

Probing T_R at the LHC with long-lived staus.

Koichi Hamaguchi (Tokyo U. + IPMU)

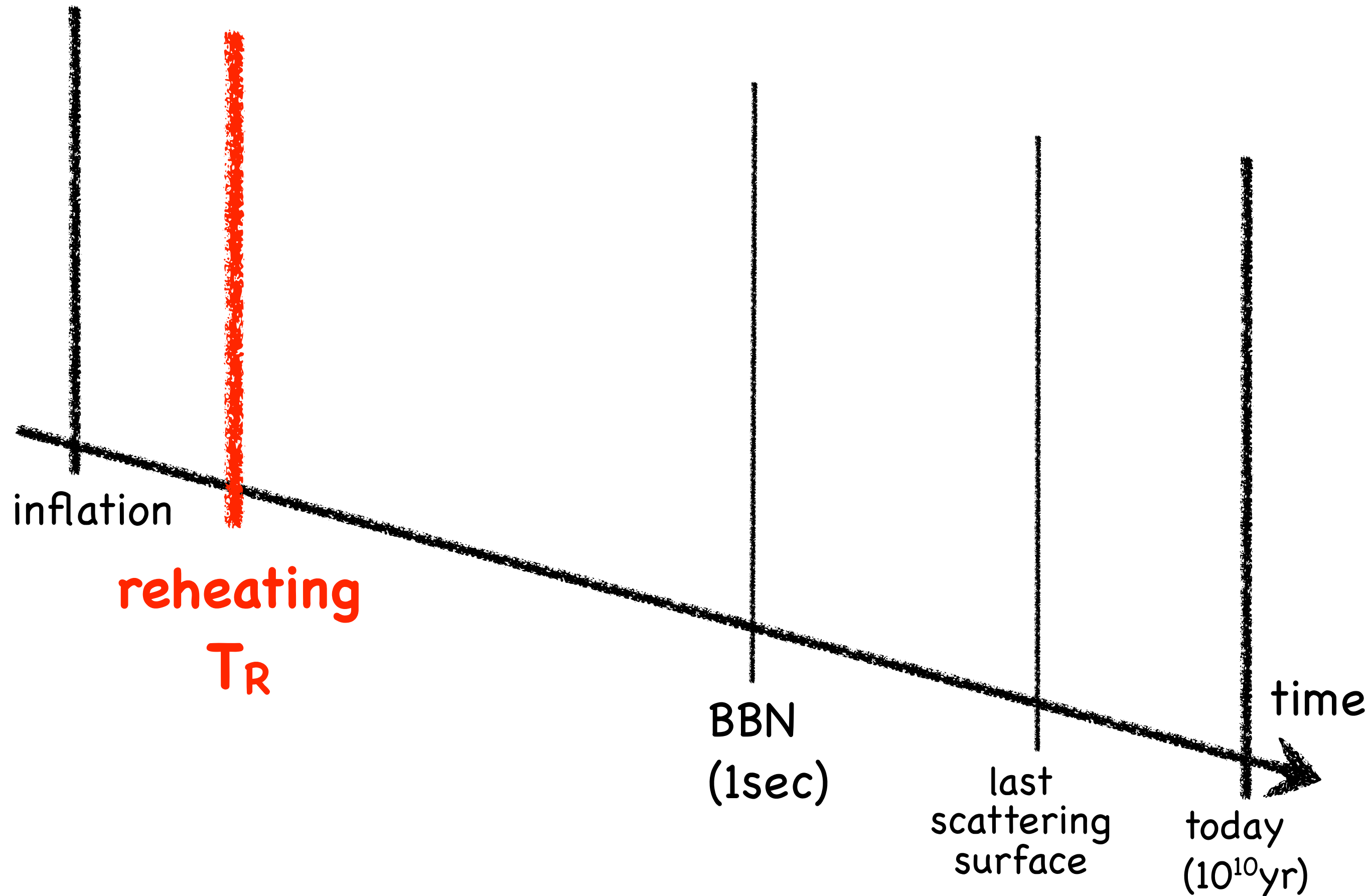
based on, M.Endo, KH, K.Nakaji, [arXiv:1008.2307]

+ M.Endo, KH, K.Nakaji, in preparation

+ S.Asai, KH, S.Shirai, [arXiv:0902.3754] PRL,103,141803

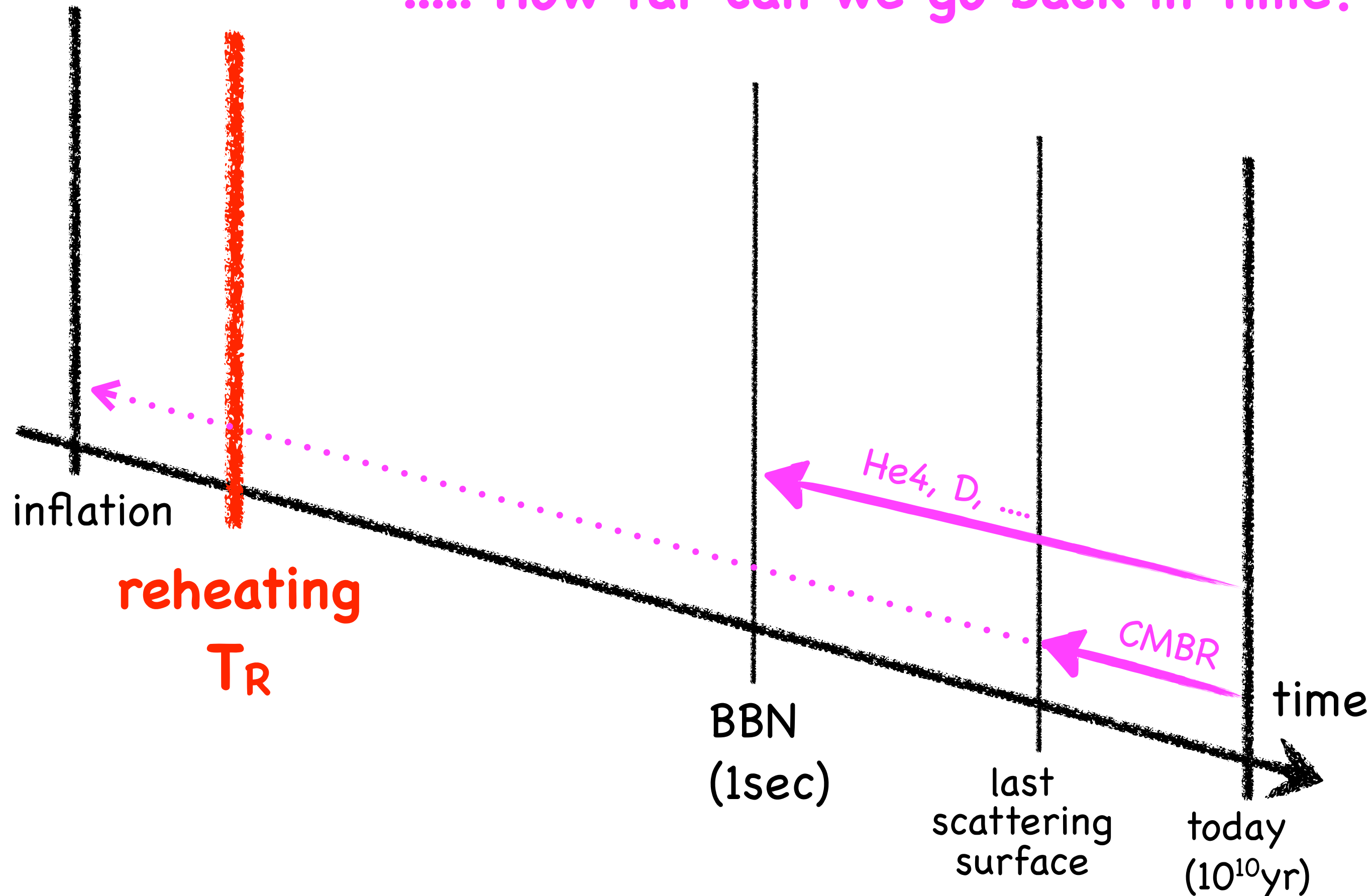
Non-Thermal Cosmological Histories of Universe
at Michigan Center for Theoretical Physics, October, 2010

(Non-) Thermal History of the Universe



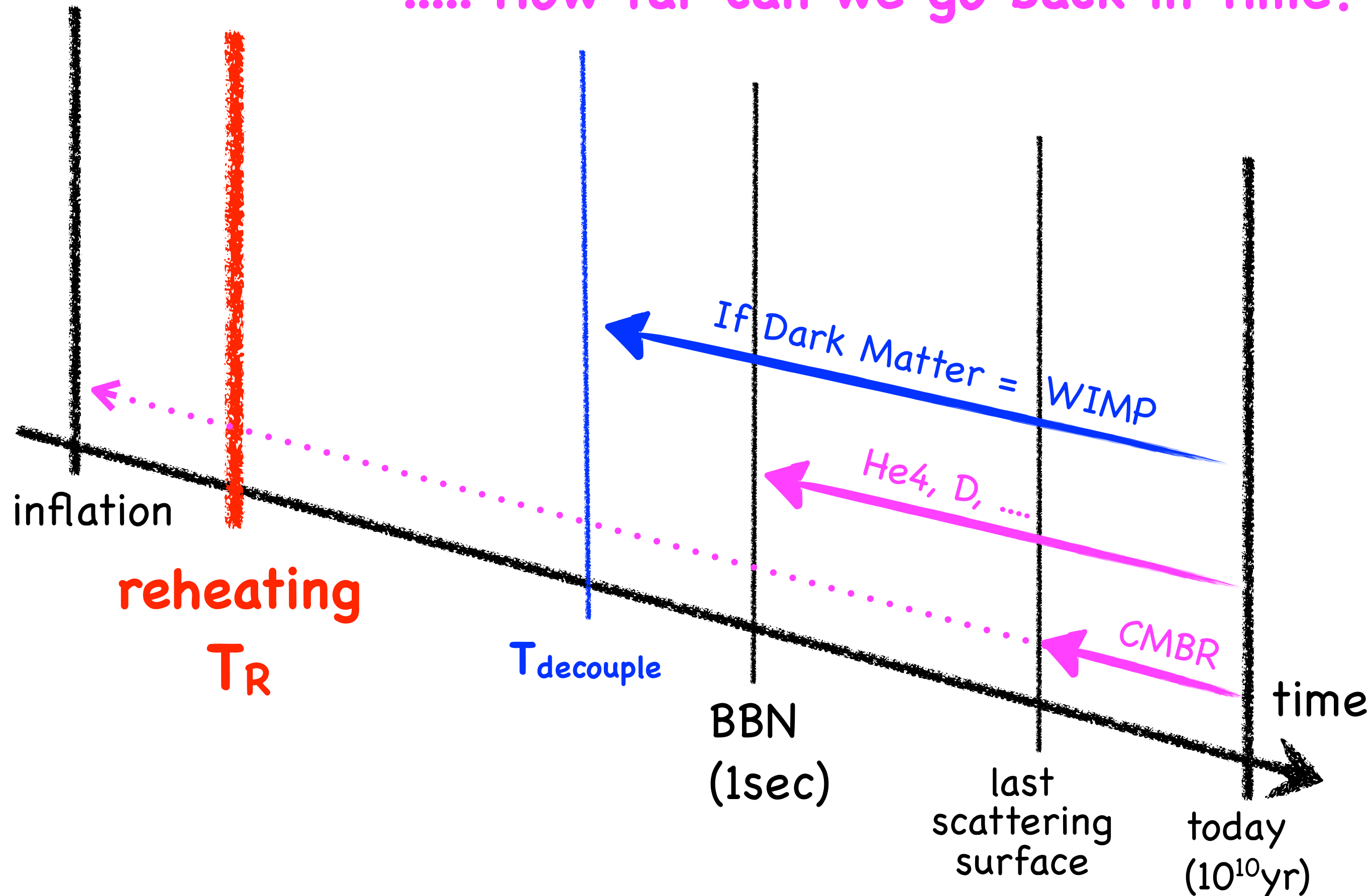
(Non-) Thermal History of the Universe

.... How far can we go back in time?



