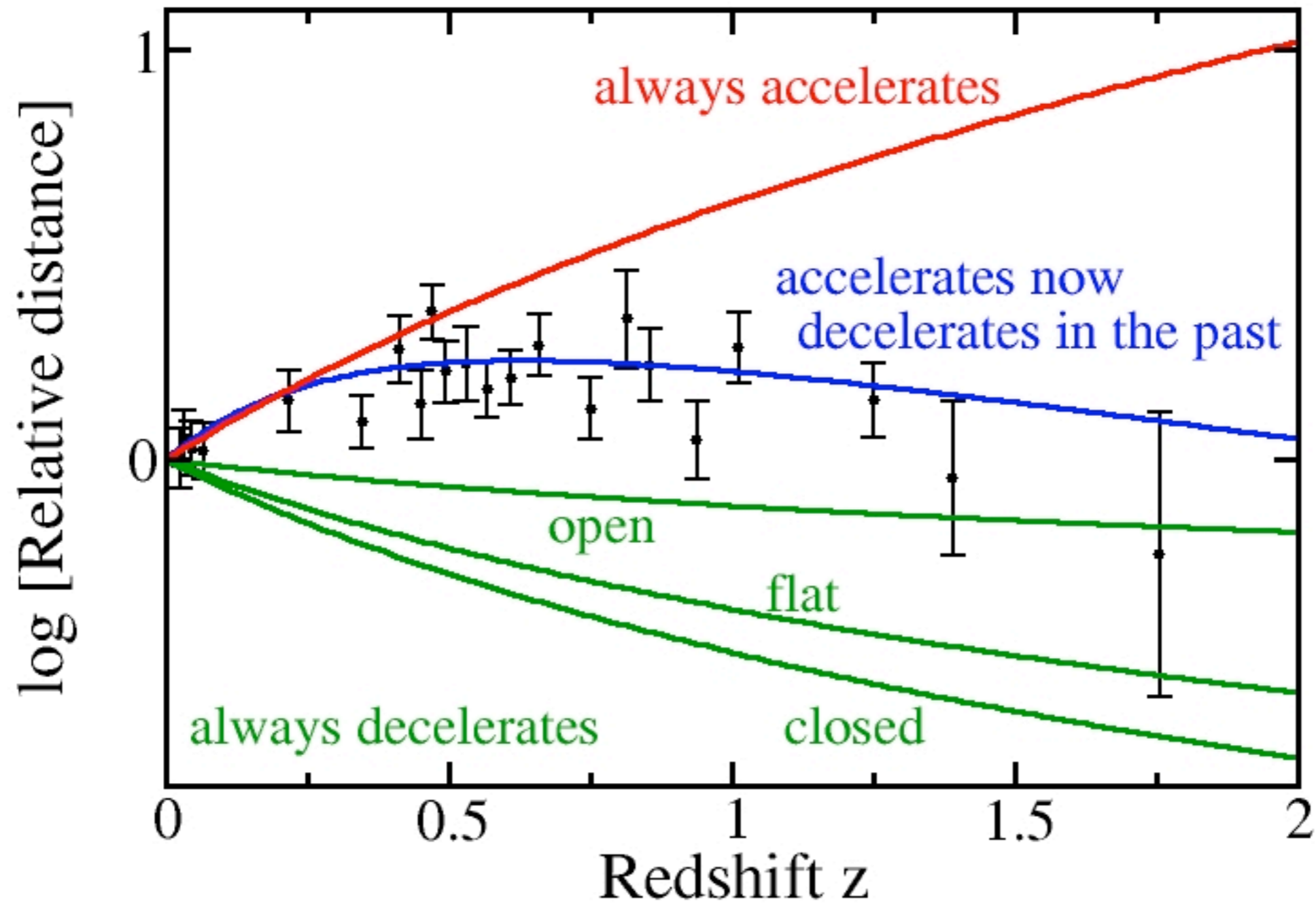


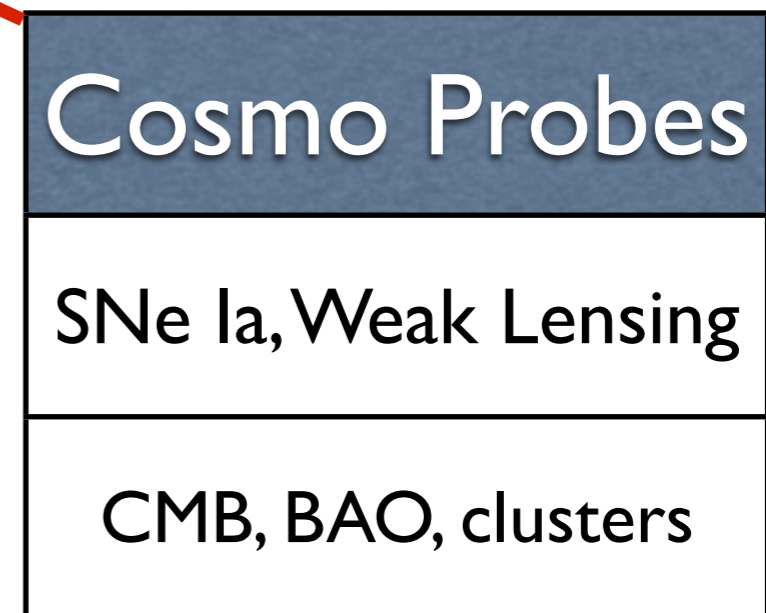
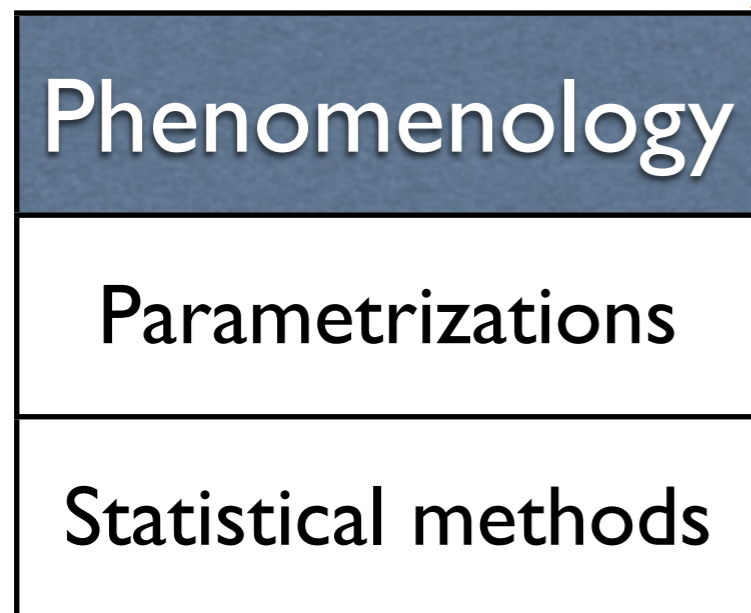
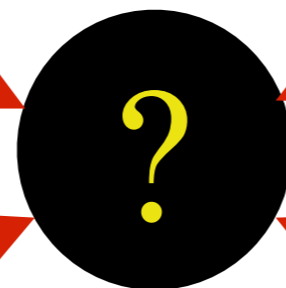
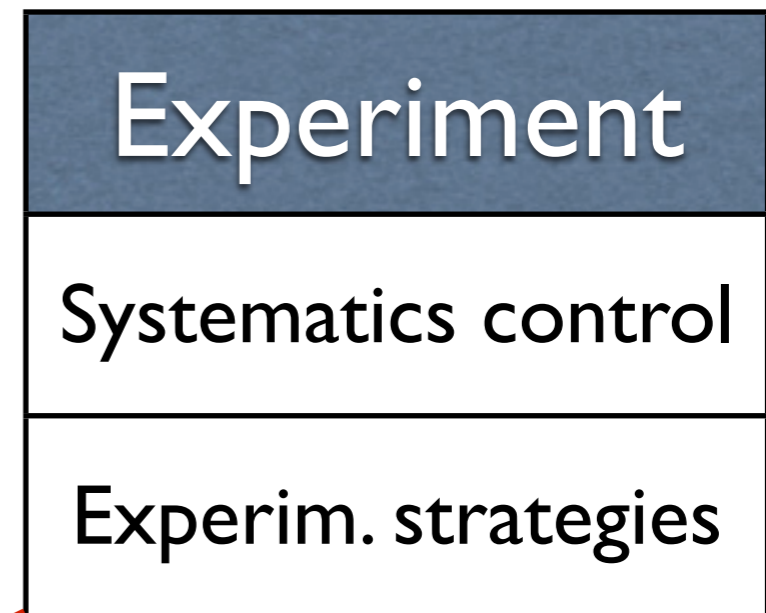
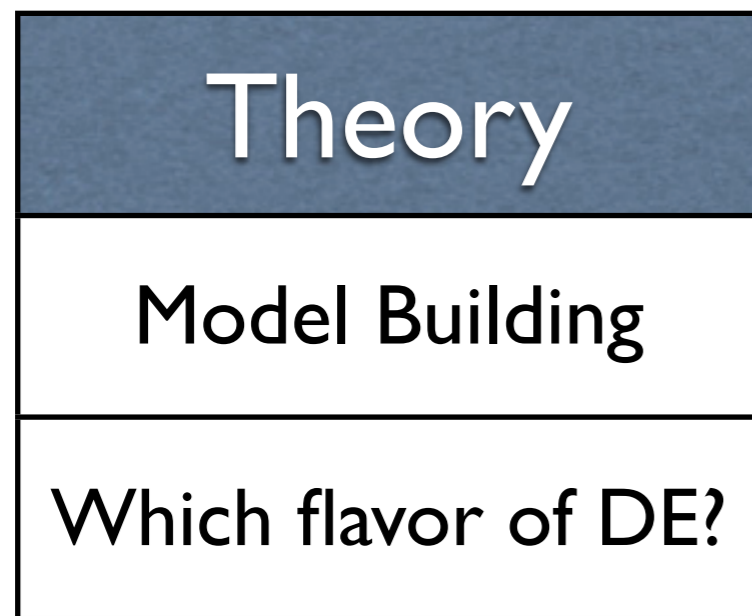
Lambda or Dark Energy or Modified Gravity?

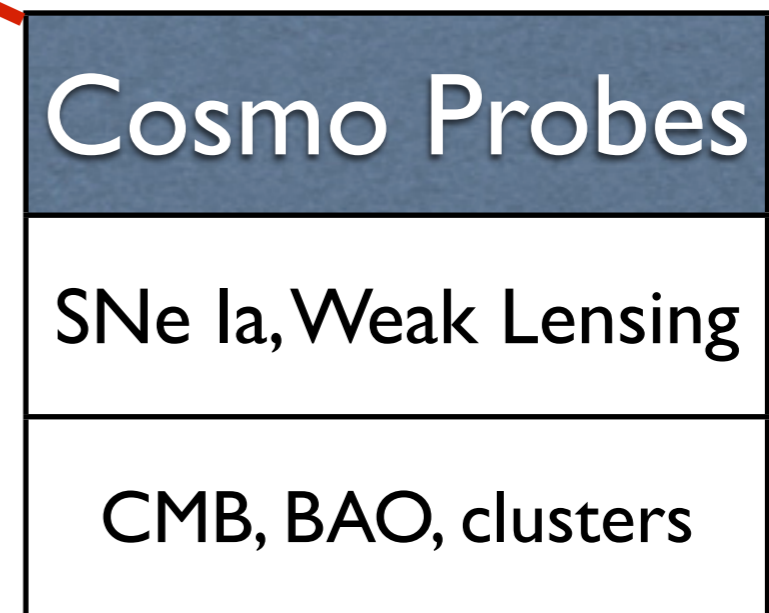
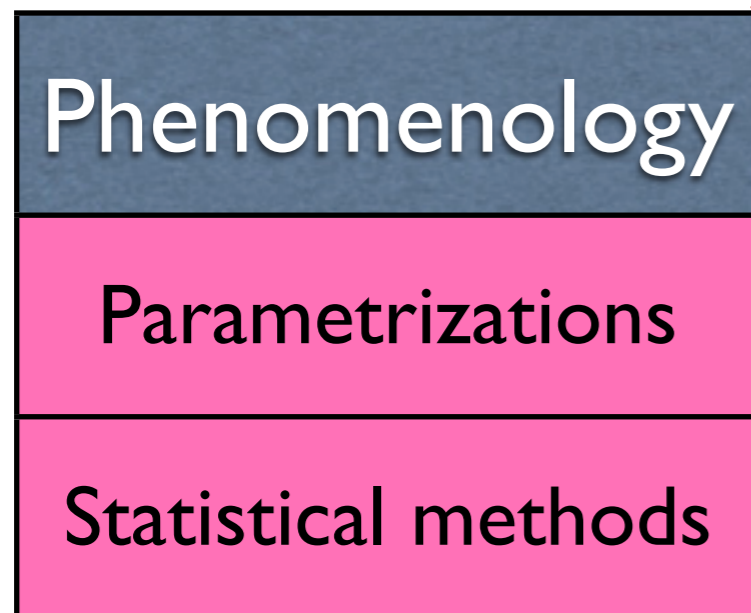
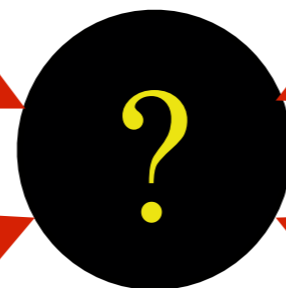
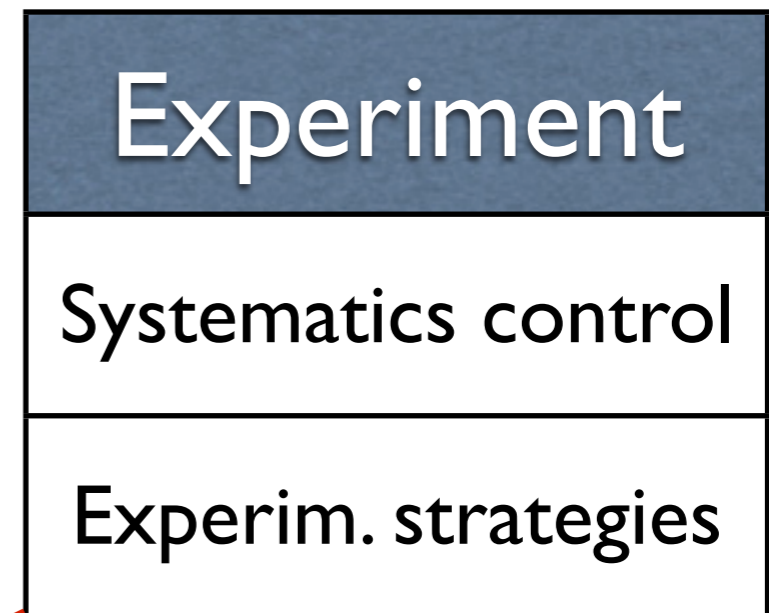
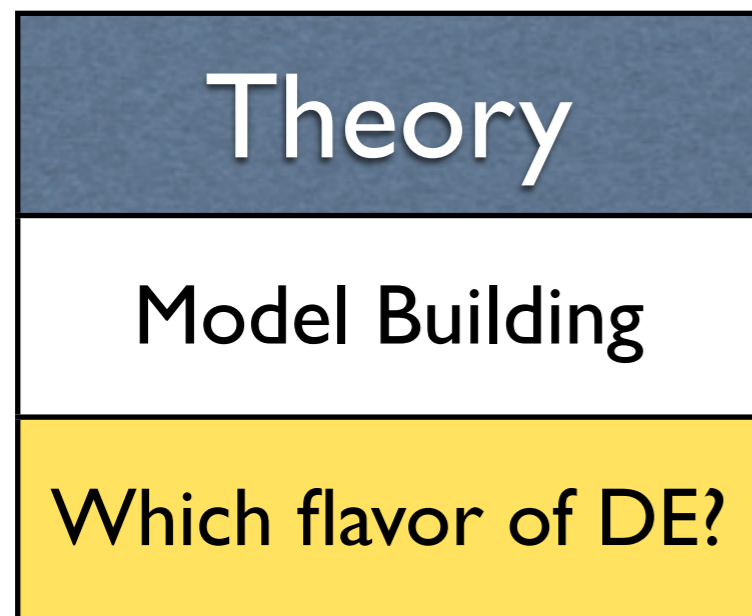
Dragan Huterer

