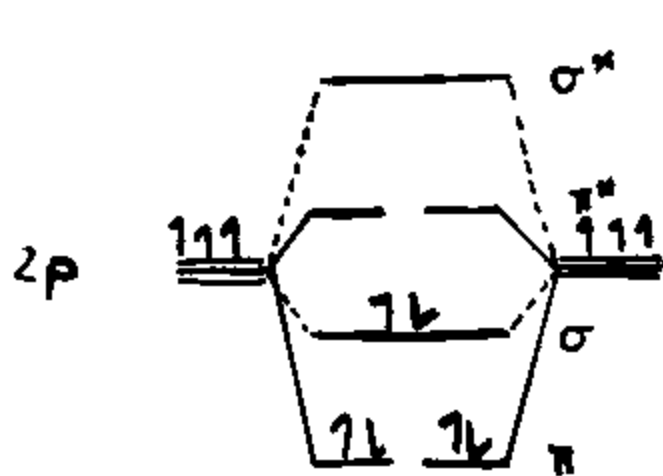
$$\frac{1}{2} \{ \# \text{ bonding } \sigma \text{'s} - \# \text{ antibonding electrons} \}$$

SECOND PERIOD DIATOMICS CONTINUED

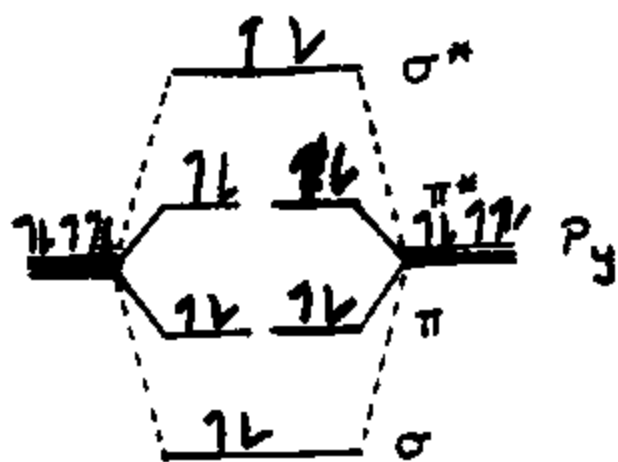
B	$2s^2 2p^1$
C	$2s^2 2p^2$
N	$2s^2 2p^3$
O	$2s^2 2p^4$
F	$2s^2 2p^5$
Ne	$2s^2 2p^6$

BASIS SET OF $n=2$
ATOMIC ORBITALS FOR
ALL OF THESE:

$$\phi = (a2s + b2p_x + c2p_y + d2p_z)$$



B, C, N



O, F, Ne