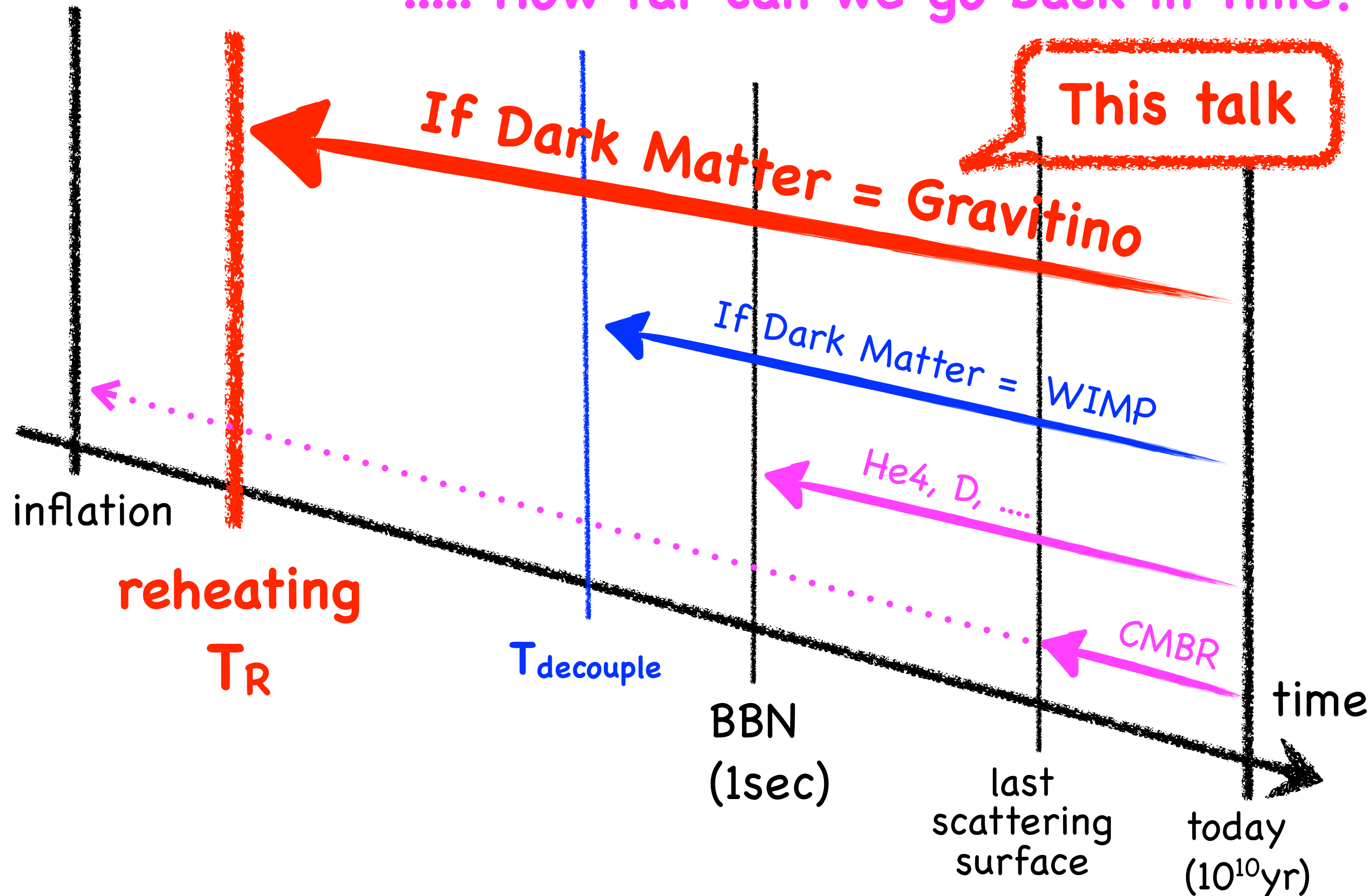
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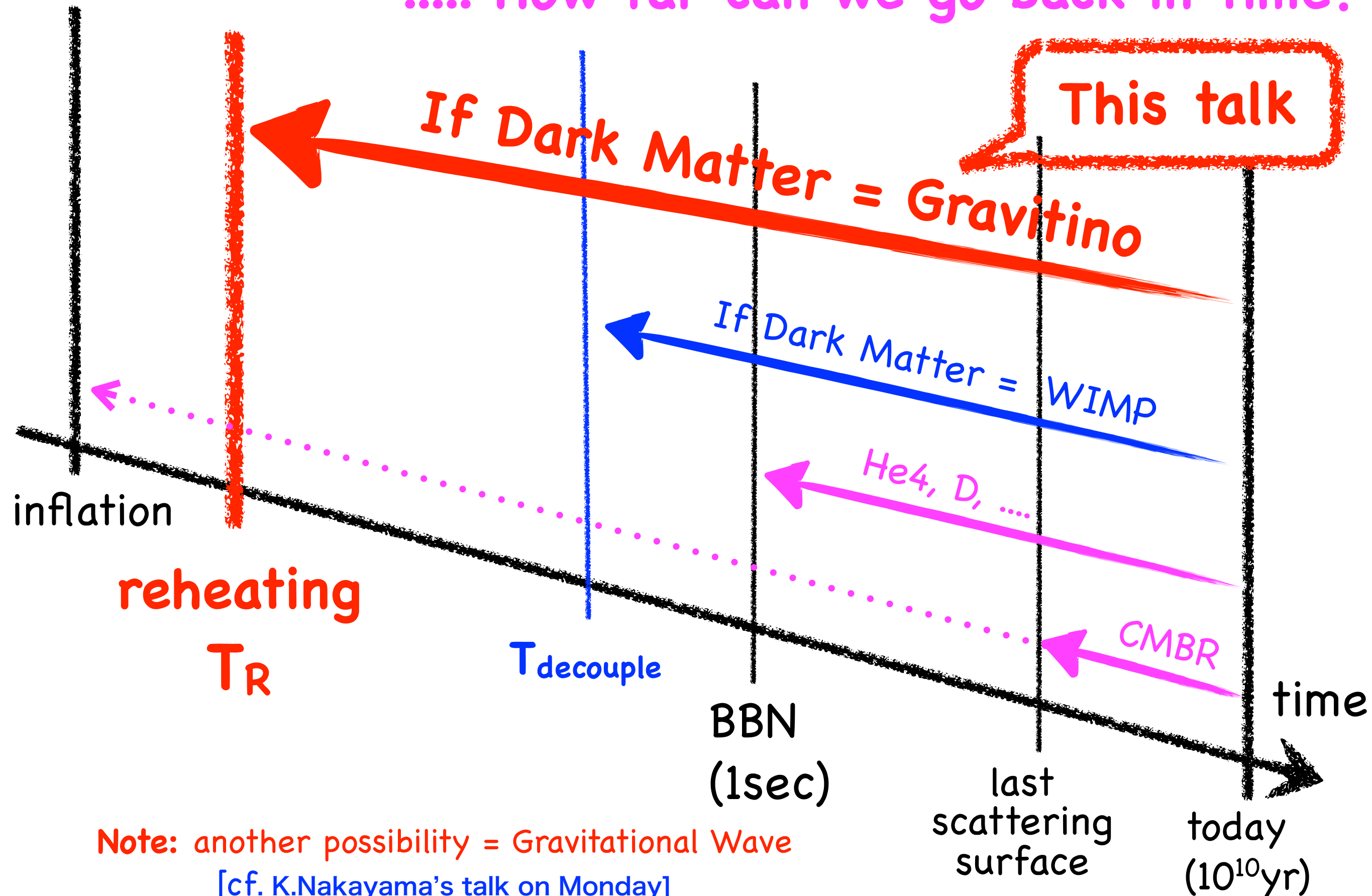
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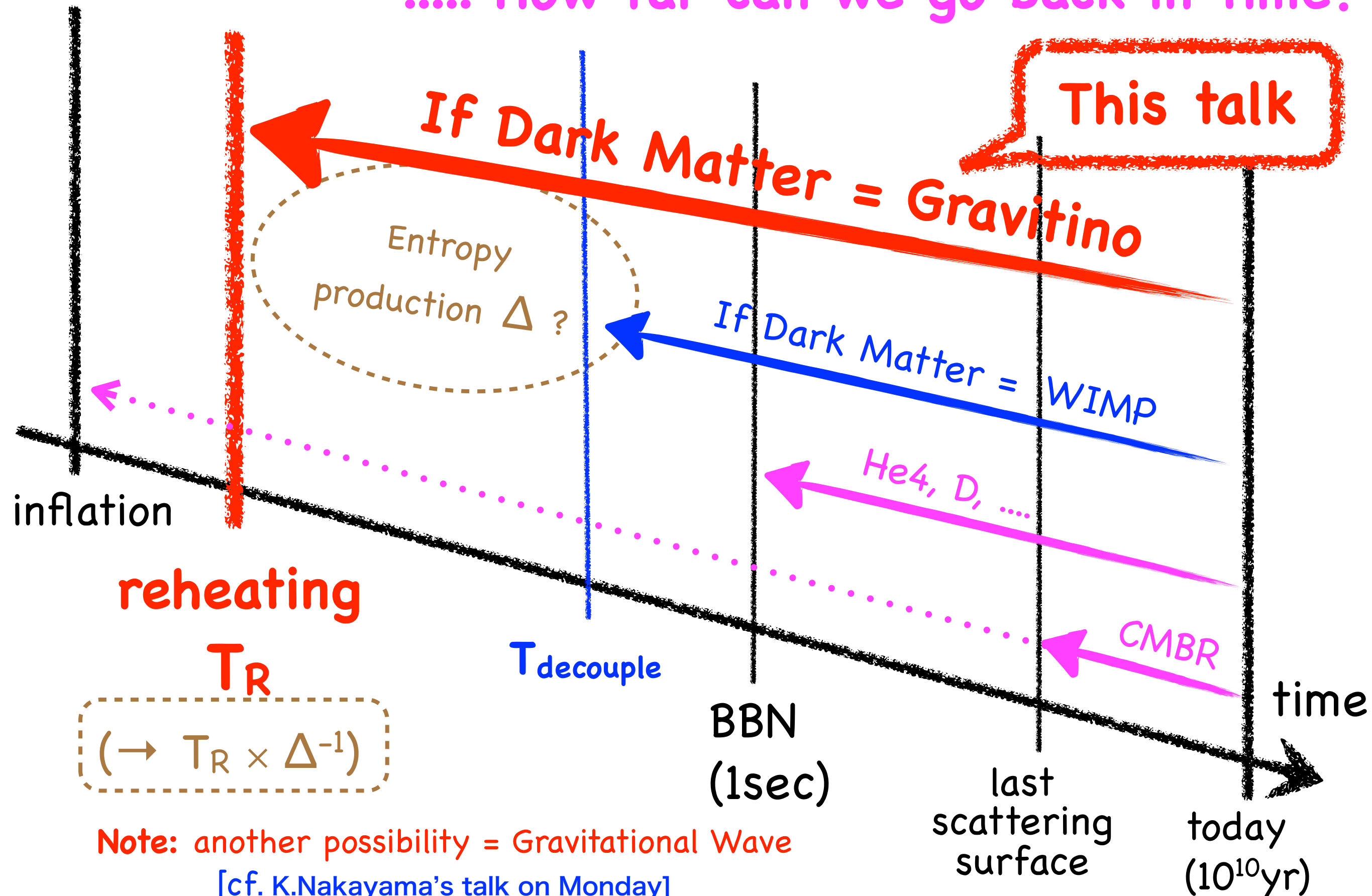
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before the main part,... a comment on moduli problem

$$\Gamma_X = \frac{c}{4\pi} \frac{m_X^3}{M_P^2} \quad T_X = (\pi^2 g_*/90)^{-1/4} \sqrt{M_P \Gamma_X}$$
$$\simeq 5.5 \times 10^{-3} \text{ MeV} \cdot c^{1/2} \left(\frac{m_X}{1 \text{ TeV}} \right)^{3/2}$$

$$m_X \gtrsim 100 \text{ TeV} \quad \rightarrow \quad T_X \gtrsim \mathcal{O}(\text{MeV})$$

.....But this is not sufficient !!

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Moduli-Induced Gravitino Problem

Endo, KH, Takahashi, 0602061

Nakamura, Yamaguchi, 0602081

Asaka, Nakamura, Yamaguchi, 0604132

Dine, Kitano, Morisse, Shirman, 0604140

Endo, KH, Takahashi, 0605091

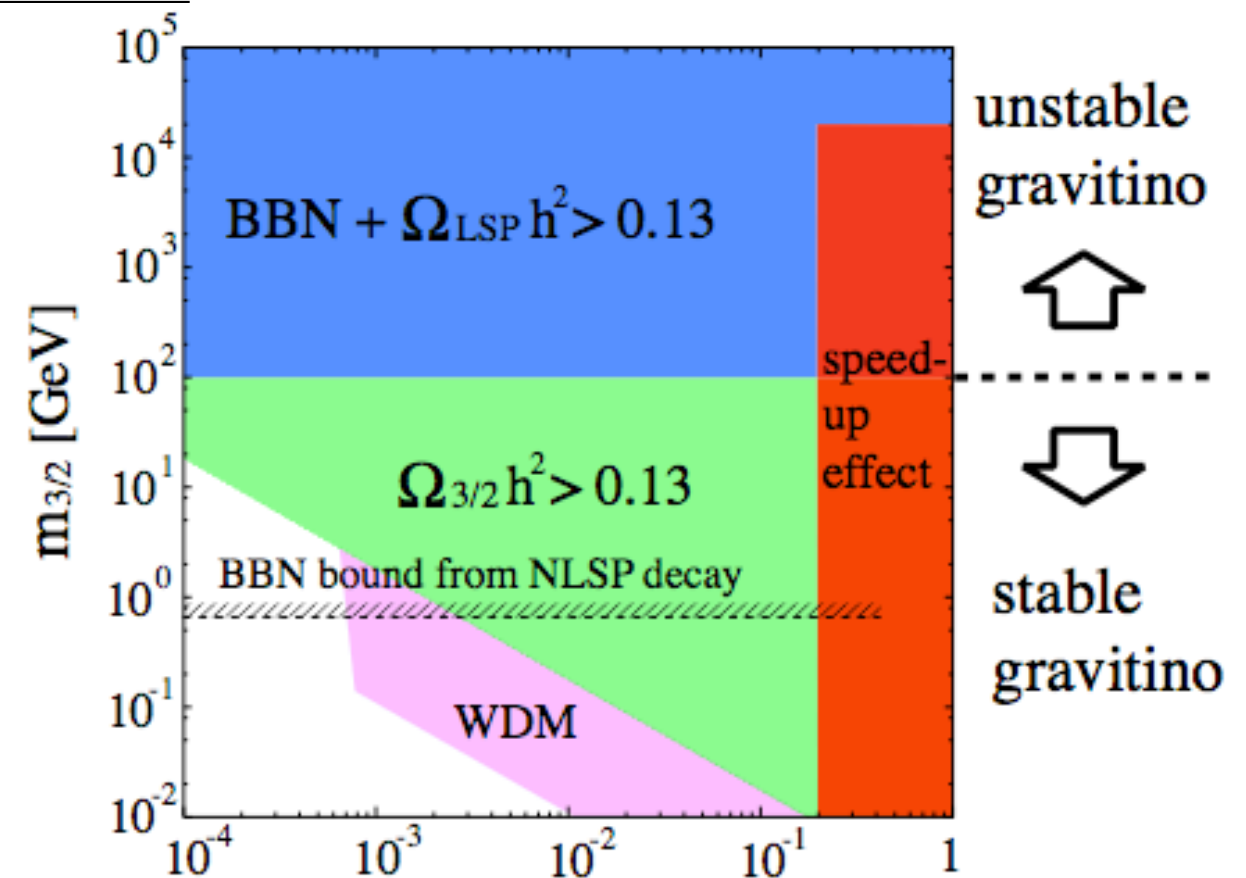
$$\Gamma(X_{R,I} \rightarrow 2\psi_{3/2}) \simeq \frac{1}{288\pi} \frac{|G_X|^2}{g_{X\bar{X}}} \frac{m_X^5}{m_{3/2}^2},$$

Generically, $|G_X| > m_{3/2}/m_X$

----> $\text{Br}(X \rightarrow 2 \text{ gravitinos}) \simeq \mathcal{O}(1) !!!$

====> **Serious problems,**

even if $T_X > 1 \text{ MeV}$.



$B_{3/2}$ Endo, KH, Takahashi, '06

$m_{\text{NLSP}} = 100 \text{ GeV}$. We have chosen $m_X = 10^3 \text{ TeV}$ and $c = 1$ as representative values. The bounds become severer for larger m_X .

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^{10⁵}
solutions:

- ★ $2 m_{3/2} > m_X$
- ★ enhanced moduli total decay rate (e.g., low cut-off) ---> $\text{Br} \ll 1$
- ★ $|G_X| \ll m_{3/2} / m_X$
(by tuning Kahler potential)
- ★ no moduli domination (e.g., by $H_{\text{inf}} < m_X$)
- ★ etc...

m_{NLS}
 $c = 1$
for la

Main messages of this talk:

In SUSY models with **gravitino LSP + stau NLSP**,

 **$T_R > \text{a few } 10^8 \text{ GeV}$**

→ tested at **$7 \text{ TeV } 1\text{fb}^{-1}$** (\approx within 1.5 years !)

 Stau lifetime can be measured at the LHC.

(→ **T_R** may be determined,

assuming $\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq \Omega_{\text{DM}} h^2$. If not, → upper bound on T_R .)

* with entropy production Δ , replace $T_R \rightarrow T_R \times \Delta^{-1}$

outline

of this talk:

1 Introduction

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Introduction

We assume: SUSY + gravitino LSP + stau NLSP

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why SUSY?

- naturalness, coupling unification, DM,
- many non-SUSY scenarios for BSM → low E cut-off
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In SUSY Standard Model in SUGRA,.....

squarks : $\begin{pmatrix} \widetilde{u}_L \\ \widetilde{d}_L \end{pmatrix}_i \quad \widetilde{u}_{Ri} \quad \widetilde{d}_{Ri}$ sleptons : $\begin{pmatrix} \widetilde{\nu}_L \\ \widetilde{e}_L \end{pmatrix}_i \quad \widetilde{e}_{Ri}$

gauginos and higgsinos : $\widetilde{\chi}_i^0, \quad \widetilde{\chi}_i^\pm, \quad \widetilde{g}$

gravitino : \widetilde{G}

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neutral and color singlet

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excluded by direct detection experiments (cf. Falk, Olive, Srednicki'94)

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→ only **gravitino** or **neutralino** are allowed.