Department of Physics
University of Michigan

Evidence for Dark Energy







Dark Energy constraints: Status circa spring 2008

- Very strong indication that the universe is accelerating
- Flat LCDM is an excellent fit to all data
- Interest in constraining alternatives to LCDM is gaining momentum

Which alternative (if any) should be pursued?

What I overheard various prominent theorists say:

- Lambda is “the only model that makes any sense”
- Lambda “doesn’t make any sense”
- Modified gravity models are “a complete nonsense” but (my own model) is “promising”
- w is -1, and we are “wasting our time” searching for deviations

Two approaches

1) Develop framework to robustly determine implications of a given class of DE models

- What constraints are obtained on $w(z)$, $\rho(z)$ within this class?
On w_0 and w_a ?
- Does the class of models itself significantly limit the range of DE histories?
- Is it worth spending \$\$\$ for future experiments if “all reasonable non-Lambda models may have already been ruled out”?

Two approaches

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2) Develop framework to determine optimal observational strategies to distinguish between explanations for the acceleration

- Lambda or dw/dz , or curvature, or modified gravity... given current data, what do we do to find out?

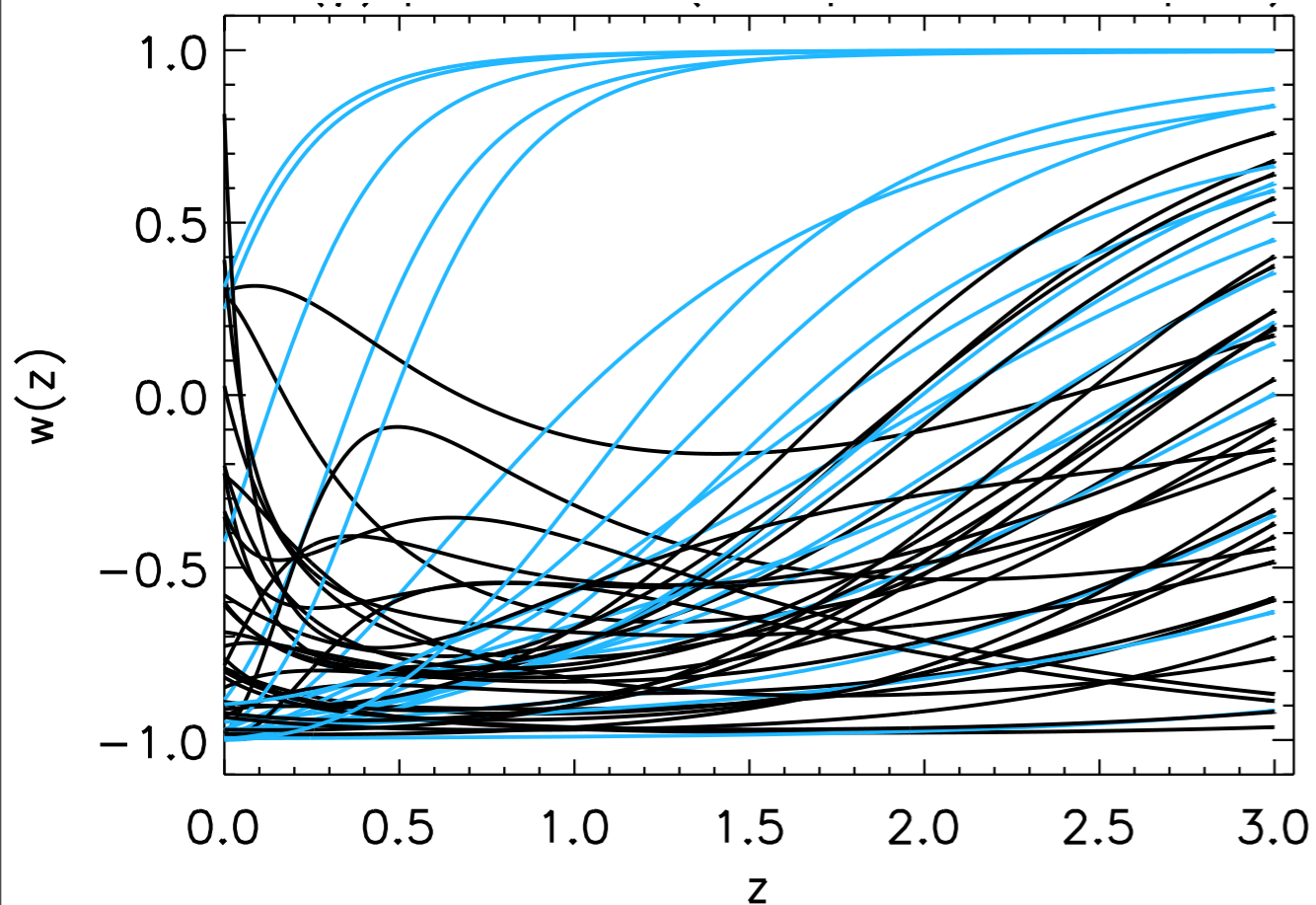
Example of 1: Scan through quintessence models

Adopting to DE the flow-equation formalism from inflation:

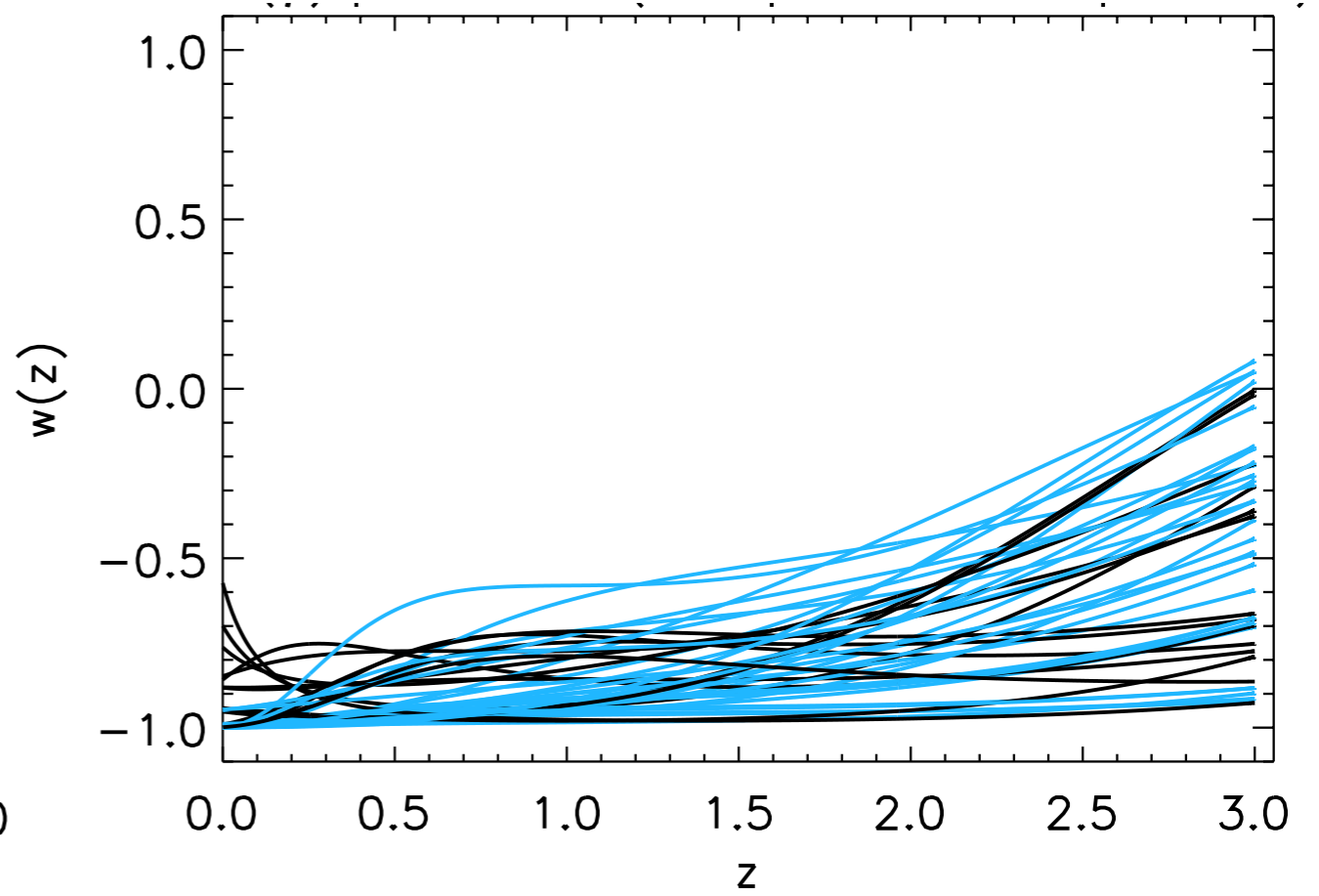
Scan all (sample millions) of models, and ICs, within a general paradigm - e.g. quintessence with polynomial potentials