→ **NLSP becomes long-lived. We assume stau NLSP.**

(e.g., for $m_{\text{NLSP}} = 200 \text{ GeV}$, lifetime = $O(10\text{sec} - \text{day})$ for $m_{\text{gravitino}} = O(0.1 - 10 \text{ GeV})$)

..... realized in many attractive models

- GMSB (in particular, with messenger # > 1)
- Sweet Spot SUSY [Ibe, Kitano '07] (cf. R.Kitano's talk)
- F-theory GUT [Marsano, Saulina, Schafer-Nameki '08 / Heckman, Shao, Vafa '10]

Probing T_R at the LHC with long-lived staus ??

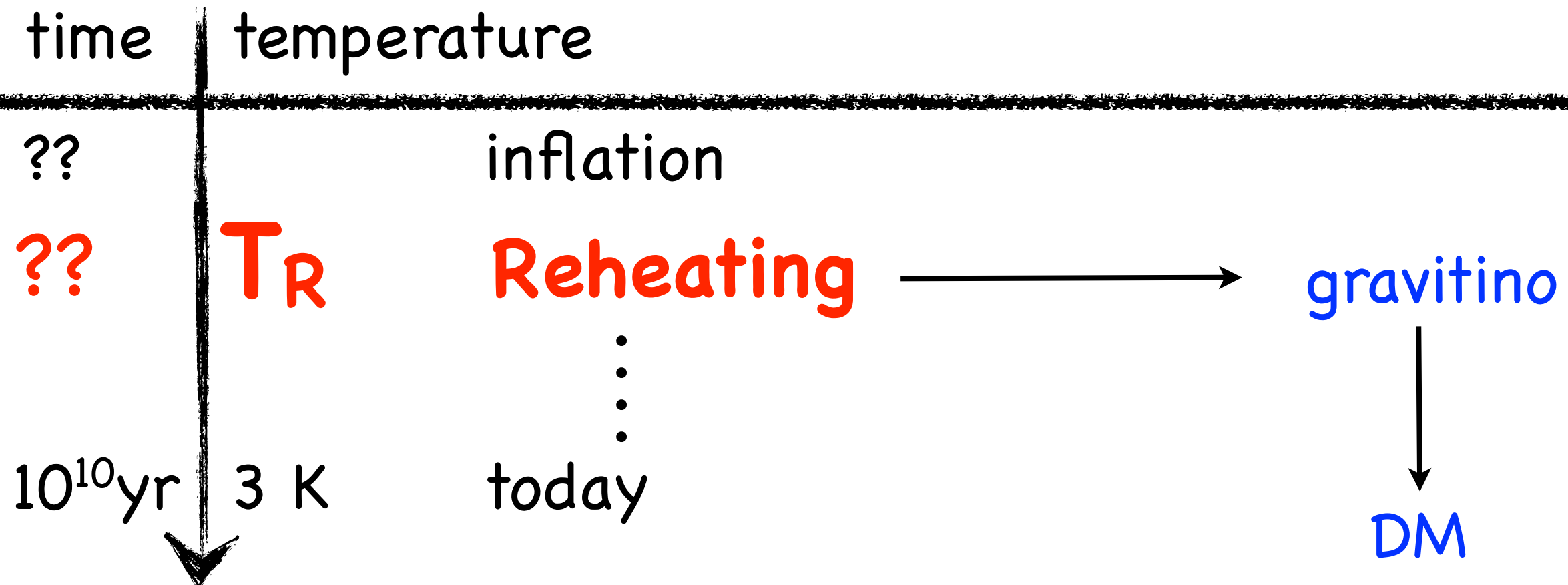
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(thermally produced)

POINT: gravitino abundance is determined by T_R .



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$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

$$\leq \Omega_{\text{DM}} h^2 = 0.11$$

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info at the LHC

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comments

(1) bino and wino contributions are usually small,
→ becomes comparable if $m_{\text{wino/bino}} \simeq m_{\text{gluino}}$.

$$\Omega_{3/2} h^2 \simeq \left(\frac{1 \text{ GeV}}{m_{3/2}} \right) \left(\frac{T_R}{10^8 \text{ GeV}} \right) \times \left[0.14 \left(\frac{m_{\tilde{B}}}{1 \text{ TeV}} \right)^2 + 0.38 \left(\frac{m_{\tilde{W}}}{1 \text{ TeV}} \right)^2 + 0.34 \left(\frac{m_{\tilde{g}}}{1 \text{ TeV}} \right)^2 \right],$$

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(2) “no entropy production” is assumed.

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→ replace $T_R \rightarrow T_R \times \Delta^{-1}$ in the following discussion.

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(3) other contributions to DM.

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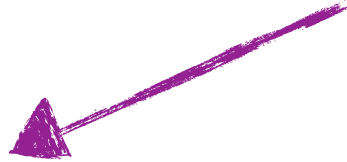
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- stau NLSP decay: small for $m_{\text{stau}} < 1 \text{ TeV}$.
- inflaton decay: small for large T_R [cf. Endo, Kawasaki, Takahashi, Yanagida '06-'07]
- decay of SUSY field [cf. R.Kitano's talk]: can be large depending on SUSY sector

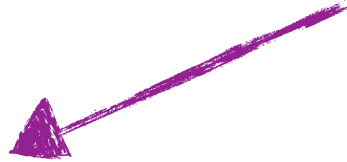
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→ in the simplest case, $\Omega_{\tilde{G}}^{\text{thermal}} h^2 = \Omega_{\text{DM}} h^2 \simeq 0.1$

..... if not, $\Omega_{\tilde{G}}^{\text{thermal}} h^2 \leq \Omega_{\text{DM}} h^2$ (→ upper bound on T_R)

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LHC

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????

LHC

- 2 use upper bound from BBN
- 3 stau lifetime \rightarrow gravitino mass

2

Probing **high T_R scenario**
at the LHC with long lived stau.

M.Endo, KH, K.Nakaji, arXiv:1008.2307

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thermal leptogenesis: $T_R > O(10^9)$ GeV

non-thermal leptogenesis: $T_R > O(10^6)$ GeV

some typical inflation models: $T_R = O(10^4-10^{13})$ GeV

.....

---> any signal at the LHC ???

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Logic [Fujii, Ibe, Yanagida,'04]

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→ upper bound on **gravitino mass**

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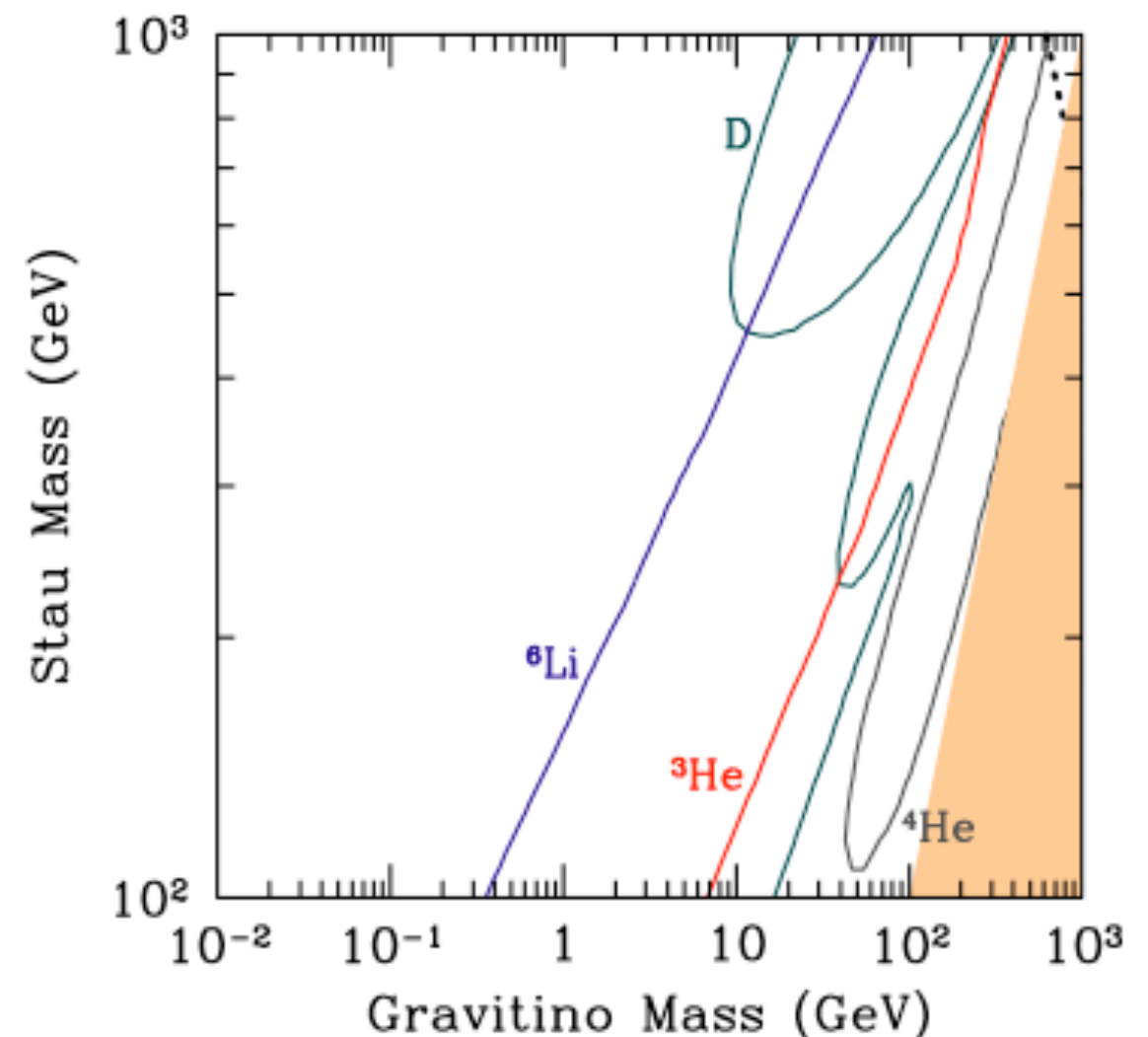
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Assuming:

thermal relic abundance of stau

If not: the bound is relaxed.



Kawasaki, Kohri, Moroi, Yotsuyanagi,'08

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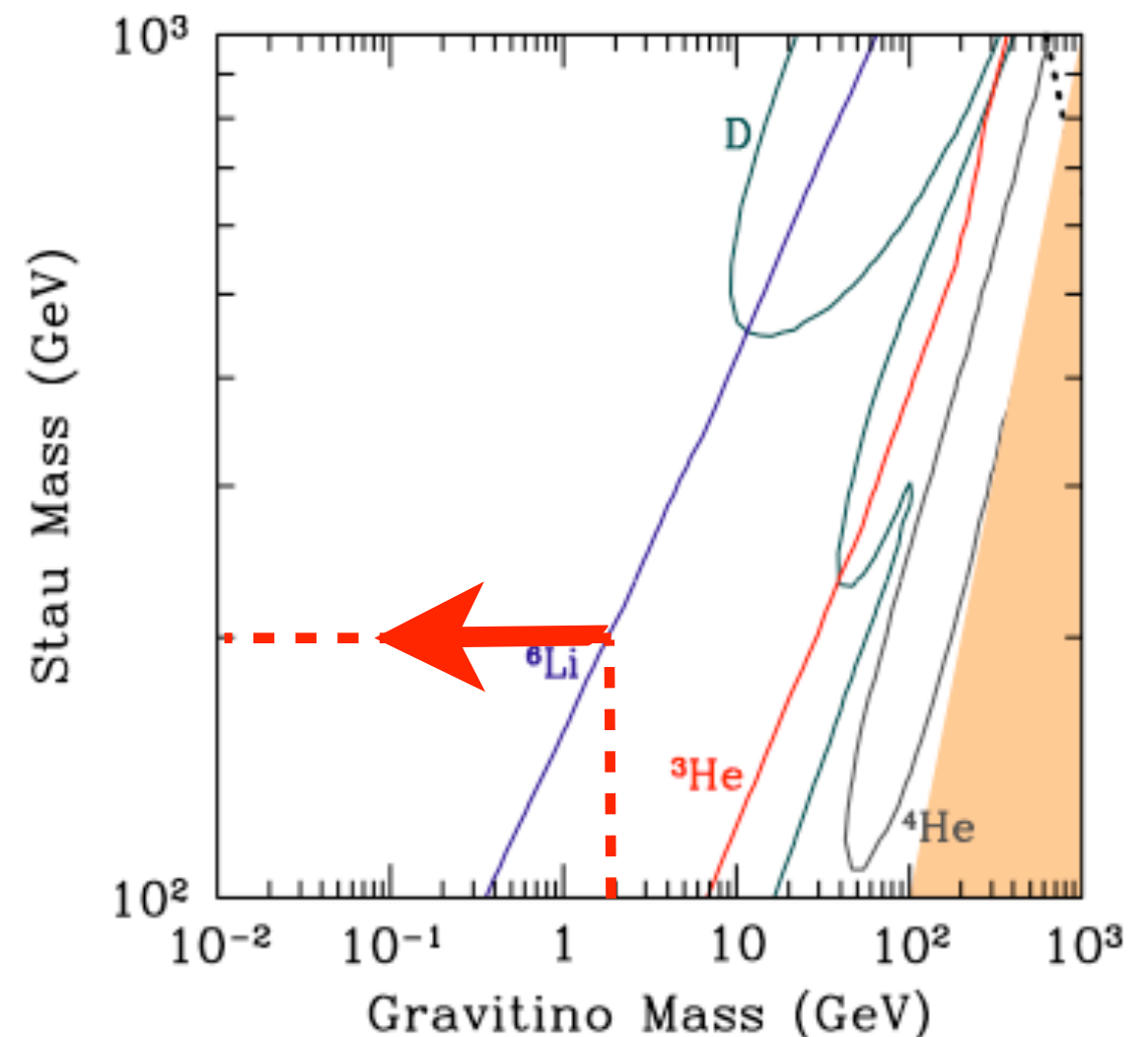
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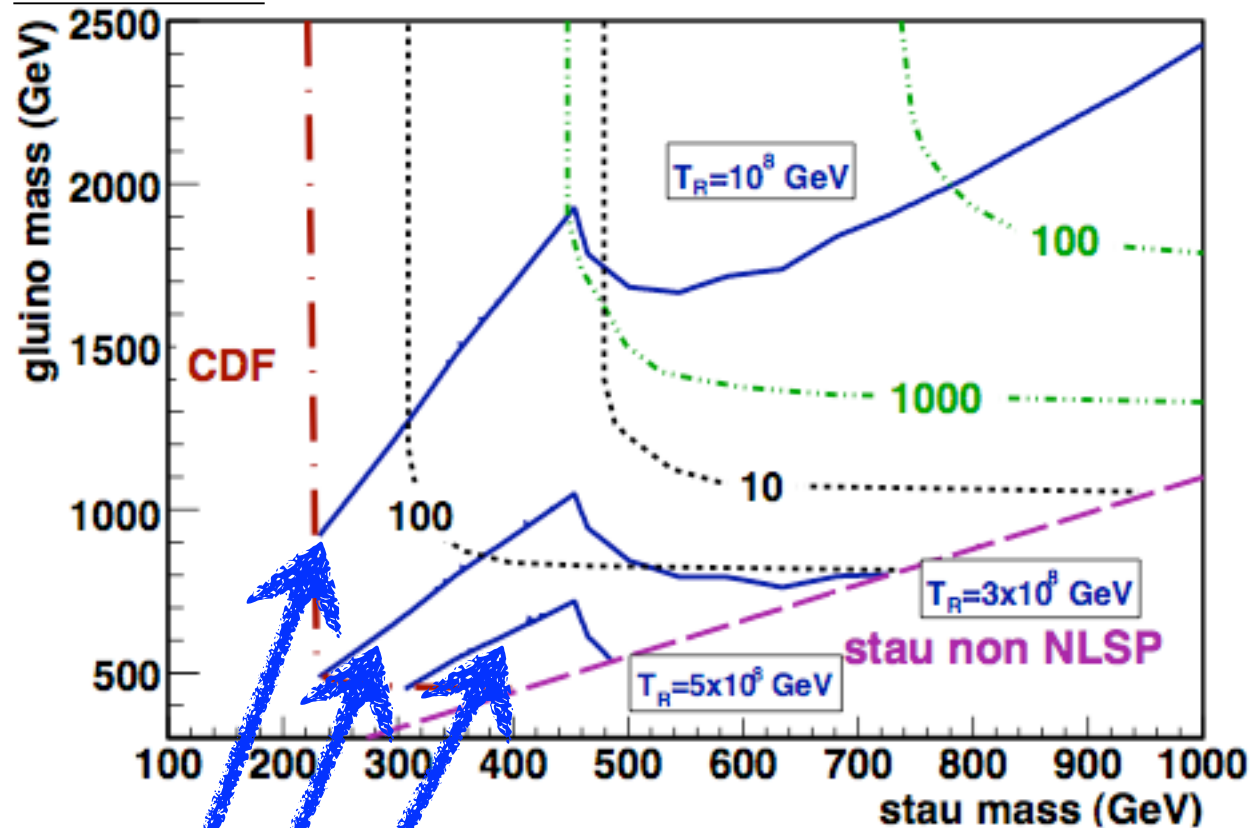
(2) + for a given **T_R**