$$w(z) = \frac{\dot{\phi}^2/2 - V(\phi)}{\dot{\phi}^2/2 + V(\phi)}$$

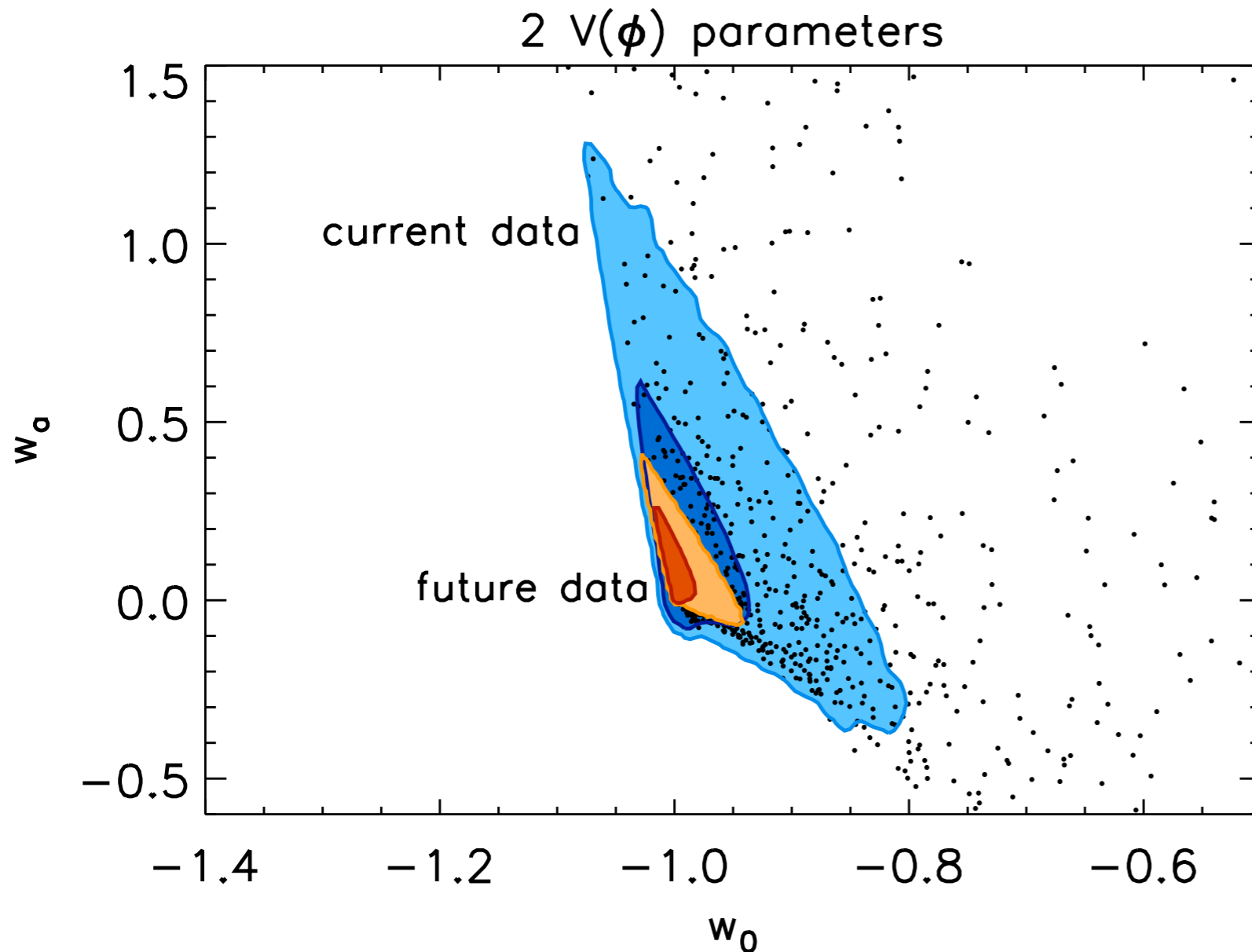
sample DE models in **prior**



sample DE models in **posterior**



Scan through quintessence models

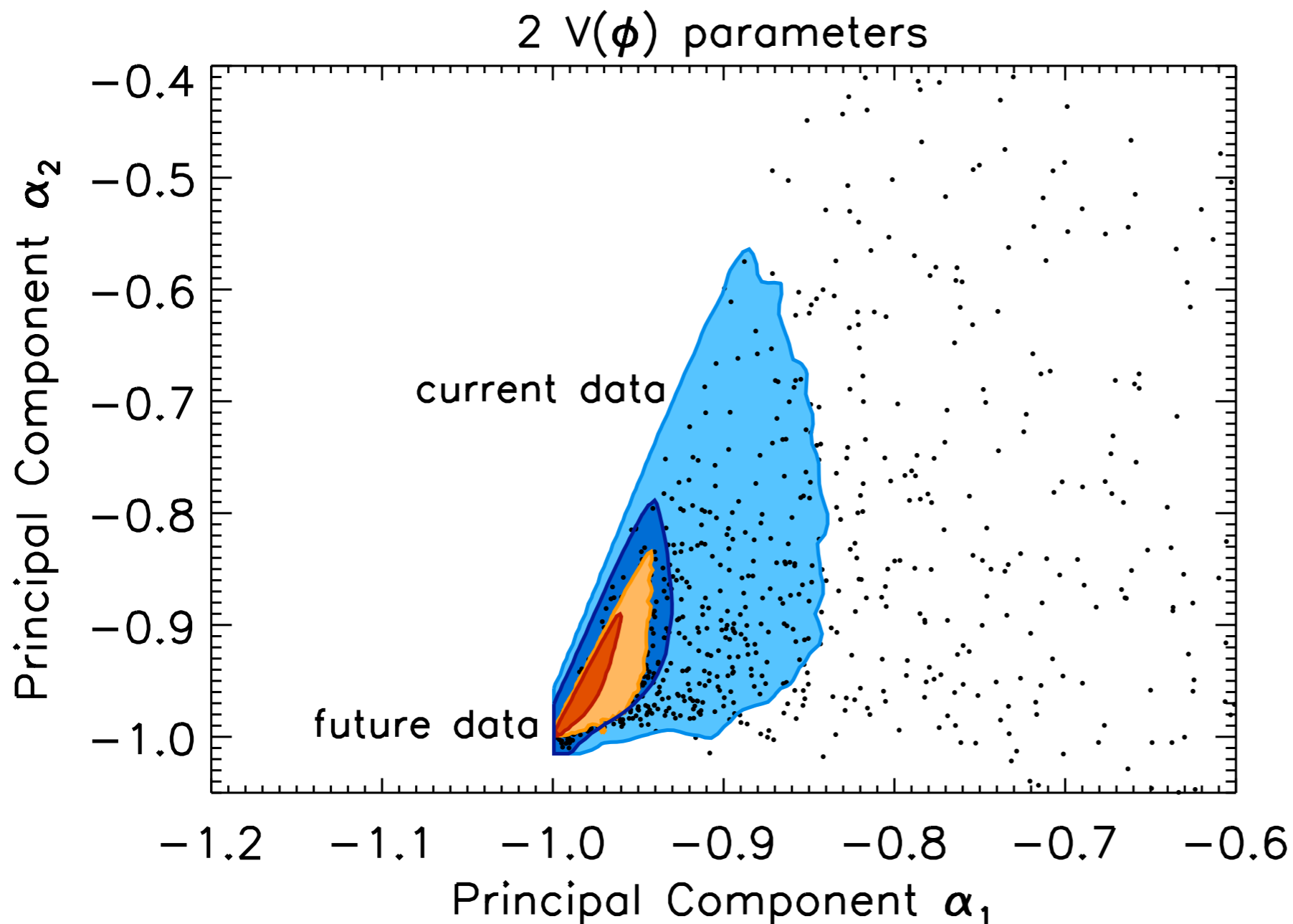


$$w(z) = w_0 + w_a \frac{z}{1+z}$$

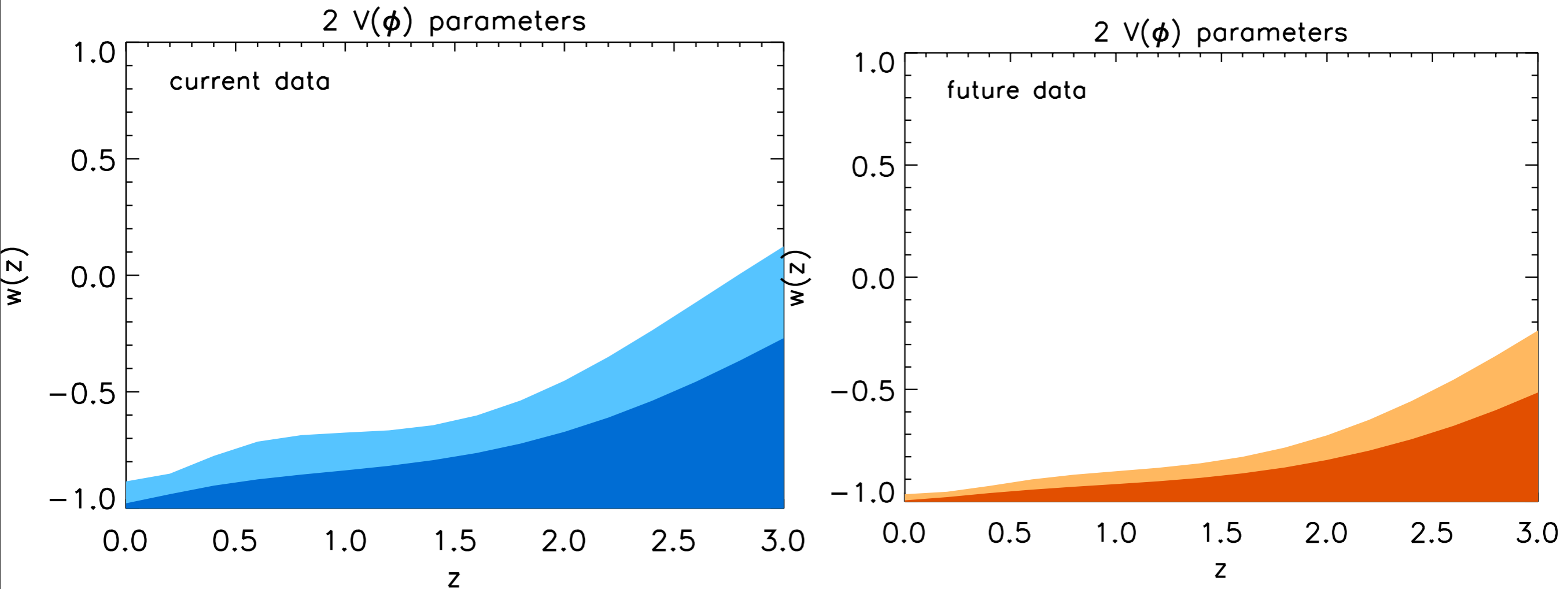
Also allows straightforward computation and constraints on the principal components, phase-space flows, figures of merit....