→ upper bound on **gluino mass**

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Result



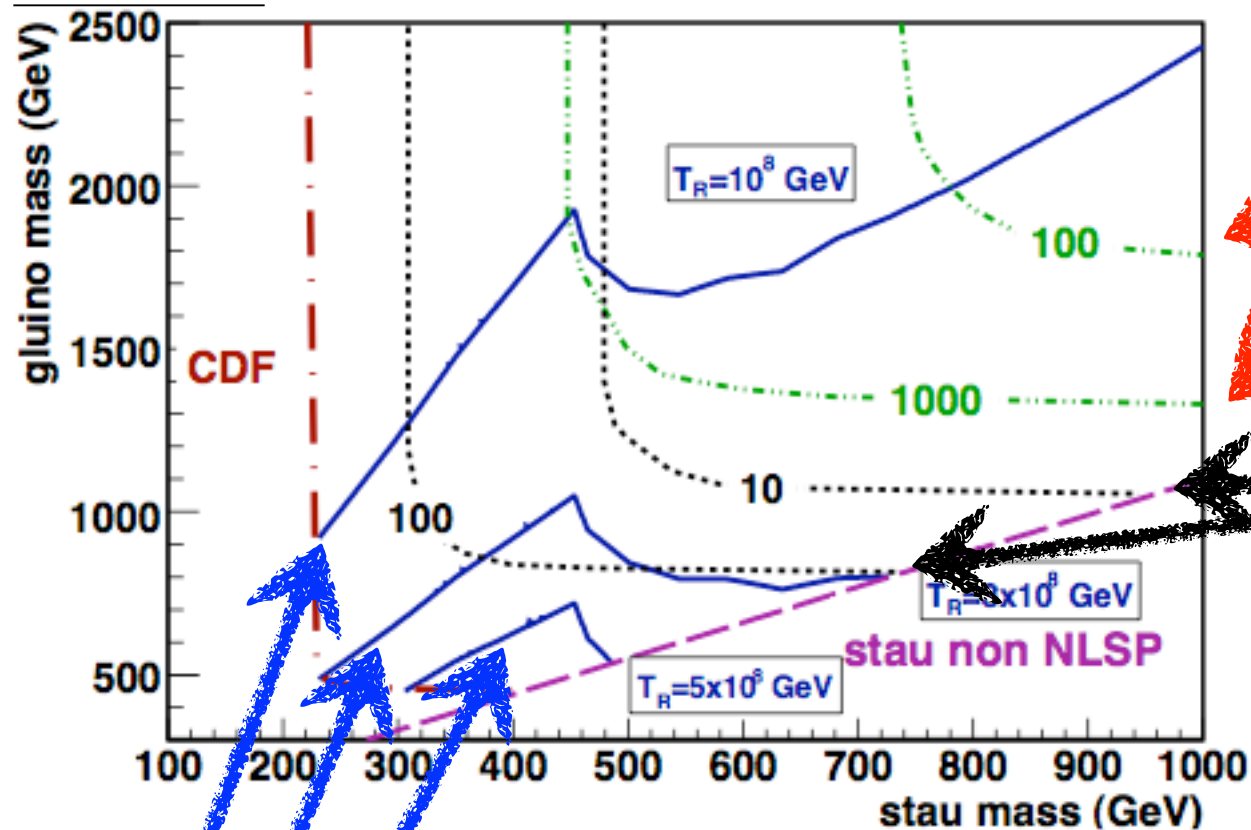
upper bound on the gluino mass for given T_R

Note: taken $m(\text{bino})=m(\text{wino})=1.1m(\text{stau})$ to have conservative bound on T_R .

Probing high T_R scenario at the LHC with long lived stau.

M.Endo, KH, K.Nakaji,
arXiv:1008.2307

Result



(a)

of produced staus
at 14 TeV 10fb^{-1}

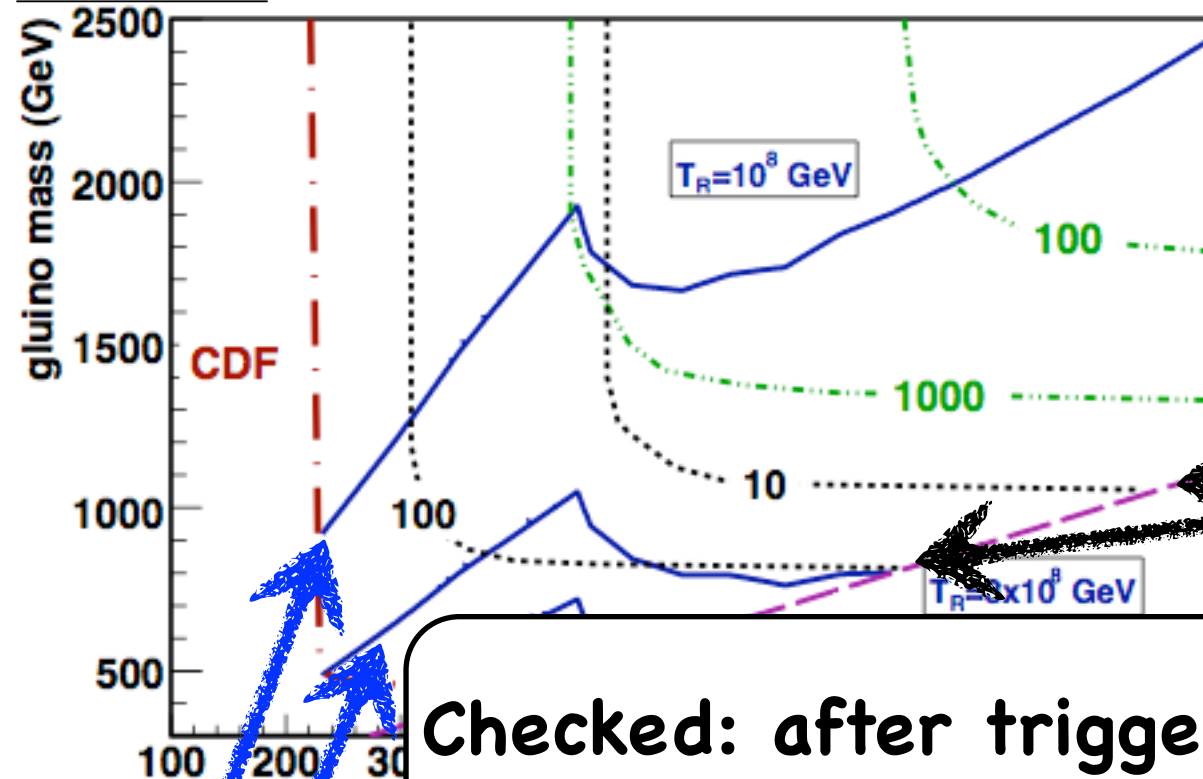
of produced staus
at 7 TeV 1fb^{-1}

upper bound on the gluino mass for given T_R

Probing **high T_R scenario** at the LHC with long lived stau.

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arXiv:1008.2307

Result



of produced staus
at 14 TeV 10fb^{-1}

of produced staus
at 7 TeV 1fb^{-1}

Checked: after triggers and cuts, 20-50% events remain.

trigger assumption:

- >=1 isolated e ($p_T > 20\text{GeV}$), or
- >=1 isolated mu ($p_T > 40\text{GeV}$), or
- >=1 isolated tau ($p_T > 100\text{GeV}$), or
- >=1 isolated stau ($p_T > 40\text{ GeV}$ and $\beta > 0.7$, $\eta < 1.0$ or $\beta > 0.8$, $\eta < 2.8$), or
- >=2 staus ($p_T > 40\text{ GeV}$ and $\beta > 0.7$, $\eta < 1.0$ or $\beta > 0.8$, $\eta < 2.8$)

stau cuts assumptions:

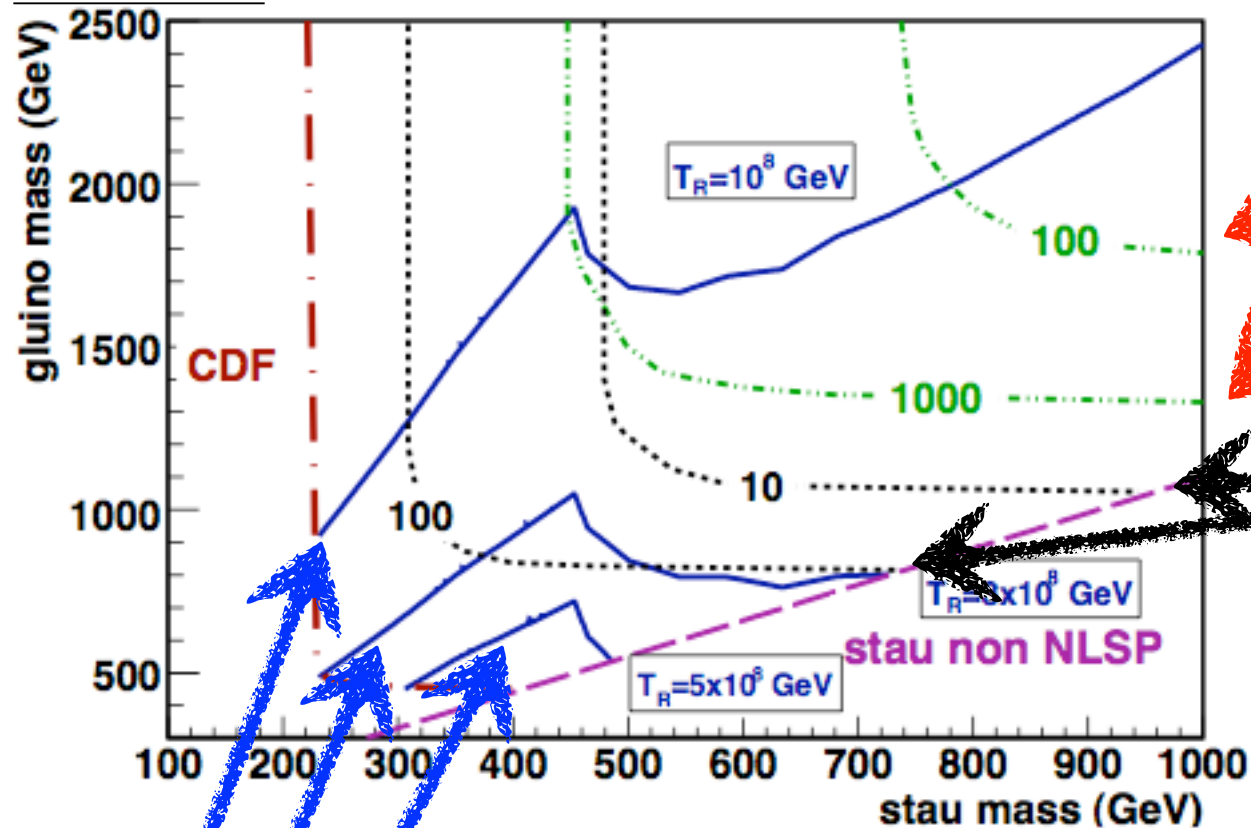
$p_T > 20\text{ GeV}$ & $\eta < 2.5$ & $0.5 < \beta < 0.9$ -> **almost background free!**

upper k

Probing high T_R scenario at the LHC with long lived stau.

M.Endo, KH, K.Nakaji,
arXiv:1008.2307

Result



of produced staus
at 14 TeV 10fb^{-1}

of produced staus
at 7 TeV 1fb^{-1}

$T_R > \text{a few } 10^8 \text{ GeV}$
can be probed
at 7 TeV 1fb^{-1} !!!

upper bound on the gluino mass for given T_R

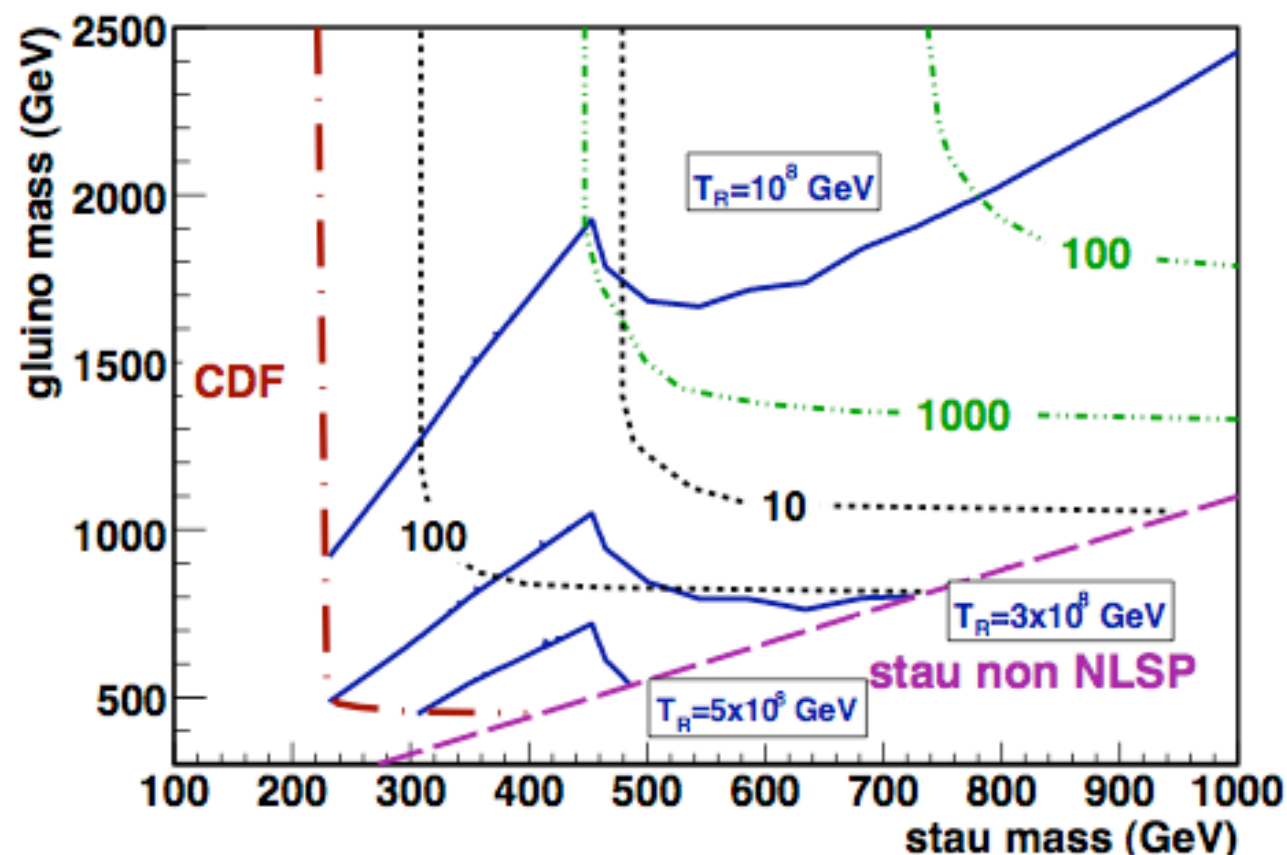
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arXiv:1008.2307