Principal components of $w(z)$

$$\alpha_i = \int_0^\infty w(z) e_i(z) dz$$

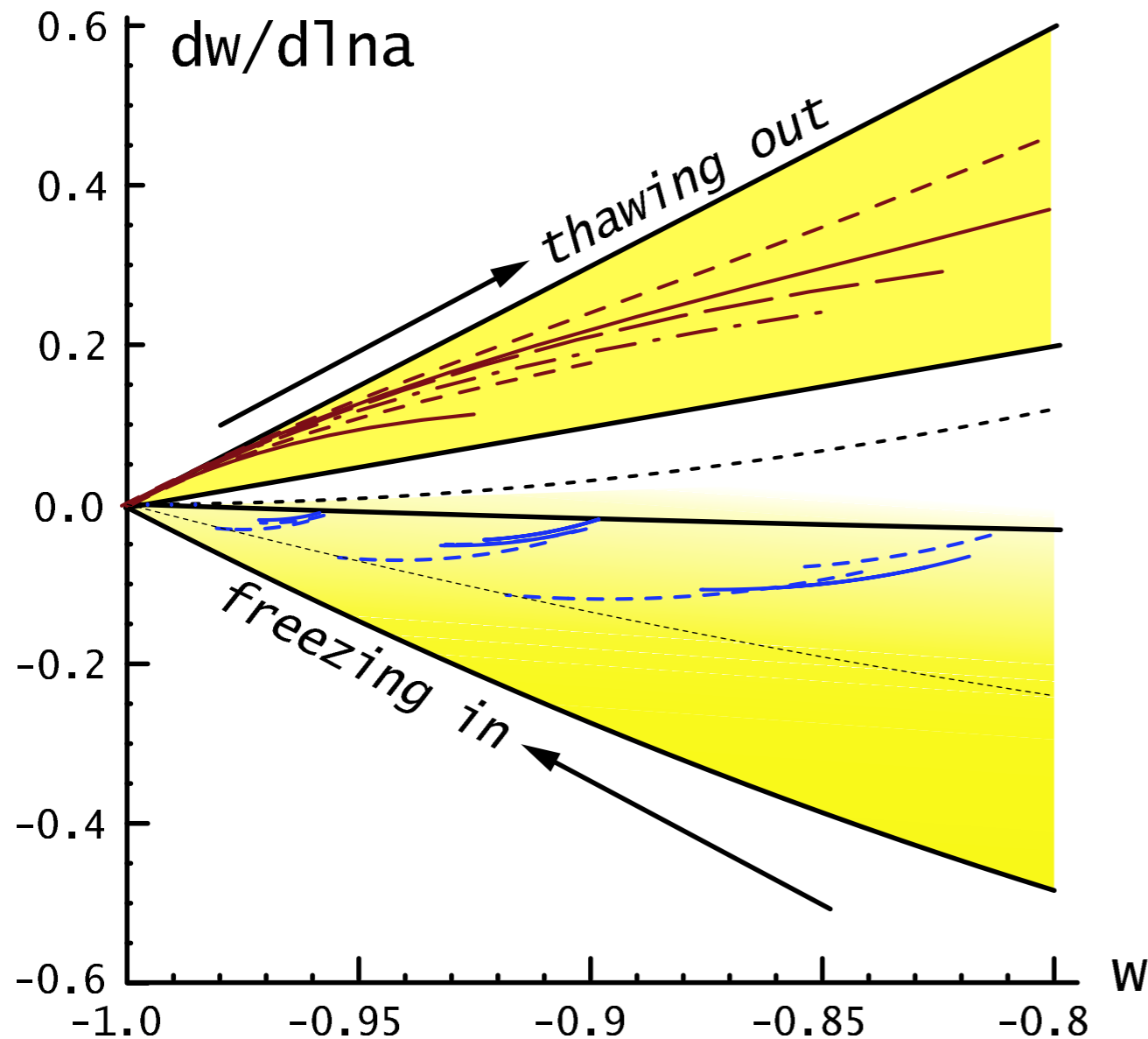


Reconstruction of $w(z)$



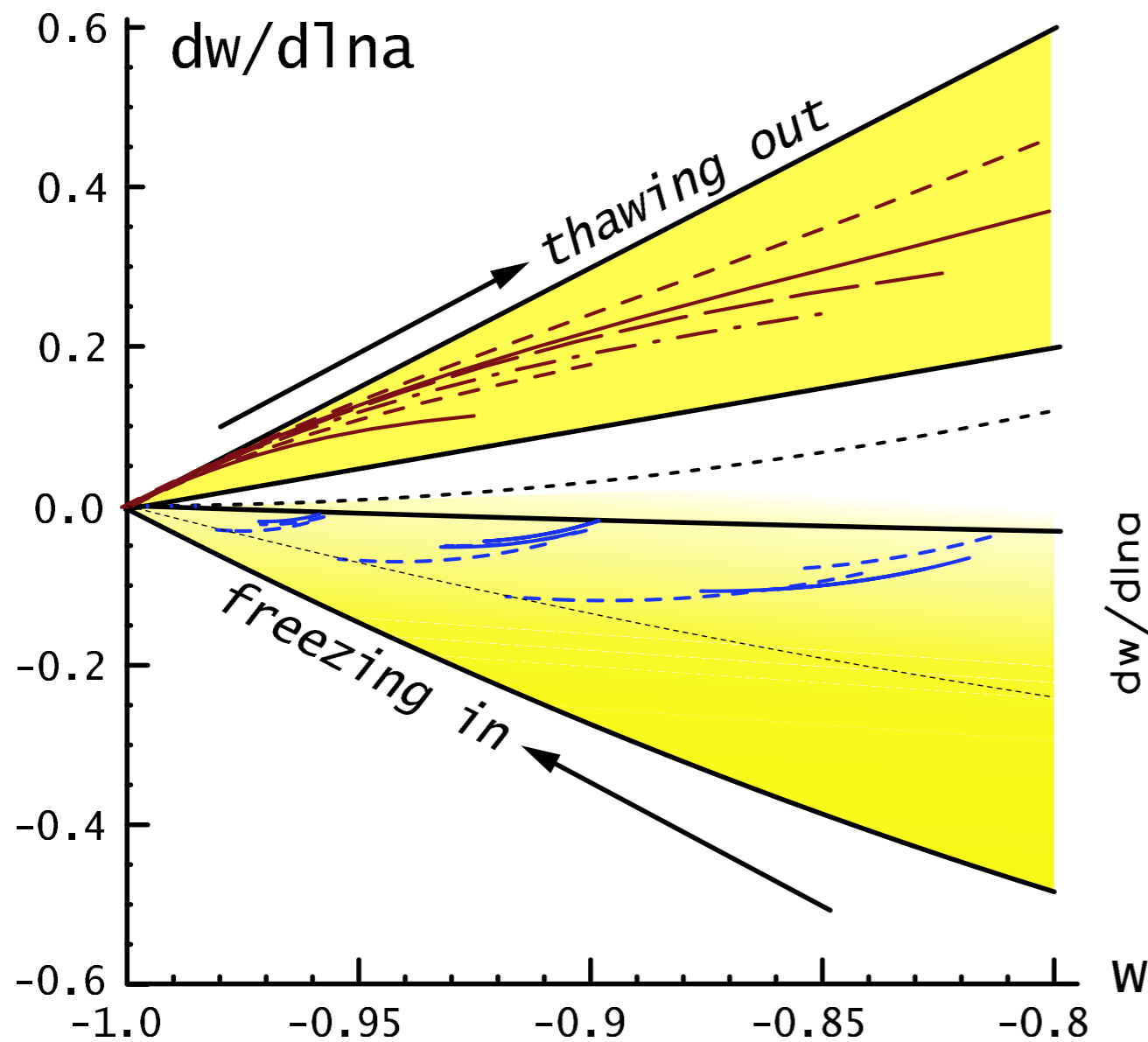
N.B. This scalar-field-model reconstruction is much more stable than the general “non-parametric” reconstruction

Generic behavior of scalar fields (?)

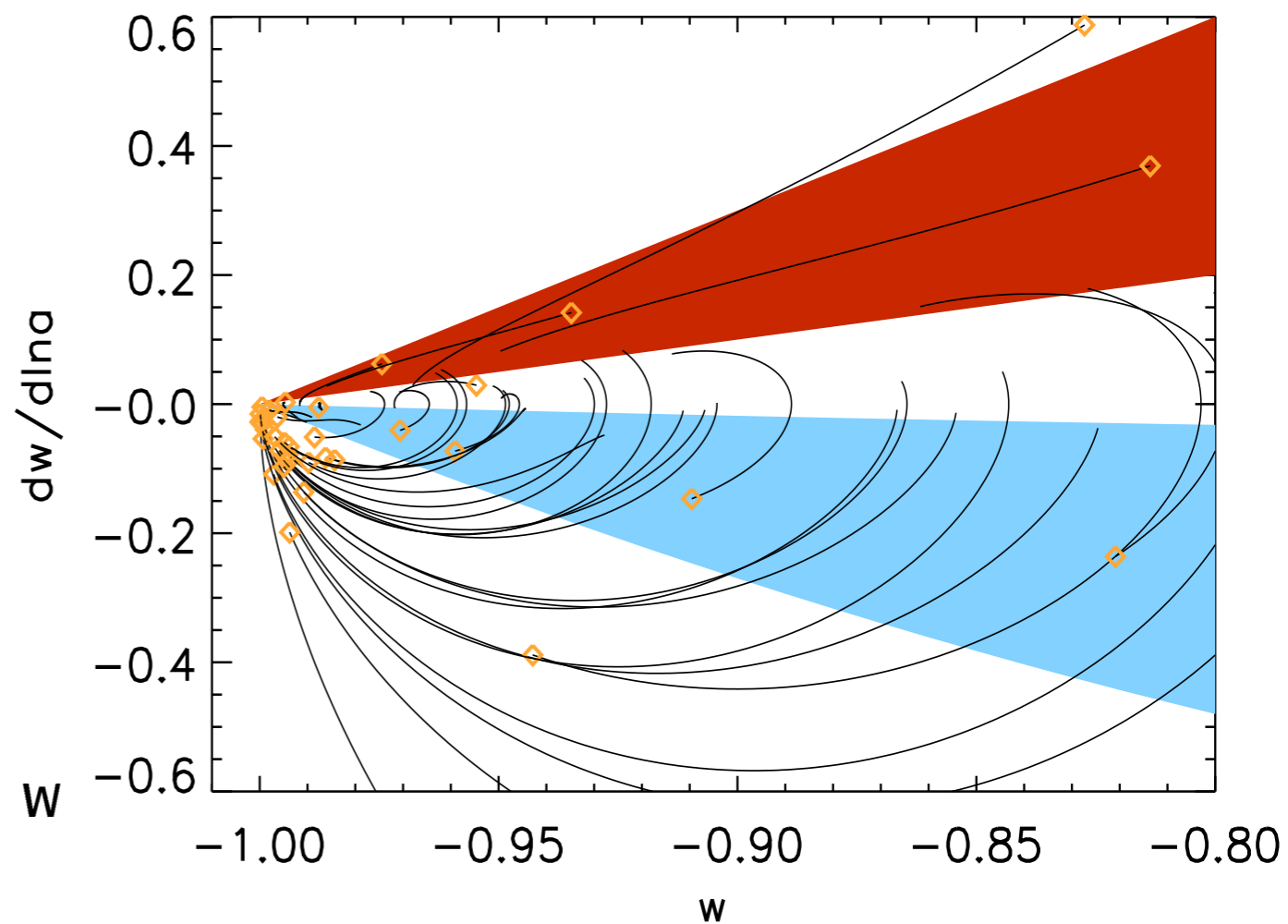


- Do scalar field models follow the freezing/thawing behavior?
- The claim was based on specific scalar field models

Generic behavior of scalar fields (?)



More general models do NOT cleanly fall into freezing/thawing



Caldwell & Linder 2005

Huterer & Peiris, astro-ph/0610427

Beyond measuring $w(z)$, we can ask...

Dark Energy or Modified Gravity?

$$\ddot{\delta} + 2H\dot{\delta} - 4\pi\rho_M\delta = 0 \quad \text{*Assuming smooth DE}$$

- A given DE and modified gravity models may both fit the **expansion history** data very well
- But they will predict different **structure formation history**
- so far, there hardly exist any well-defined MG theories with specific cosmological predictions (except perhaps **Dvali-Gabadadze-Porrati** braneworld theory)
- **Linear growth** is hard to compute even in fully well defined models for modified gravity (e.g. DGP)
- **Nonlinear growth** is much harder still to compute (c.f. this is a challenge even in GR!)

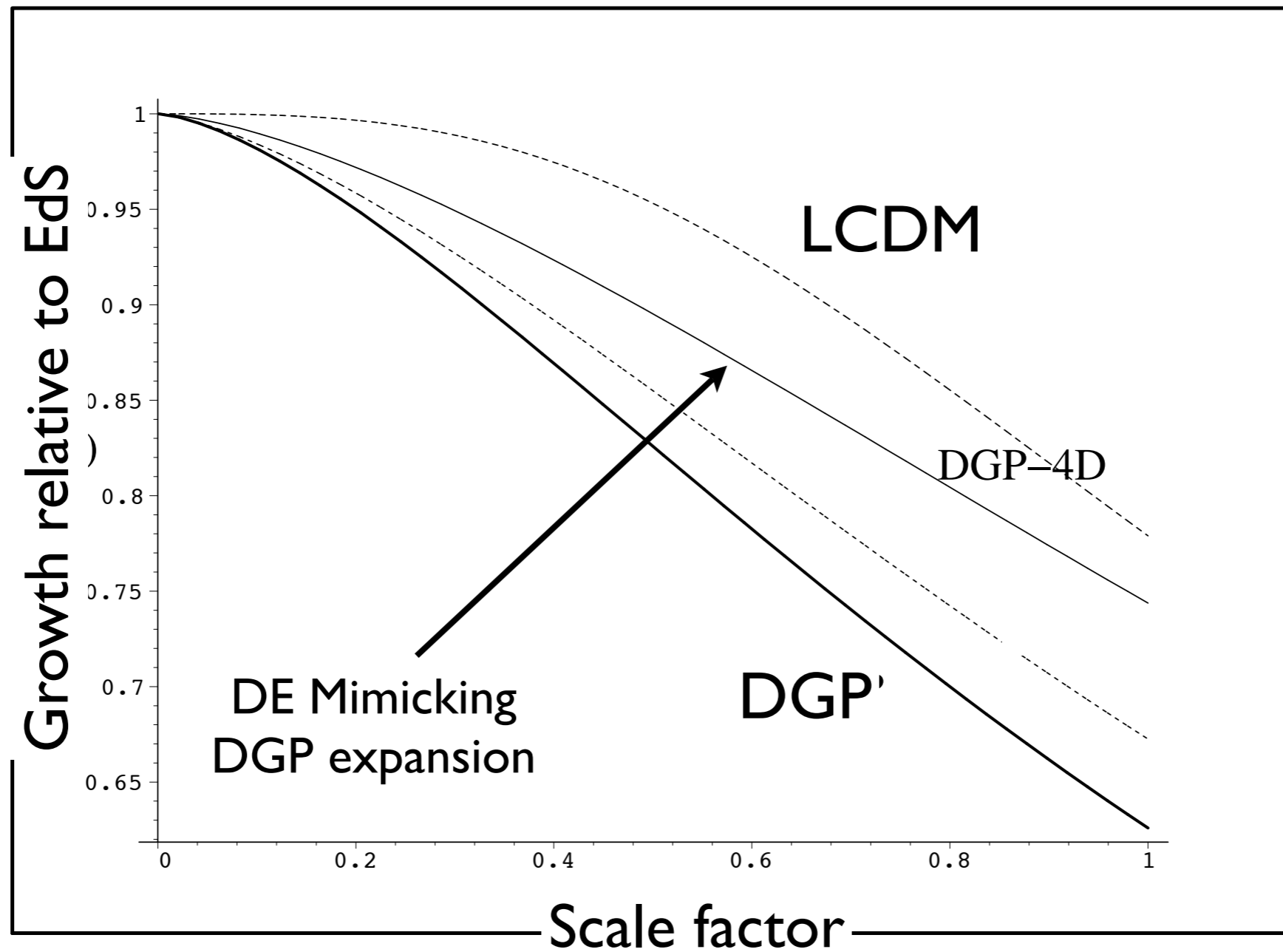
Two approaches for DE vs. MG

1. Parametrize the gravitational potentials (and/or other metric, stress tensor variables) - [Song 2006](#), [Kunz & Sapone 2006](#), [Zhang & Jain 2007](#), [Amin et al 2007](#), [Caldwell et al 2007](#), [Hu 2008](#)