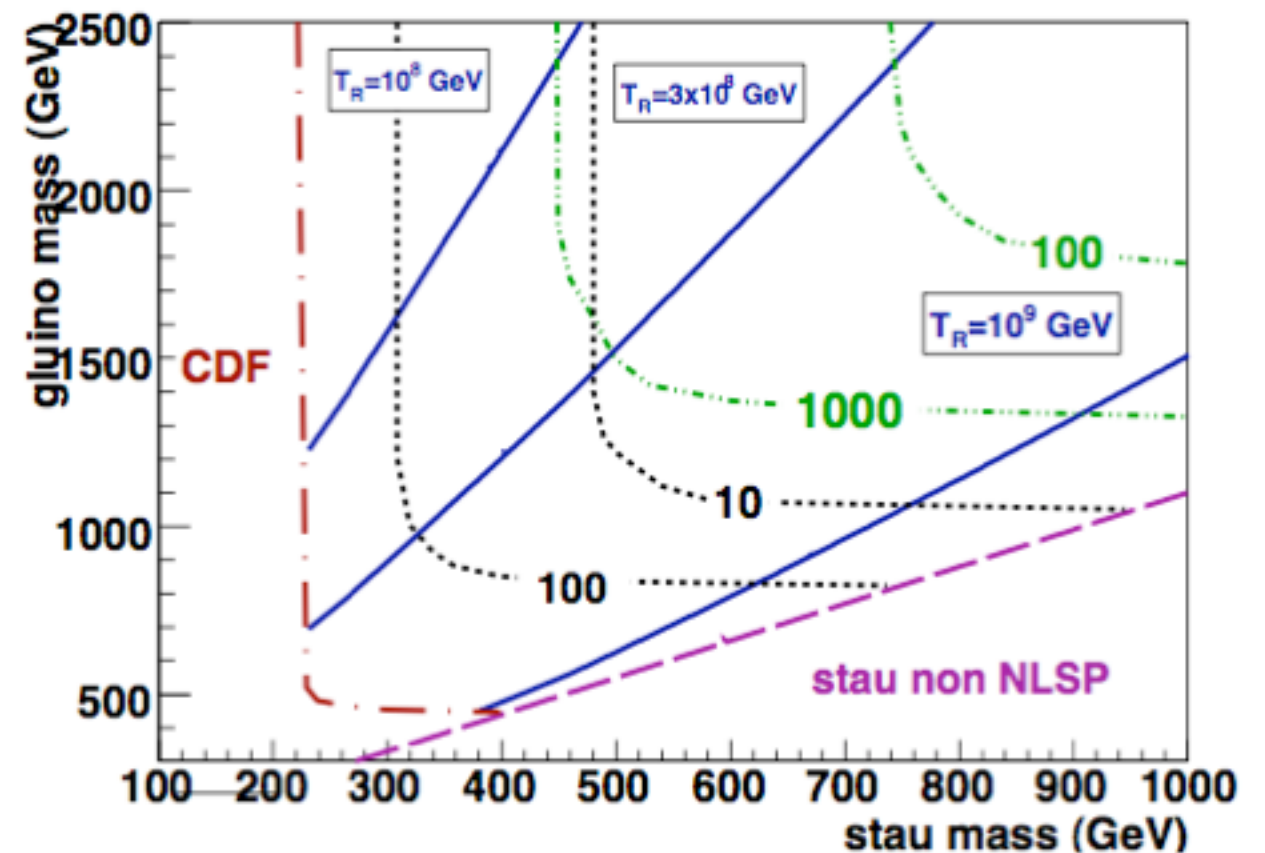
COMMENT

- So far we've assumed that the stau annihilation is dominated by EW process (which is usually the case)
- but if the stau-higgs coupling is extremely enhanced, stau abundance can be reduced (BBN bound is relaxed).

[Ratz, Schmidt-Hoberg, Winkler,'08, Pradler, Steffen,'08]



(a) = normal case



(b) = reduced Y_{stau}



3 stau lifetime measurement (and T_R)

S.Asai, KH, S.Shirai, [arXiv:0902.3754] PRL,103,141803
+ M.Endo, KH, K.Nakaji, in progress

see also earlier work on "stopping gluinos" [hep-ph/0506242]
Arvanitaki, Dimopoulos, Pierce, Rajendran, Wacker

Many independent motivations to measure
the **lifetime of long-lived charged massive particles....**

- Planck scale measurement, if m_G is determined by kinematics
[Buchmuller, KH, Ratz, Yanagida,'08]
- Test of FIMP mechanism [cf. talks by T.Moroi and L.Hall]
- Li problem/solution [cf. talk by K.Olive]
- etc etc

3

stau lifetime measurement (and T_R)

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$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

So far we've used only the upper bound: $m_{\tilde{G}} \leq m_{\tilde{G}}^{\text{max}}(m_{\tilde{\tau}})$

... Can we determine gravitino mass more directly??

---> stau lifetime measurement!!

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{\mathbf{T_R}}{10^8 \text{ GeV}} \right)$$

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$$= \Omega_{\text{DM}} h^2 = 0.11$$

↑ assumption

(if not, $T_R \rightarrow T_R^{\text{max}}$)

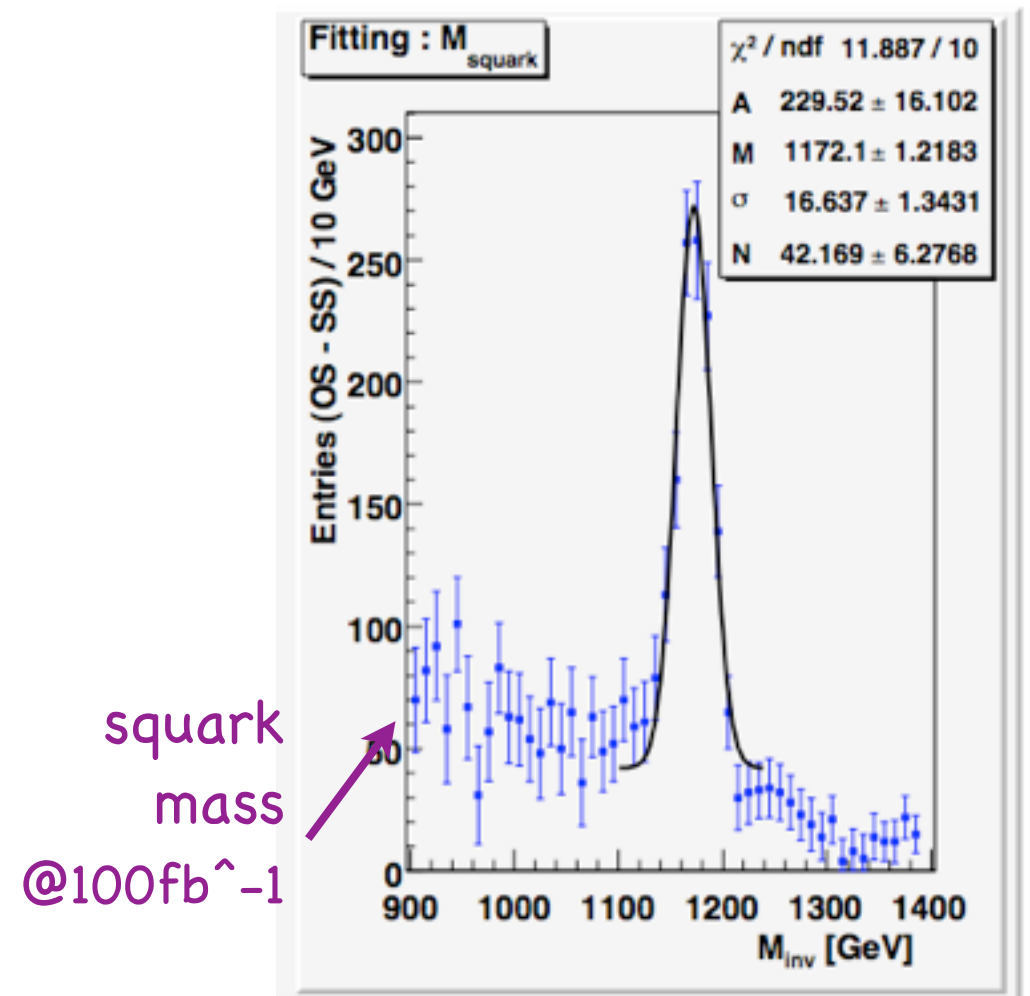
$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

$$= \Omega_{\text{DM}} h^2 = 0.11$$

↑ assumption

(if not, $T_R \rightarrow T_R^{\text{max}}$)

by invariant mass method
[cf. Ito, Kitano, Moroi, '09]



Glino mass is more difficult but should be possible at high luminosity

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_{\text{R}}}{10^8 \text{ GeV}} \right)$$
$$= \Omega_{\text{DM}} h^2 = 0.11$$

↑ assumption

(if not, $T_{\text{R}} \rightarrow T_{\text{R}}^{\text{max}}$)

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

$$= \Omega_{\text{DM}} h^2 = 0.11$$



assumption

(if not, $T_R \rightarrow T_R^{\text{max}}$)

$$\tau_{\tilde{\tau}} = \frac{48\pi M_{\text{pl}}^2 m_{\tilde{G}}^2}{m_{\tilde{\tau}}^5}$$

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

$$= \Omega_{\text{DM}} h^2 = 0.11$$

↑ assumption

(if not, $T_R \rightarrow T_R^{\text{max}}$)

$$\tau_{\tilde{\tau}} = \frac{48\pi M_{\text{pl}}^2 m_{\tilde{G}}^2}{m_{\tilde{\tau}}^5}$$

by velocity measurement
(+ momentum measurement)

mass = $p/(\beta\gamma)$

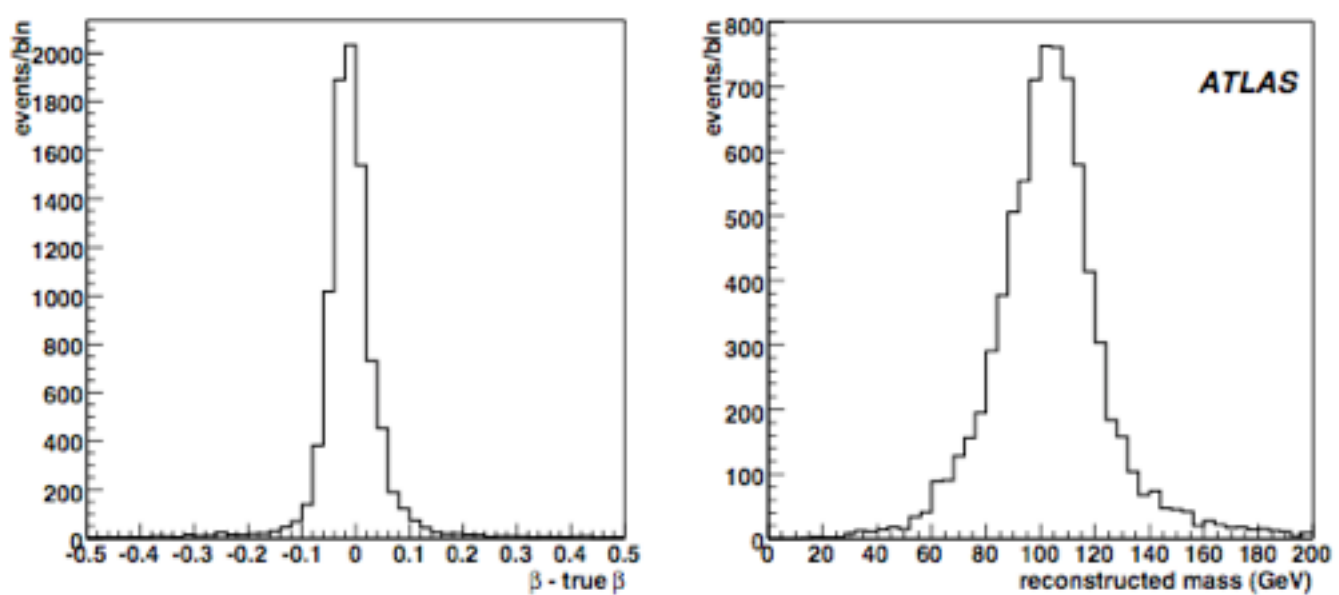


Figure 18: β resolution and reconstructed mass for sleptons from the GMSB5 sample.