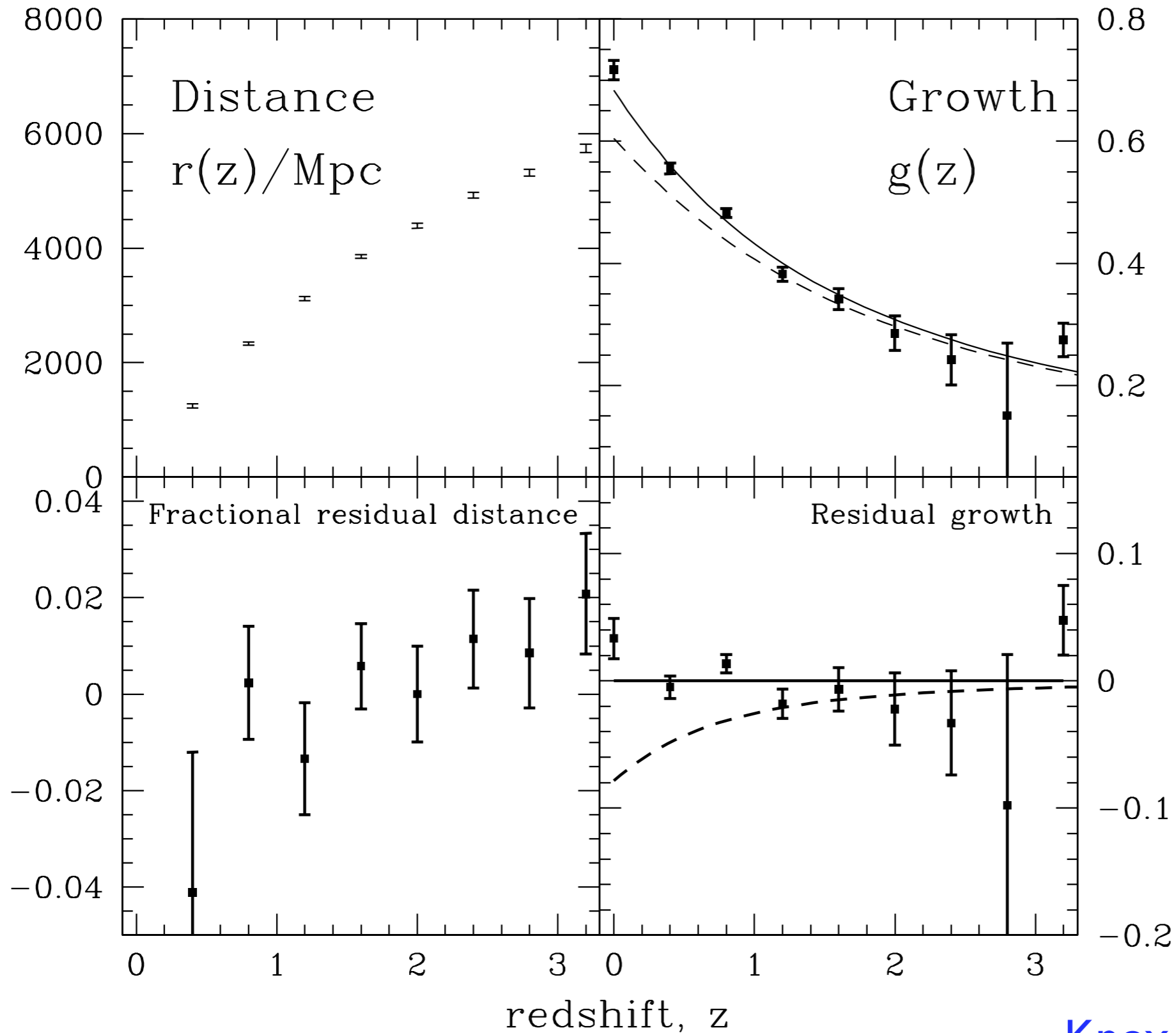
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2. Parametrize the expansion and growth history separately; check consistency

DGP linear growth

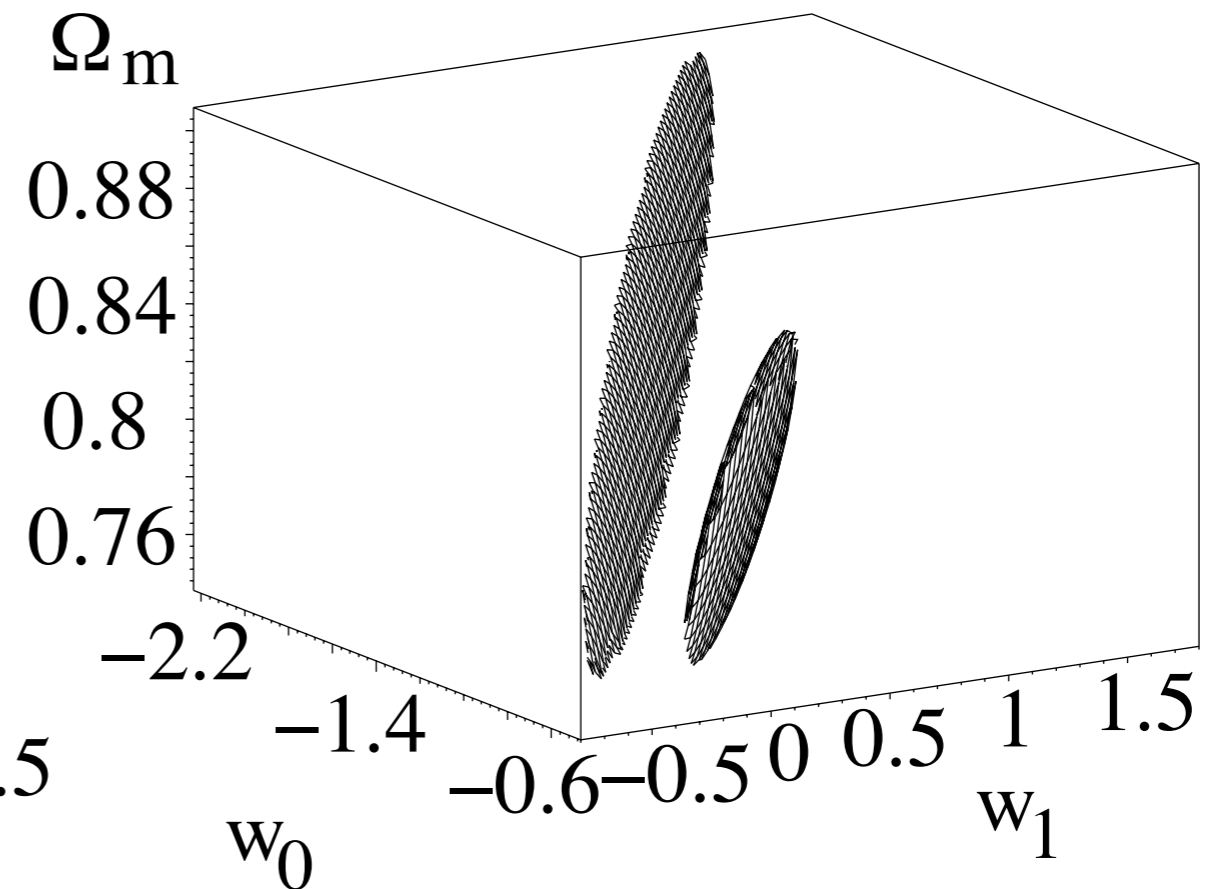
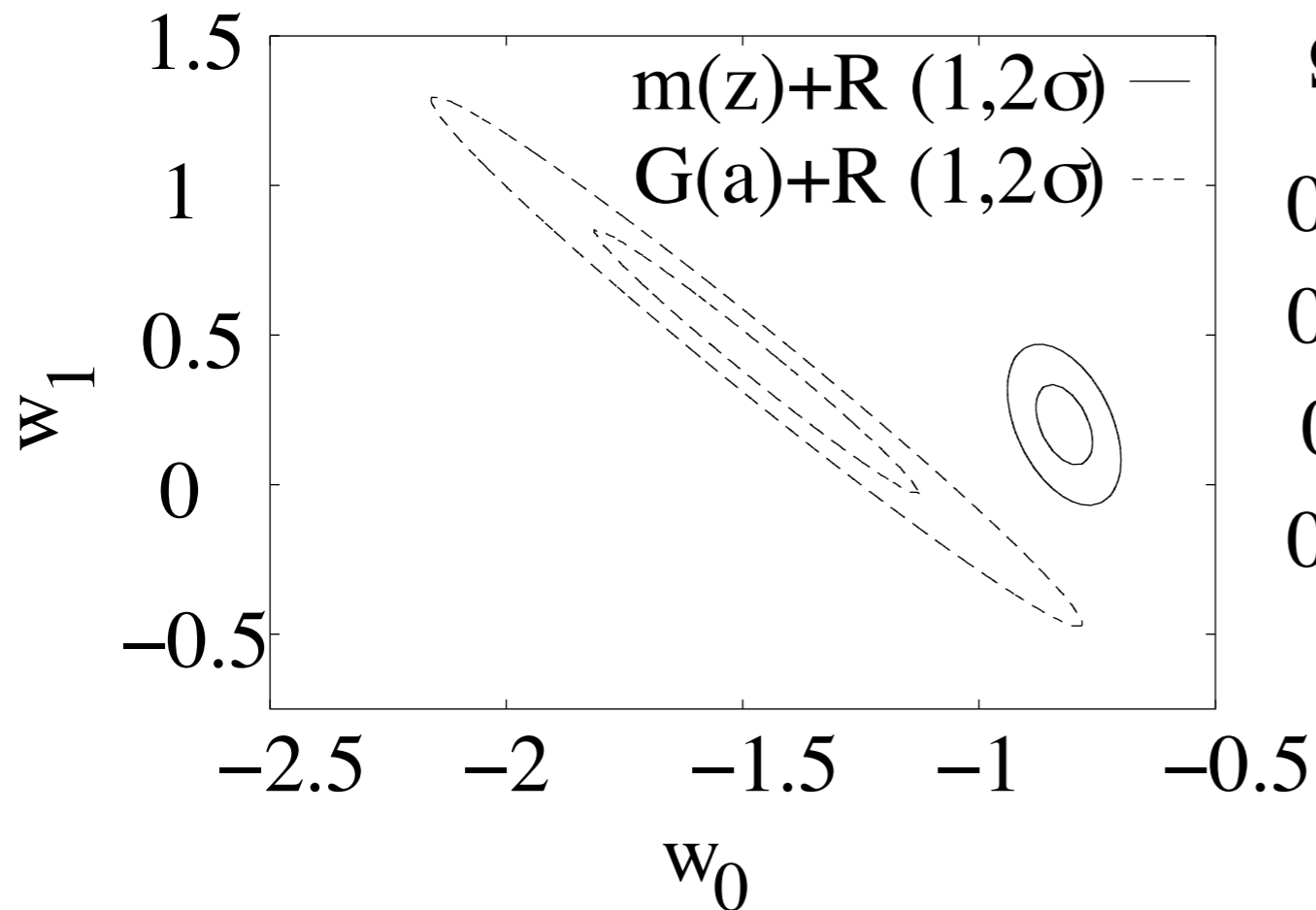


Strategy I: distance (z), growth(z) separately



Measure
 $r(z)$, $g(z)$,
see if they
agree

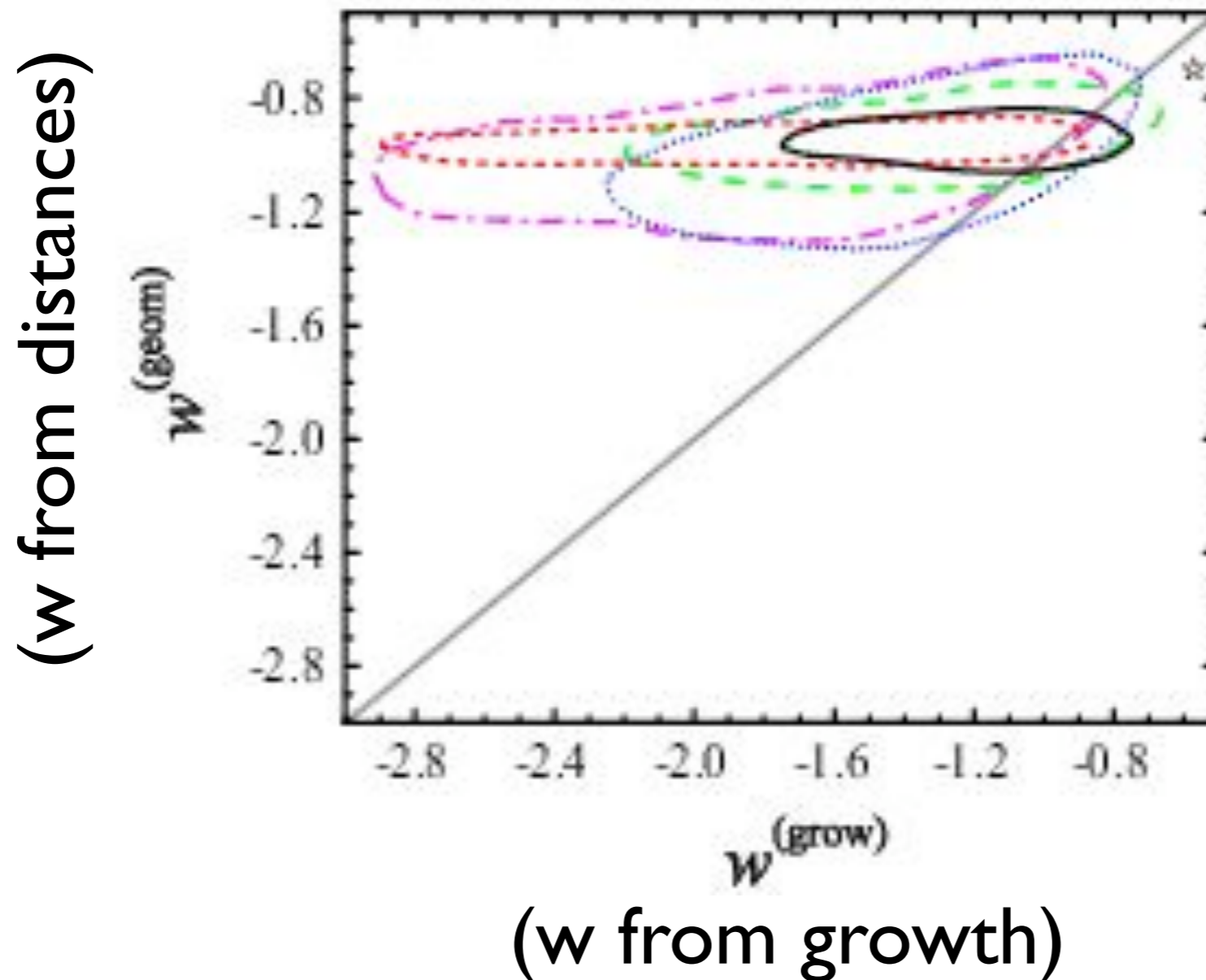
Strategy II: (Ω_m, w_0, w_a) separately



Measure w_0 and w_1 for growth and distance, see if they agree

Ishak, Upadhye & Spergel 2005, others...

Strategy II.5: w separately, real data



Nice work, but current constraints are weak

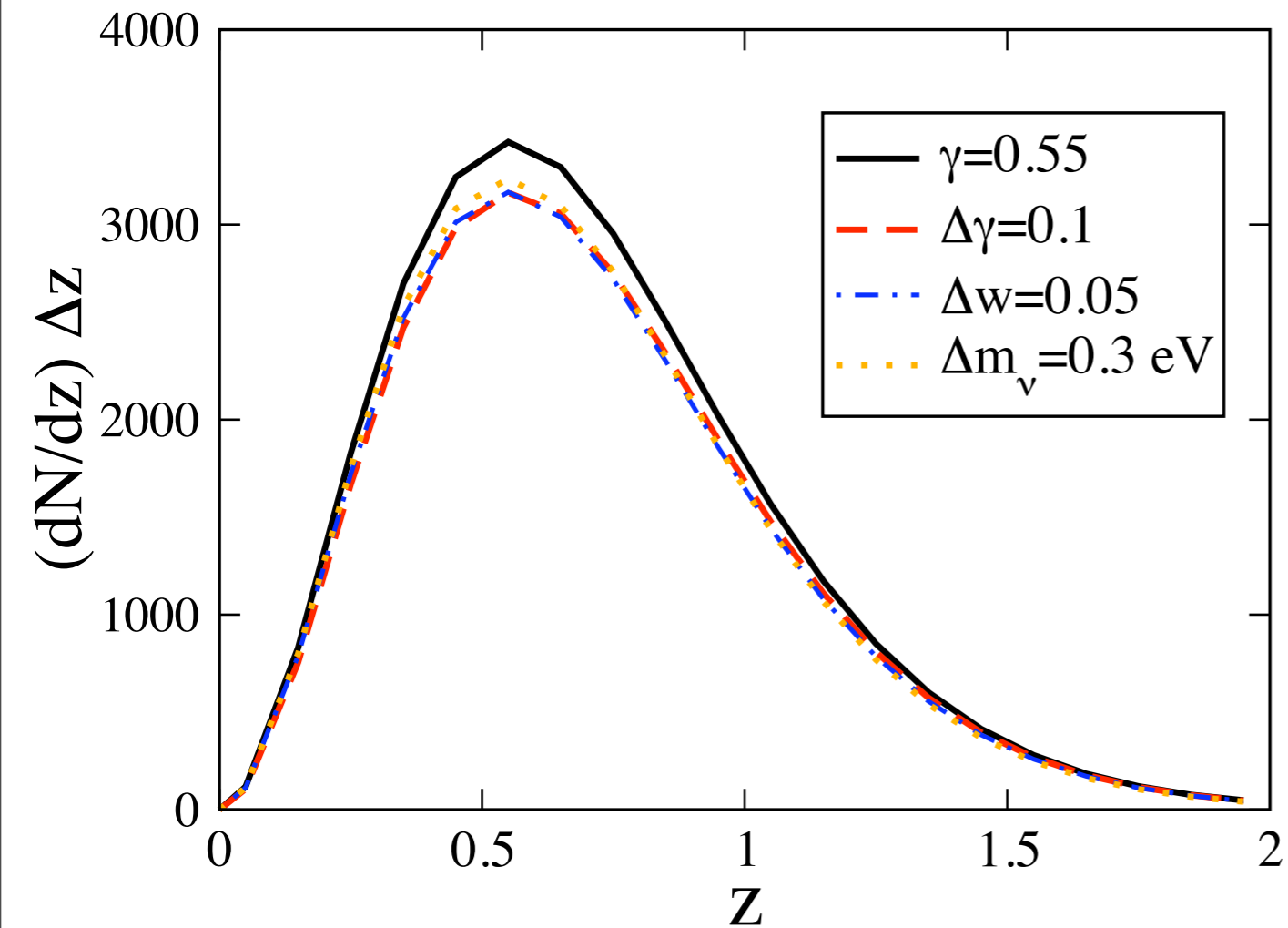
Strategy III: “Minimalist Modified Gravity”

$$g(a) \equiv \frac{\delta}{a} = \exp \left[\int_0^a d \ln a [\Omega_M(a)^\gamma - 1] \right]$$

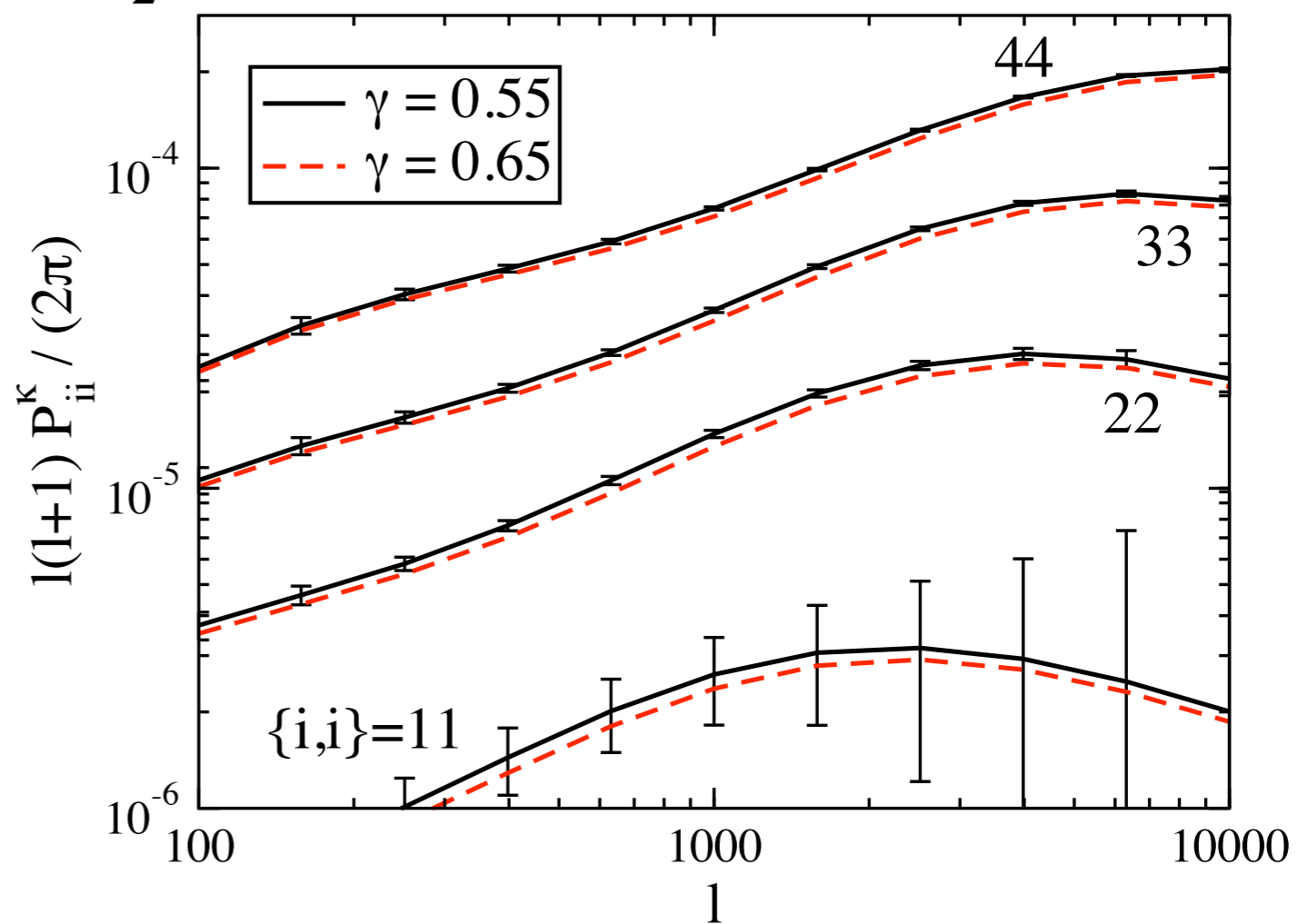
Excellent fit to standard DE cosmology with

$$\gamma = 0.55 + 0.05[1 + w(z = 1)] \quad \text{Linder 2005}$$

- Gamma is a new parameter - the growth index - and we should measure it!
- E.g. fits DGP with value different from GR by $\Delta\gamma = 0.13$
- For a moment, let us assume that the usual prescription for the nonlinear power spectrum is unchanged
- Apply to weak lensing and number counts; SNe and CMB remain unaffected



Cluster counts



Constraints on the growth index

	$\text{sig}(w_0)$	$\text{sig}(w_a)$	$\text{sig}(\text{gamma})$
WL	0.33	1.16	0.23
+SNE	0.06	0.28	0.10
+Planck	0.06	0.21	0.044
+Clusters	0.05	0.16	0.037

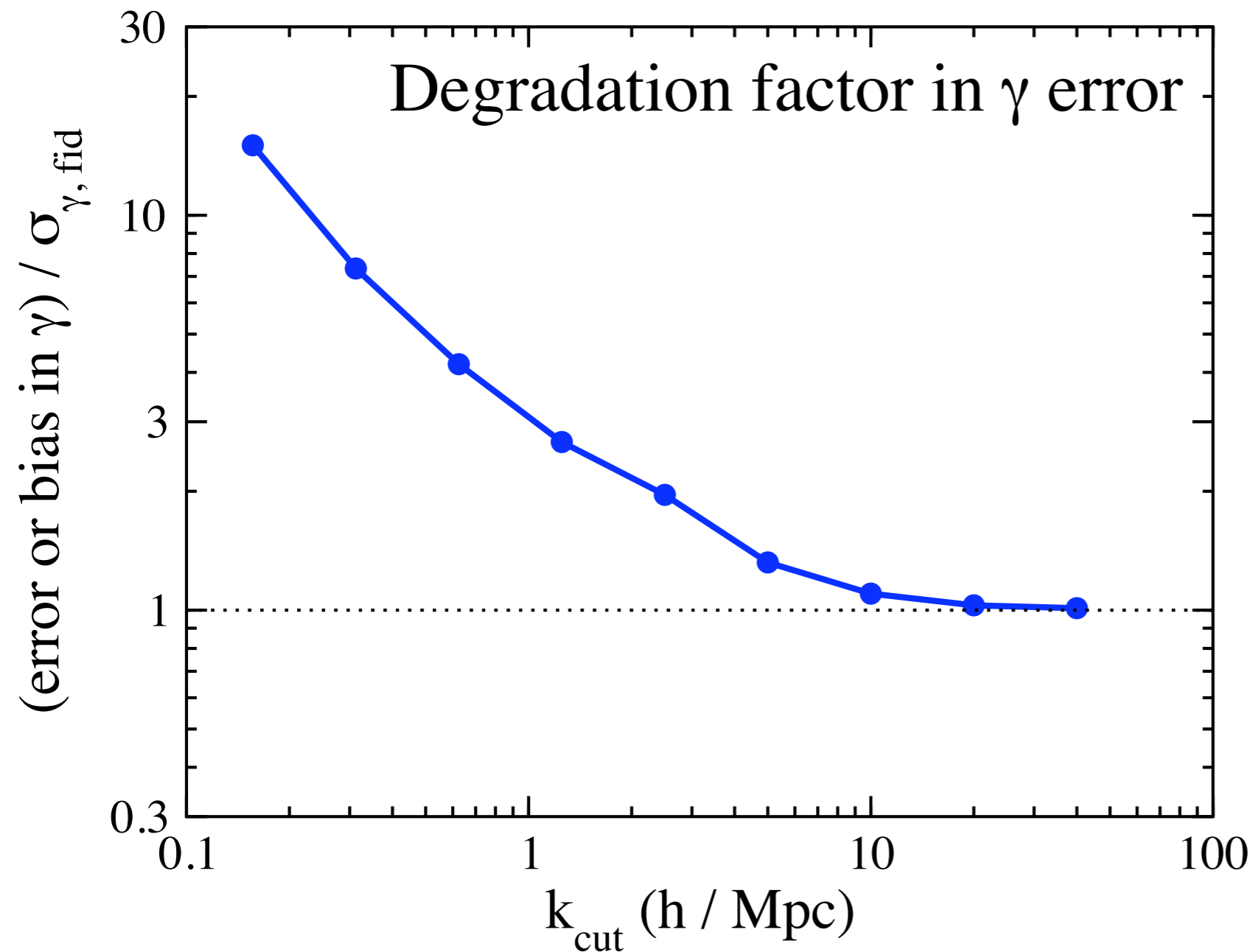
WL: 1000 sqdeg (SNAP)