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

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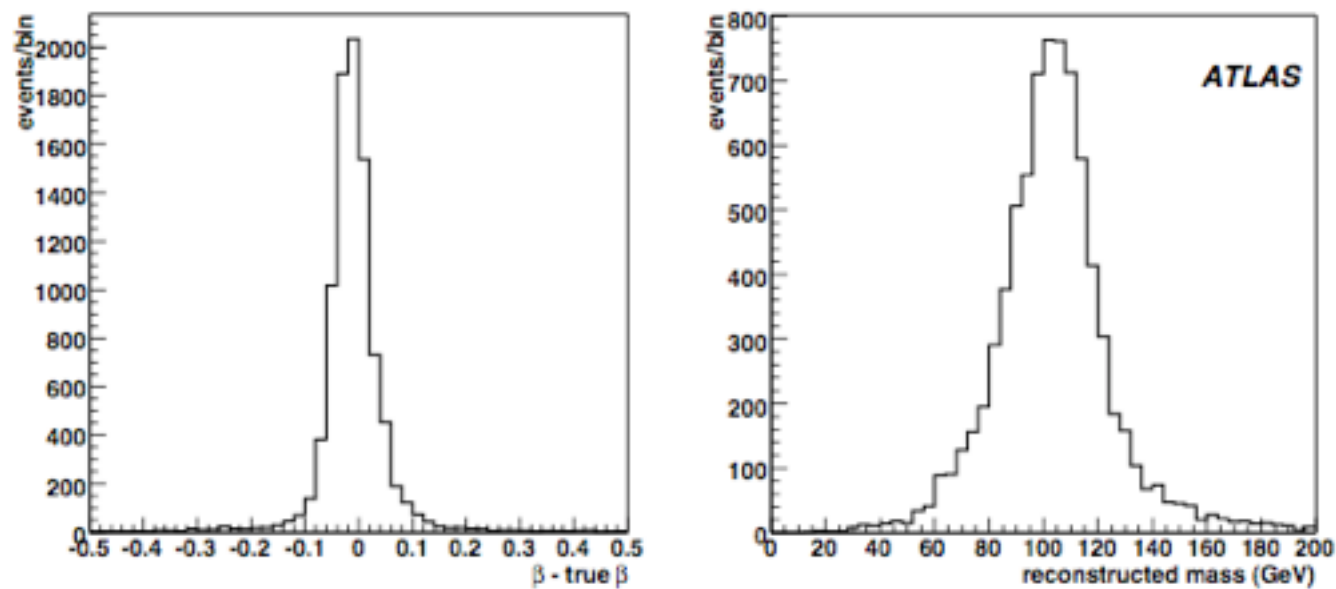
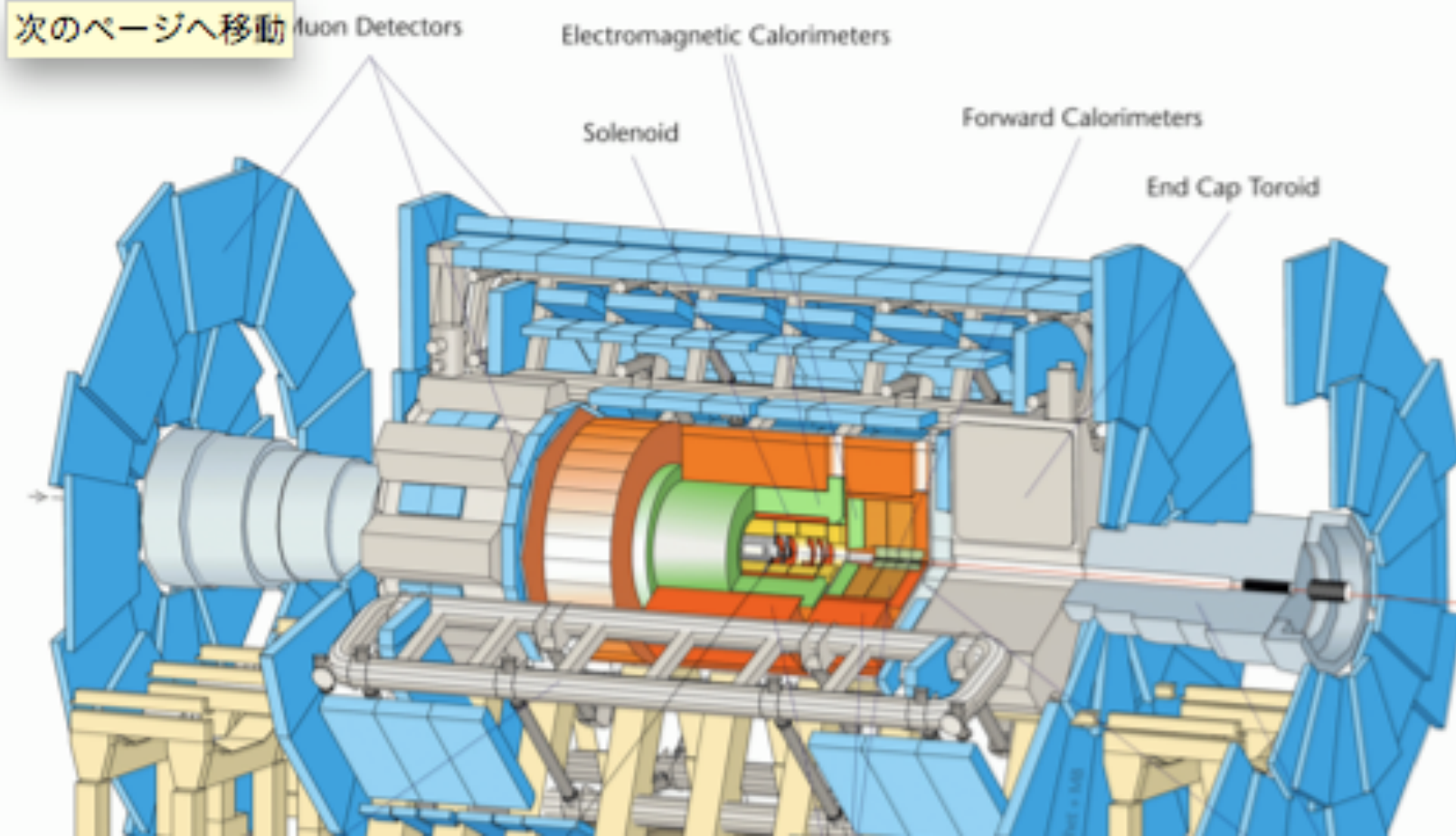


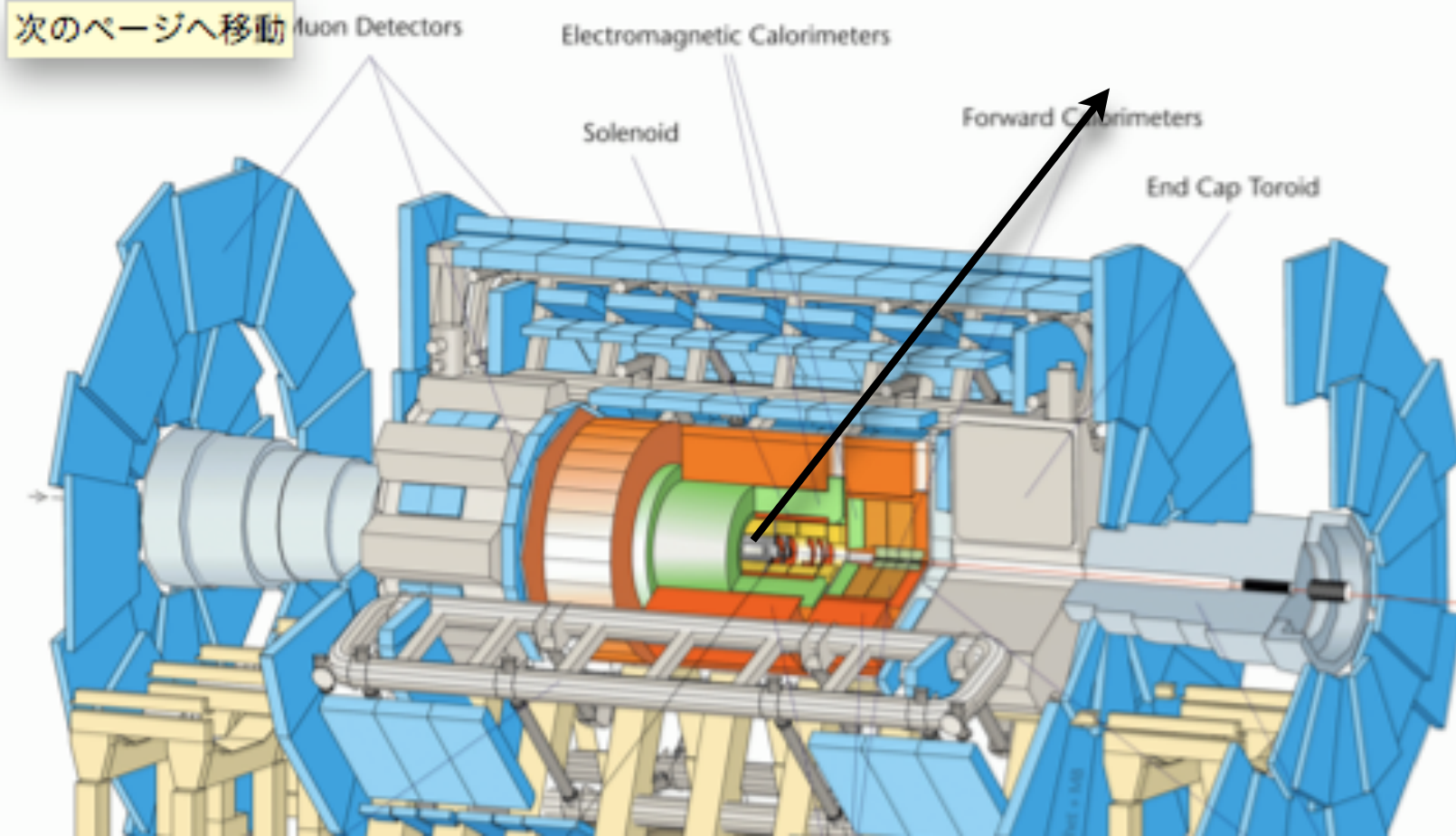
Figure 18: β resolution and reconstructed mass for sleptons from the GMSB5 sample.

- at the LHC,.....



stau lifetime measurement [Asai, KH, Shirai,'09]

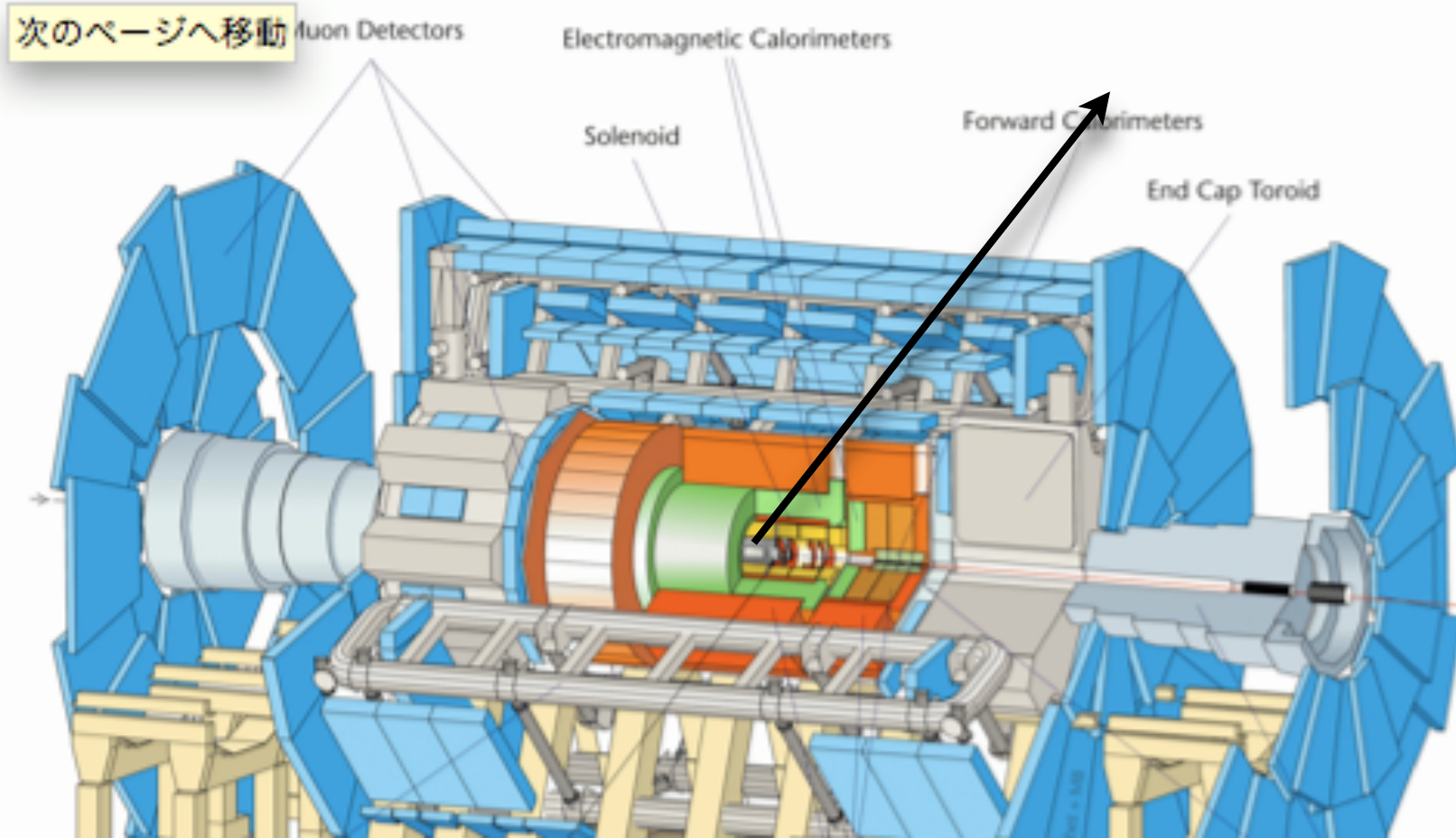
- typically most of staus have large velocity and escape from detector.



stau lifetime measurement [Asai, KH, Shirai,'09]

- typically most of staus have large velocity and escape from detector.

but we can't see its decay in these events....



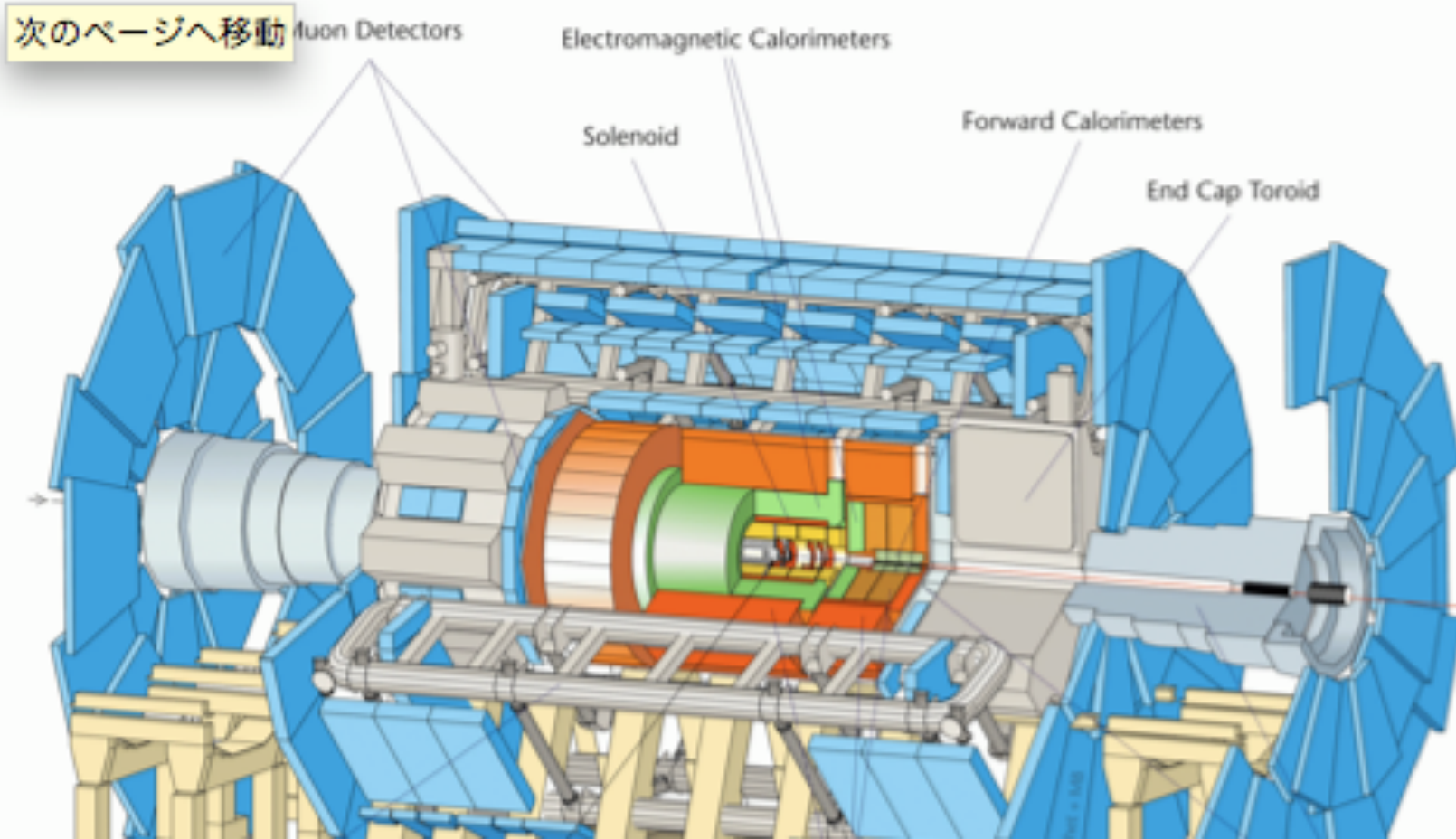
cf. proposals
to stop them
outside detector:

KH, Kuno, Nakaya, Nojiri,'04
Feng, Smith,'04
de Roeck, KH, Nojiri, '06

But not realistic now....