SNe: 2800 SNe (SNAP)

Clusters: 4000 sqdeg (SPT), dN/dz only, but mass-obs relation exact

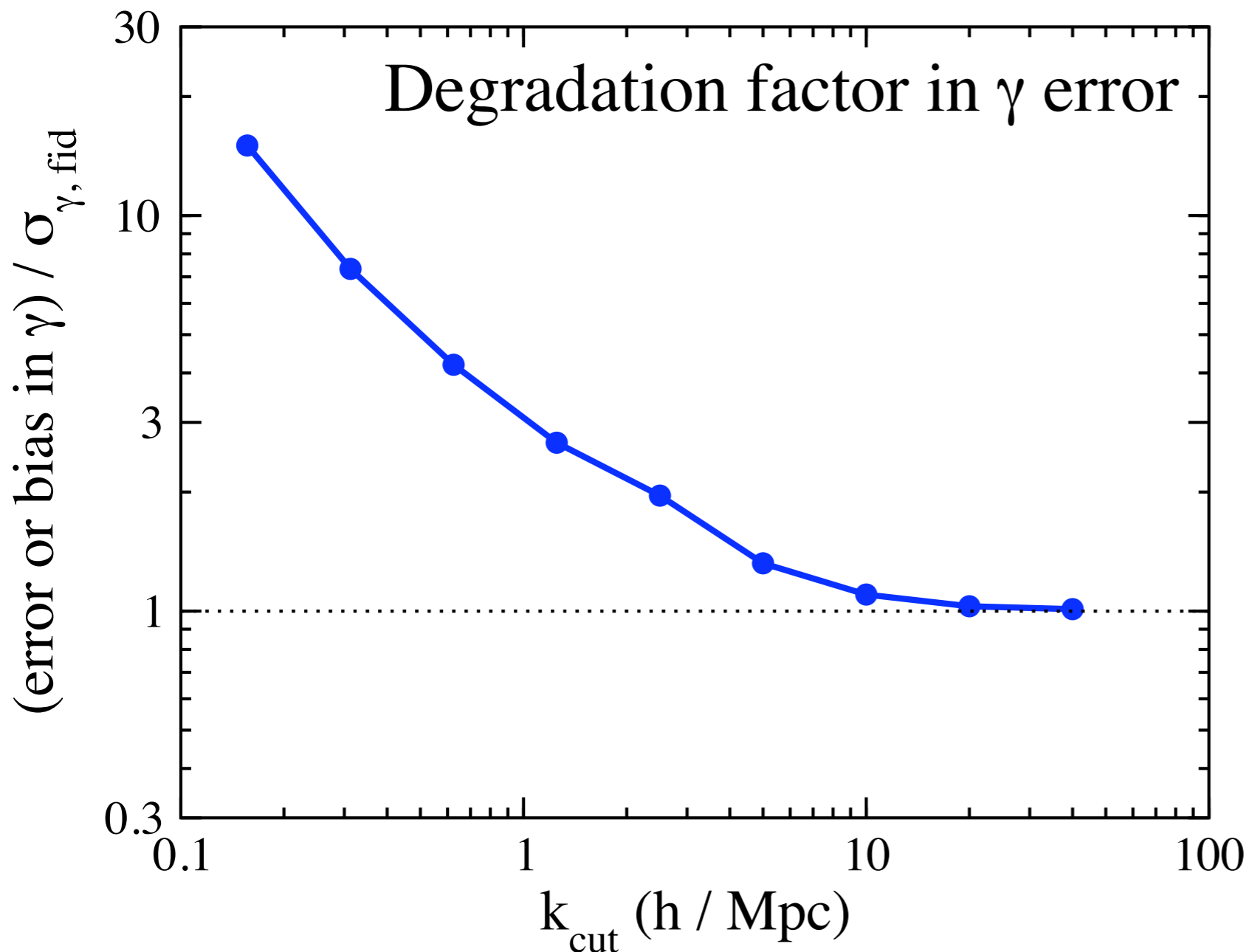
parameters: $O_d, A, w_0, w_a, \omega_{mh}, \omega_{bh}, m_{\nu}, \text{gamma}$

Effects of discarding the small-scale info in weak lensing



Using the Nulling Tomography of weak lensing (Huterer & White 2005)

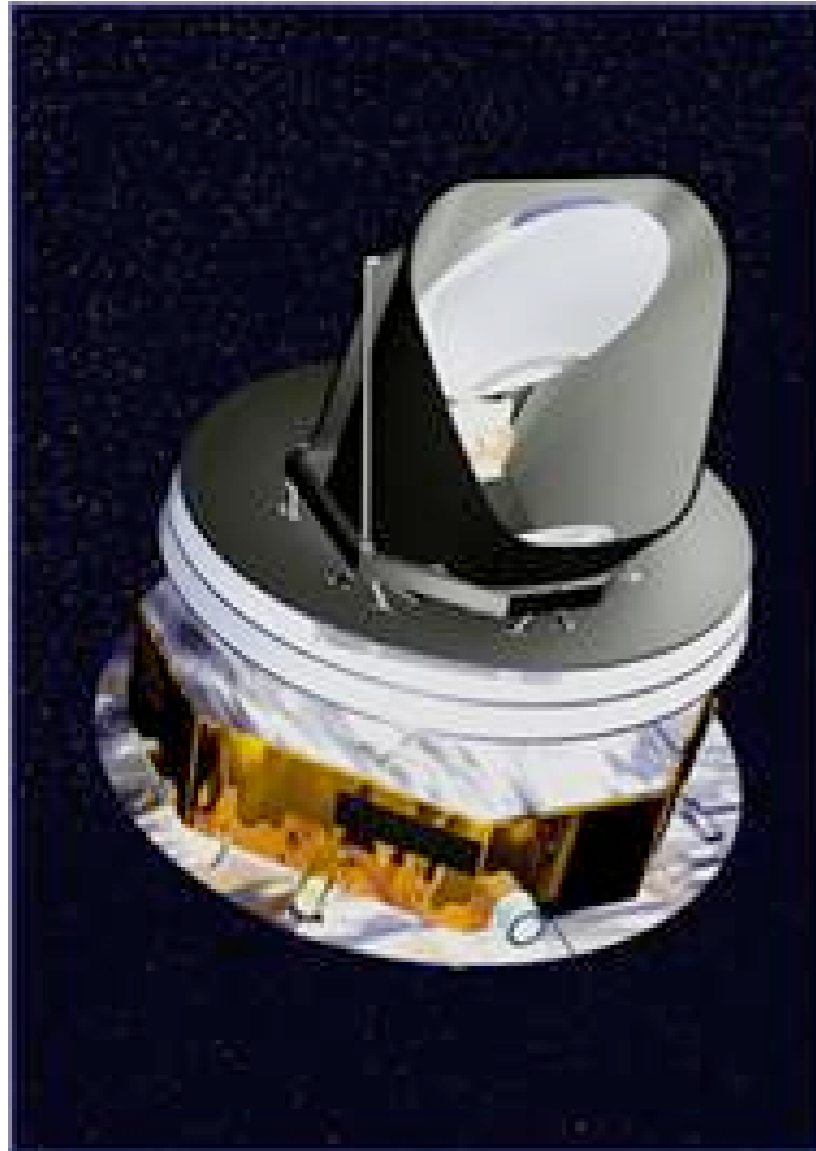
Effects of discarding the small-scale info in weak lensing



- Clearly, errors increase dramatically as you keep only linear scales
- For MG, it's hard to trust NL scales
- But for testing $w(z)$ GR models, using NL scales may be possible

Upcoming Experiments

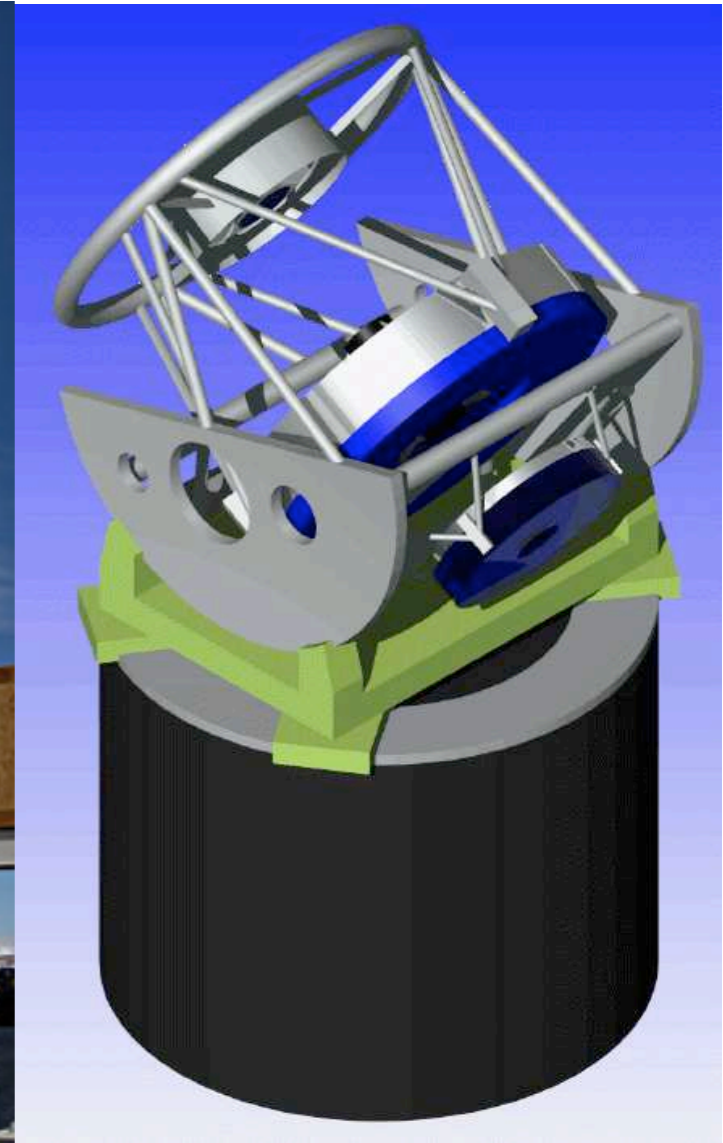
Planck



SPT (also ACT)