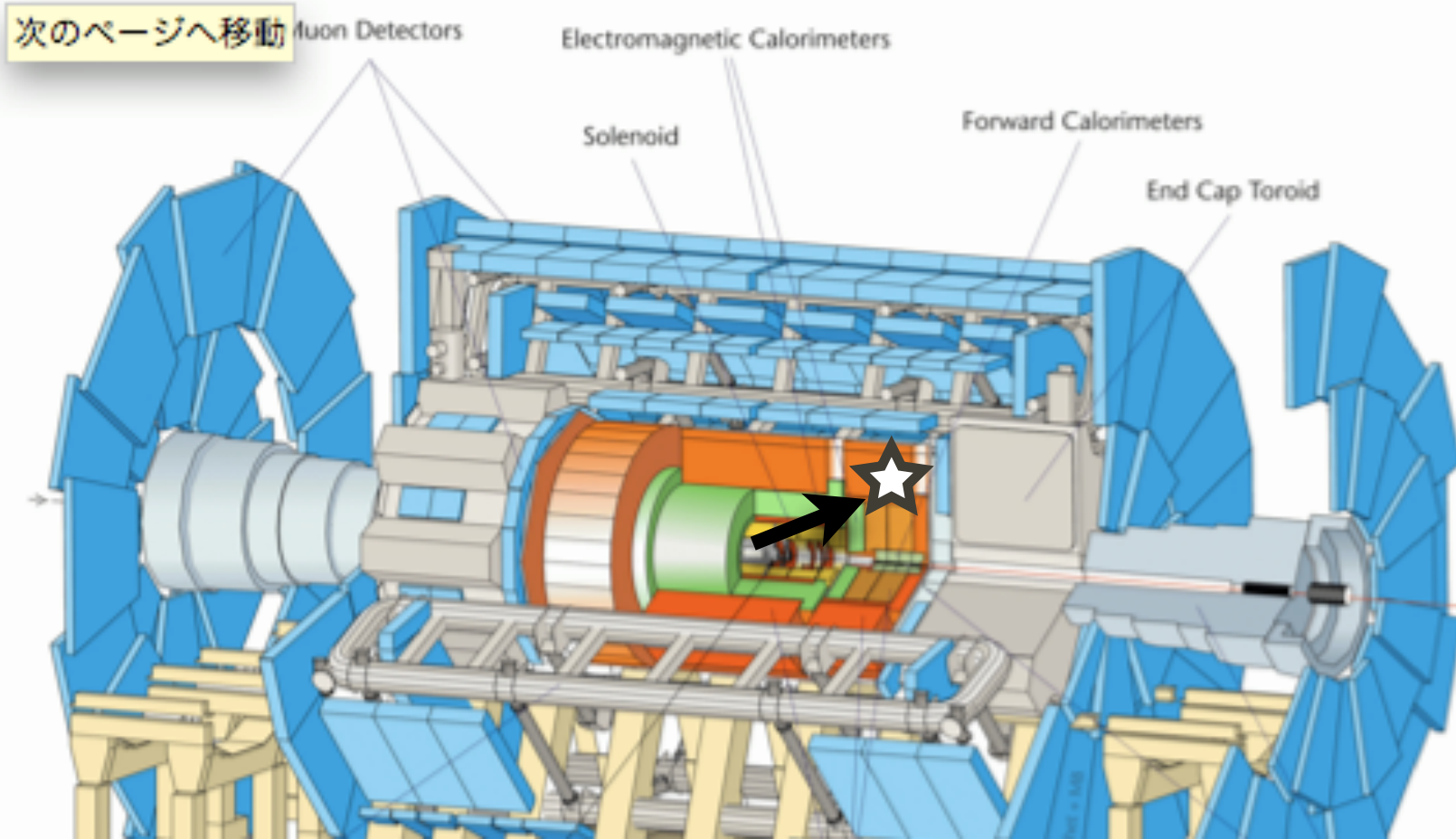
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- typically most of staus have large velocity and escape from detector.
- but some of them have sufficiently small velocity and stop at calorimeters.



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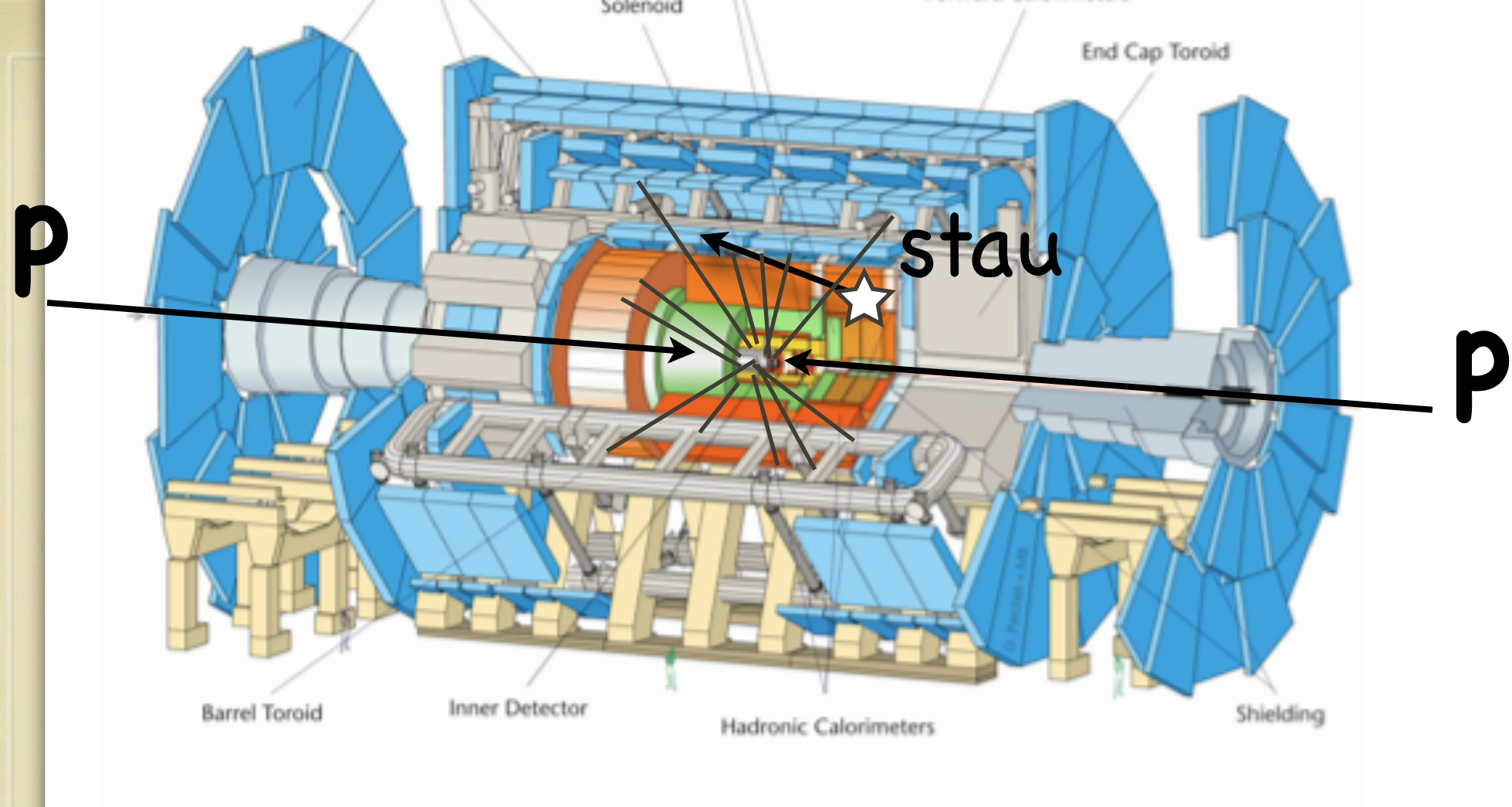


Figure 1-1 Overall layout of the ATLAS detector.

- but their late-time decay has **wrong timing** and **wrong direction**;
- **difficult** to reject **backgrounds**
- **difficult** to **trigger**.

..... during pp collision.

Idea:

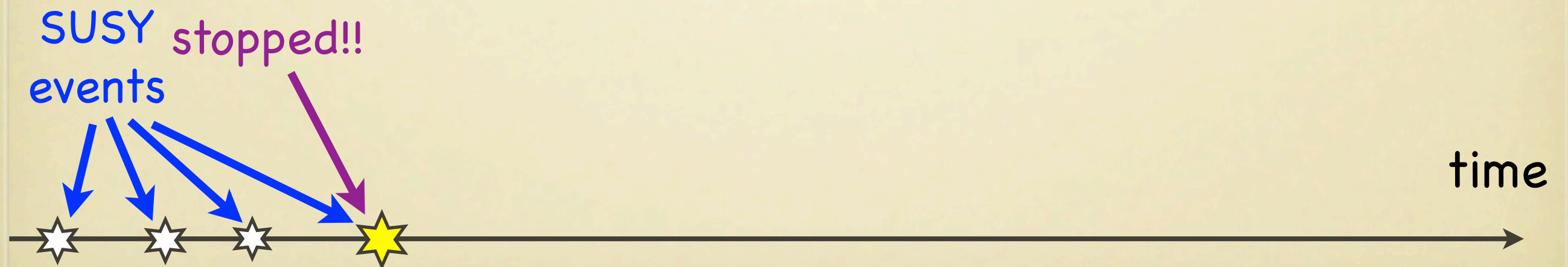
use periods of no pp collision !!

possible strategies:

- for short lifetime: use beam-dump signal.
(or use empty bunch [CMS study, '09])
- for long lifetime: use shutdown time.

- for short lifetime: use **beam-dump signal**.

(I) select the stopping event by **online Event Filter**.



- for short lifetime: use **beam-dump signal**.

(I) select the stopping event by **online Event Filter**.

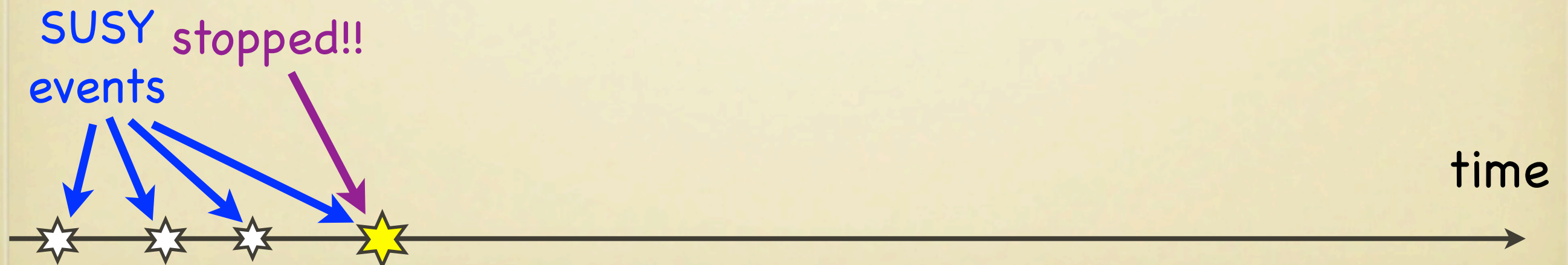
(1) missing $ET > 100 \text{ GeV}$

(2) 1 jet $PT > 100 \text{ GeV}$ + 2 jets $PT > 50 \text{ GeV}$

(3) isolated track with $PT > 0.1 \text{ m(stau)}$.

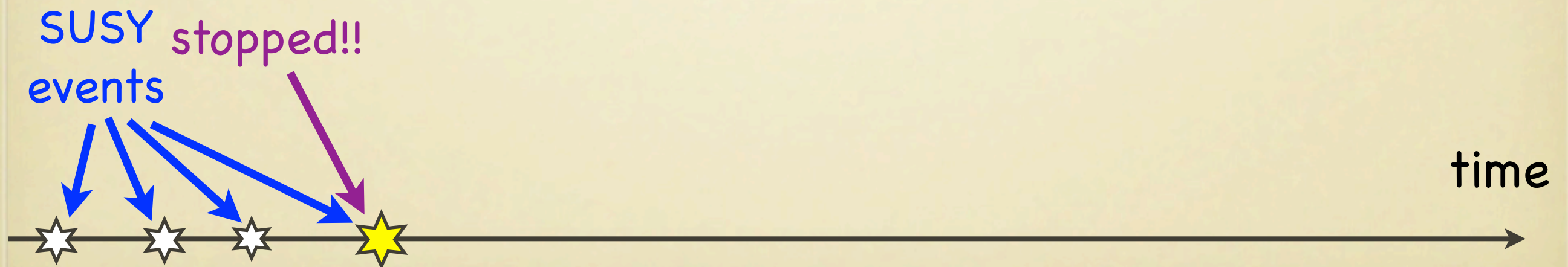
(4) extrapolate the track to calorimeter and energy deposit $< 0.2 \text{ p(stau)}$.

(5) extrapolate the track to muon system and no muon track.



- for short lifetime: use **beam-dump signal**.

(I) select the stopping event by **online Event Filter**.

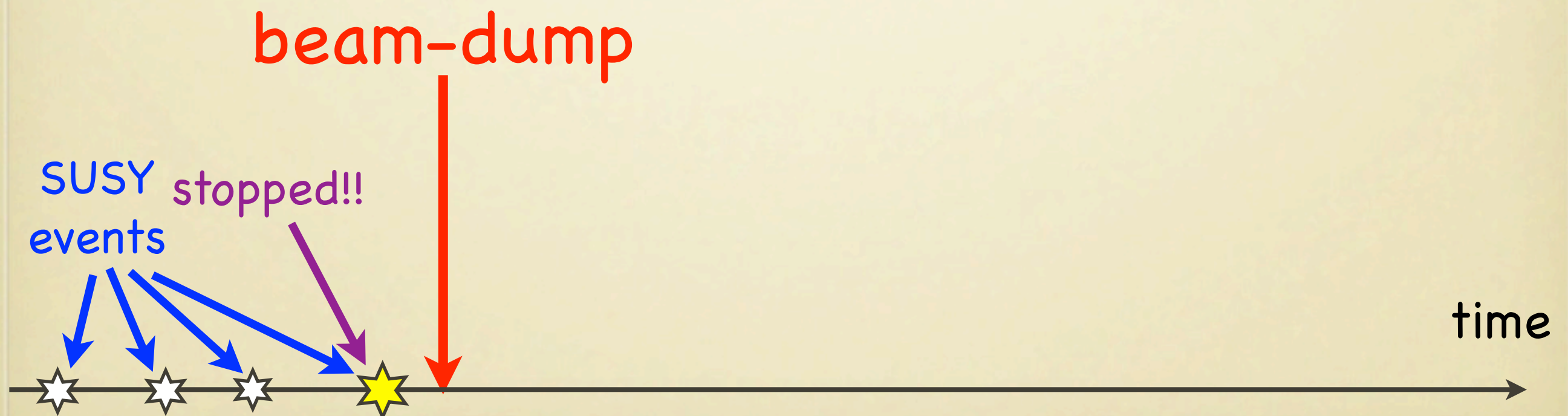


- for short lifetime: use **beam-dump** signal.