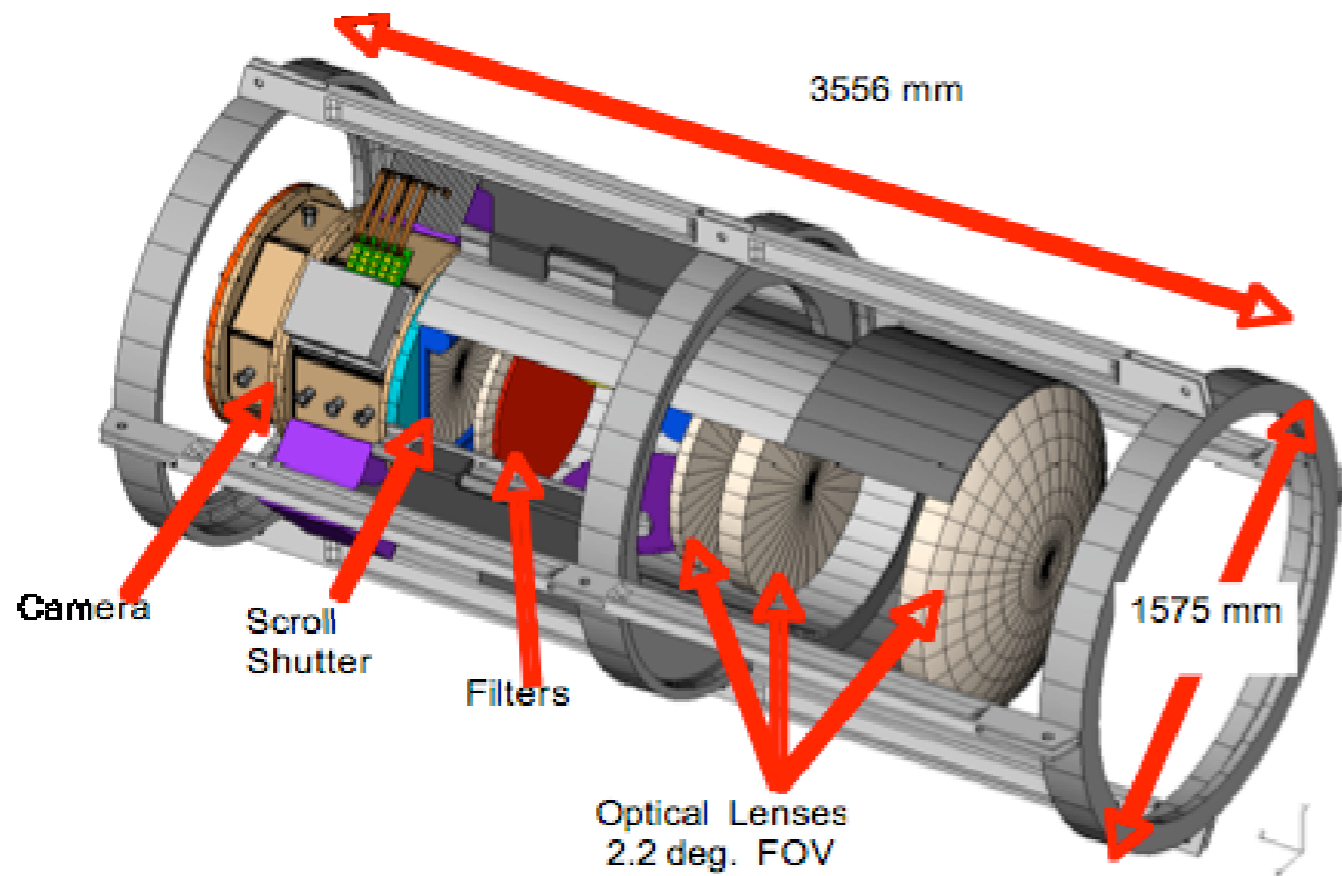


LSST



Lots and lots of data coming our way

Dark Energy Survey



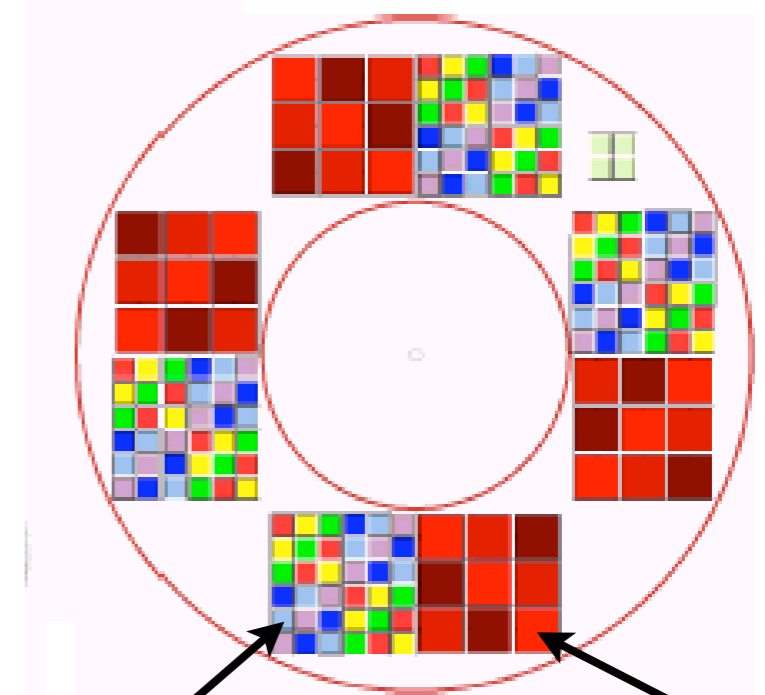
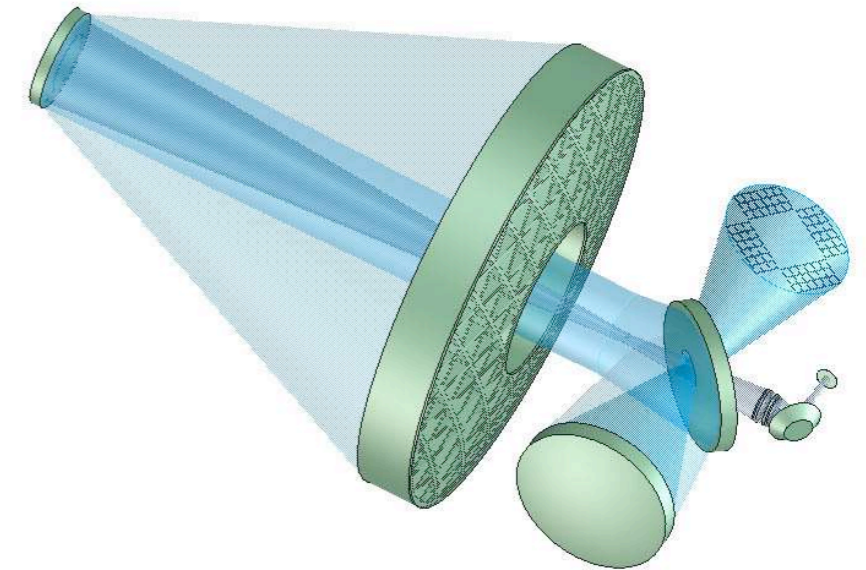
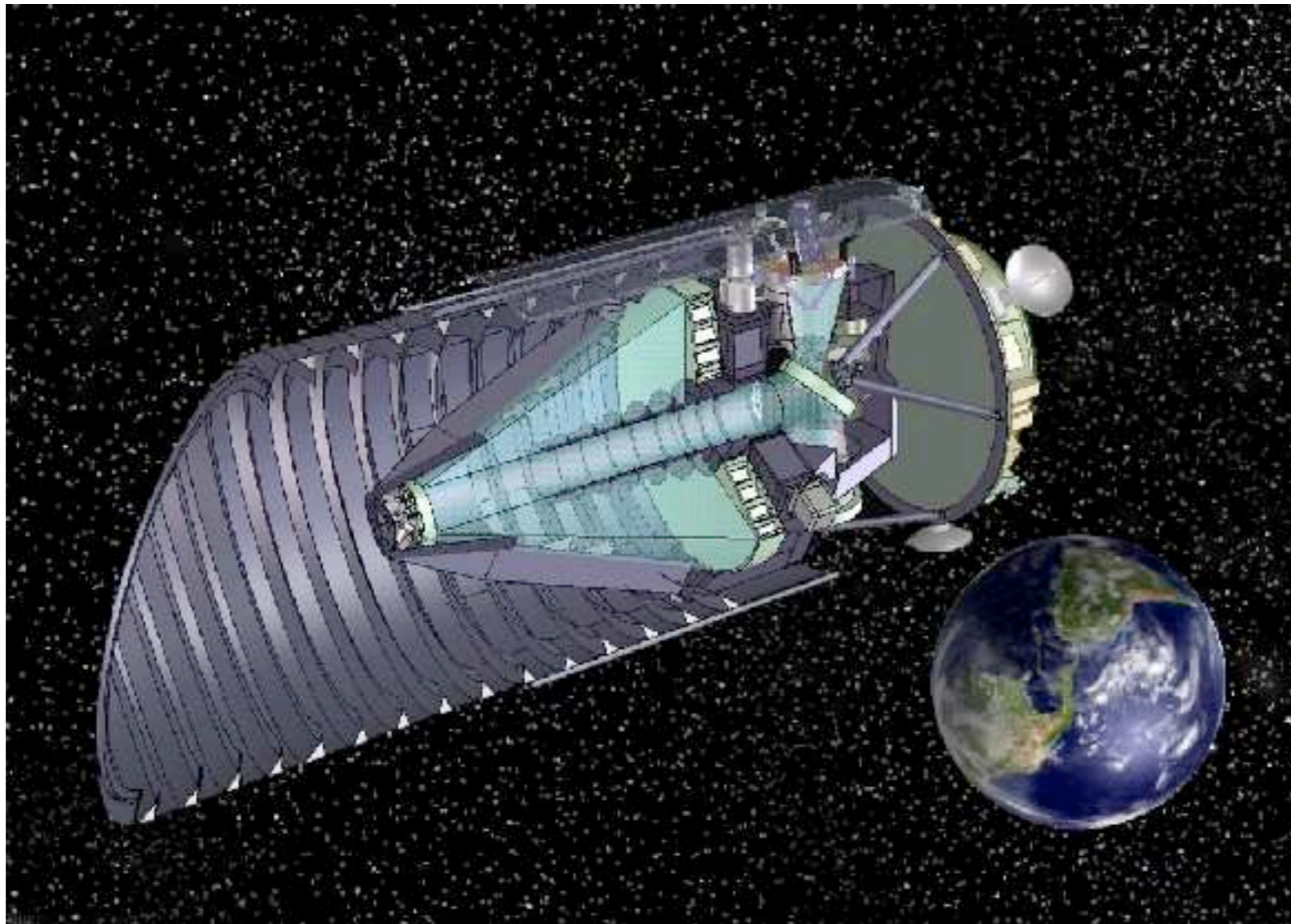
Blanco 4m telescope in Chile

Four techniques to probe Dark Energy:

1. Number Counts of clusters
2. Weak Lensing
3. SNe Ia
4. Angular clustering of galaxies

SuperNova/Acceleration Probe

~2500 SNe at $0.1 < z < 1.7$



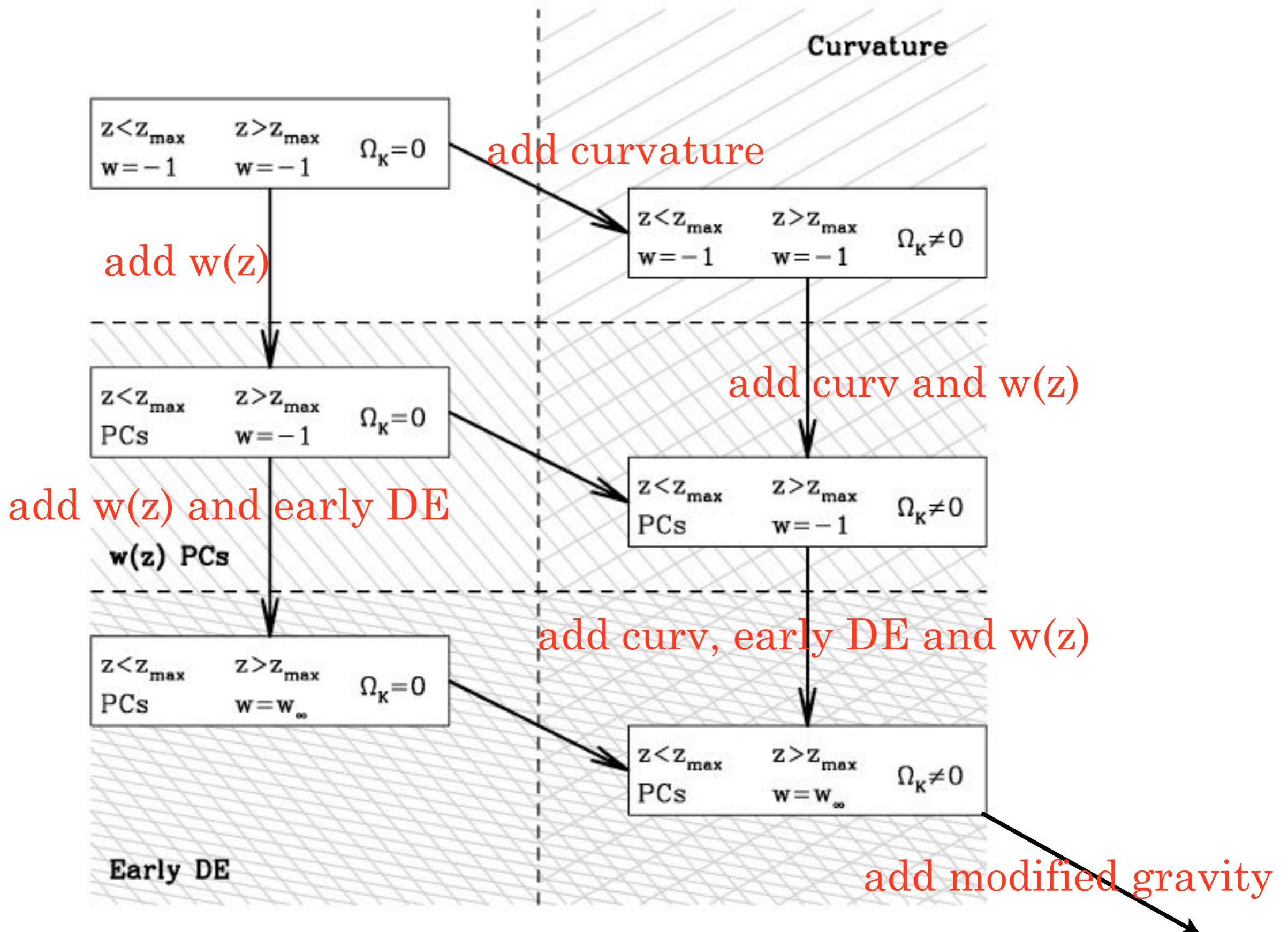
Unprecedented **SNa Ia** dataset; excellent systematic control
Weak Lensing power spectrum, bispectrum, cosmography
Number counts of clusters
Galaxy distribution; geometrical tests
Strong Lensing, Type II supernovae
A variety of other cosmology and astrophysics

Visible (CCDs)

NIR (HgCdTe)

What we really need - a decision tree

- The data are now consistent with LCDM, but that may change
- If so, **what observational strategies** do we use to determine which violation of Occam's Razor has the nature served us?
- Alternatives:
 - $w(z)$
 - early DE
 - curvature $\neq 0$
 - clustered DE
 - modified gravity
 - more than one of the above
 -



Conclusions

- The interest is now shifting toward some of the most difficult tests of cosmology: **probing the expansion and growth history of the universe**
- Unfortunately, few if any good models to test, but still can do general tests within, and beyond, GR
- We need (and will be getting) a combination of experiments that are
 - **ground and space probes,**
 - **expansion and growth probes,**
 - **linear and nonlinear theory**
- **Systematics control** will be the key to utilizing these data

Open Questions and Issues

- Can we please get some reasonable, non-ruled-out, testable models of dark energy?
- What accuracy on growth(z) do we need? How do we get it?
- What is the best way to use non- and quasi-linear scales? (Perturbation theory, simulations...) What accuracy do we need/can we get, and out to what k ?
- Should we push precision measurements to z of a few? (NB some constraints are already available) Or is it more worthwhile to invest more money into lower- z ($z < 2$)?