(I) select the stopping event by **online Event Filter**.

(II) send a **beam-dump** signal, which immediately stops the pp collision.

trigger



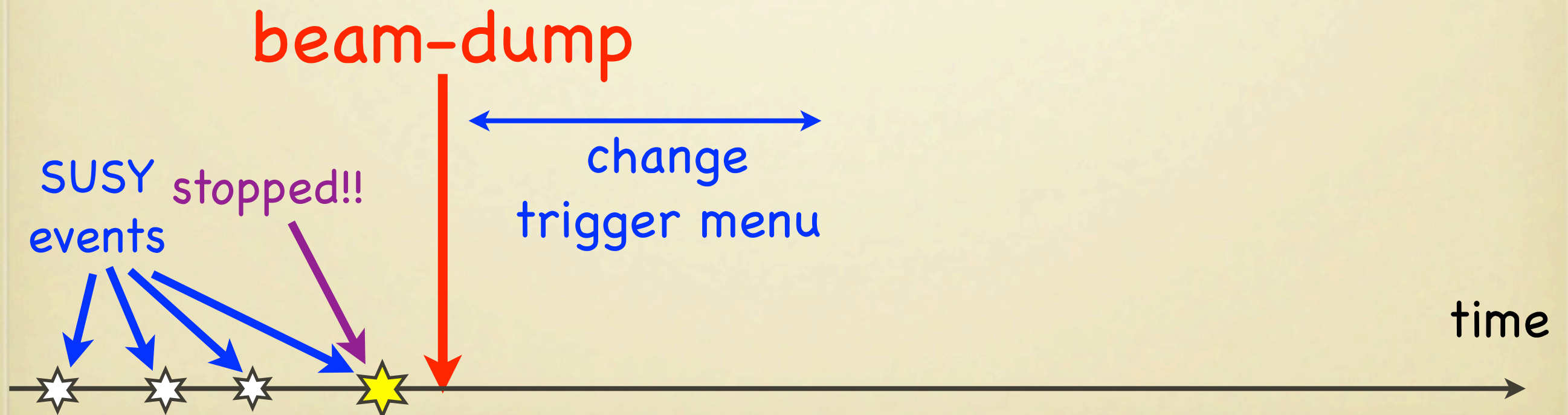
- for short lifetime: use **beam-dump signal**.

(I) select the stopping event by **online Event Filter**.

(II) send a **beam-dump signal**, which immediately **stops the pp collision**.

(III) **change the trigger menu** to the one optimized for stau decay.

trigger



- for short lifetime: use **beam-dump signal**.

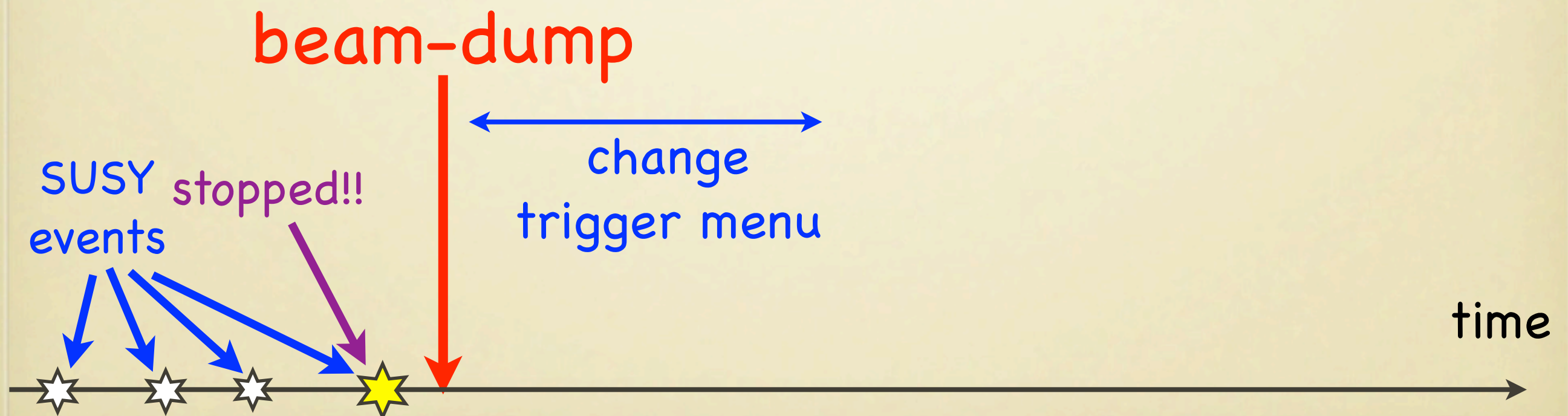
(I) select the stopping event by **online Event Filter**.

(II) send a **beam-dump signal**, which immediately **stops the pp collision**.

(III) **change the trigger menu** to the one optimized for stau decay.

(IV) **wait** for stau decay.

trigger



- for short lifetime: use **beam-dump signal**.

(I) select the stopping event by **online Event Filter**.

(II) send a **beam-dump signal**, which immediately **stops the pp collision**.

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- for short lifetime: use **beam-dump signal**.

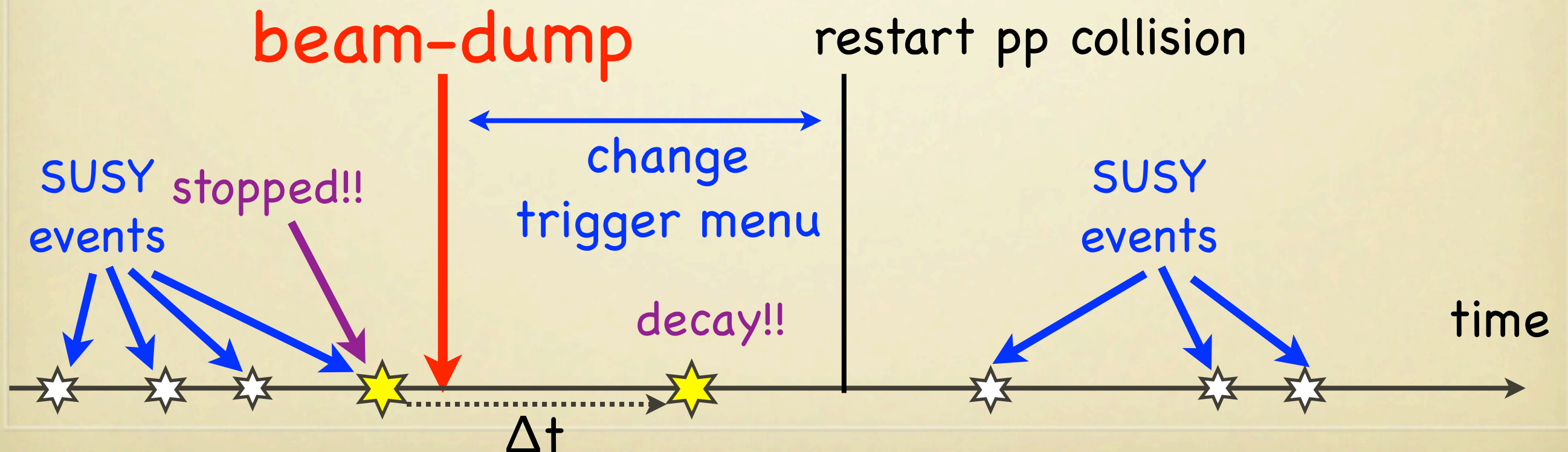
(I) select the stopping event by **online Event Filter**.

(II) send a **beam-dump signal**, which immediately **stops the pp collision**.

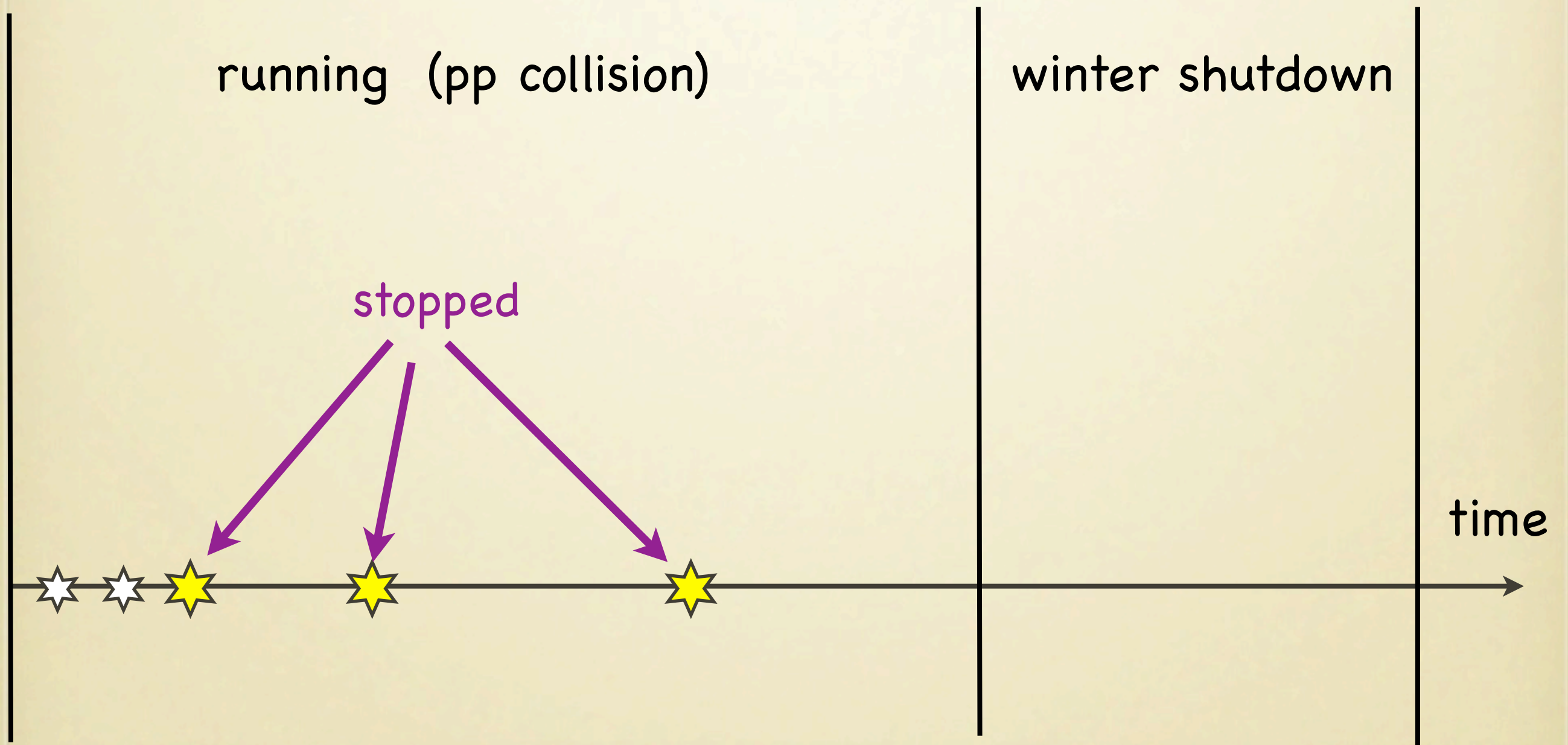
(III) **change the trigger menu** to the one optimized for stau decay.

(IV) **wait** for stau decay.

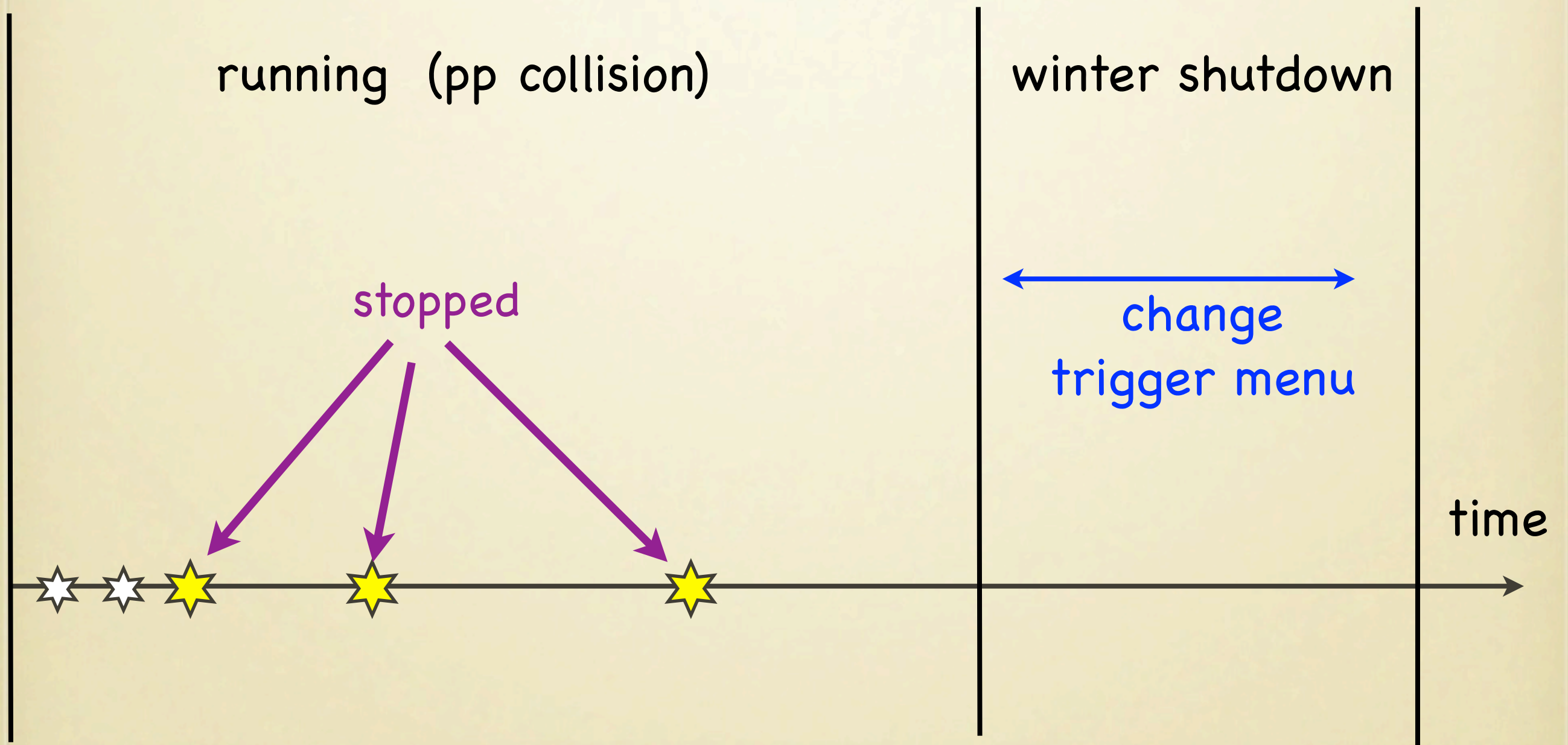
trigger



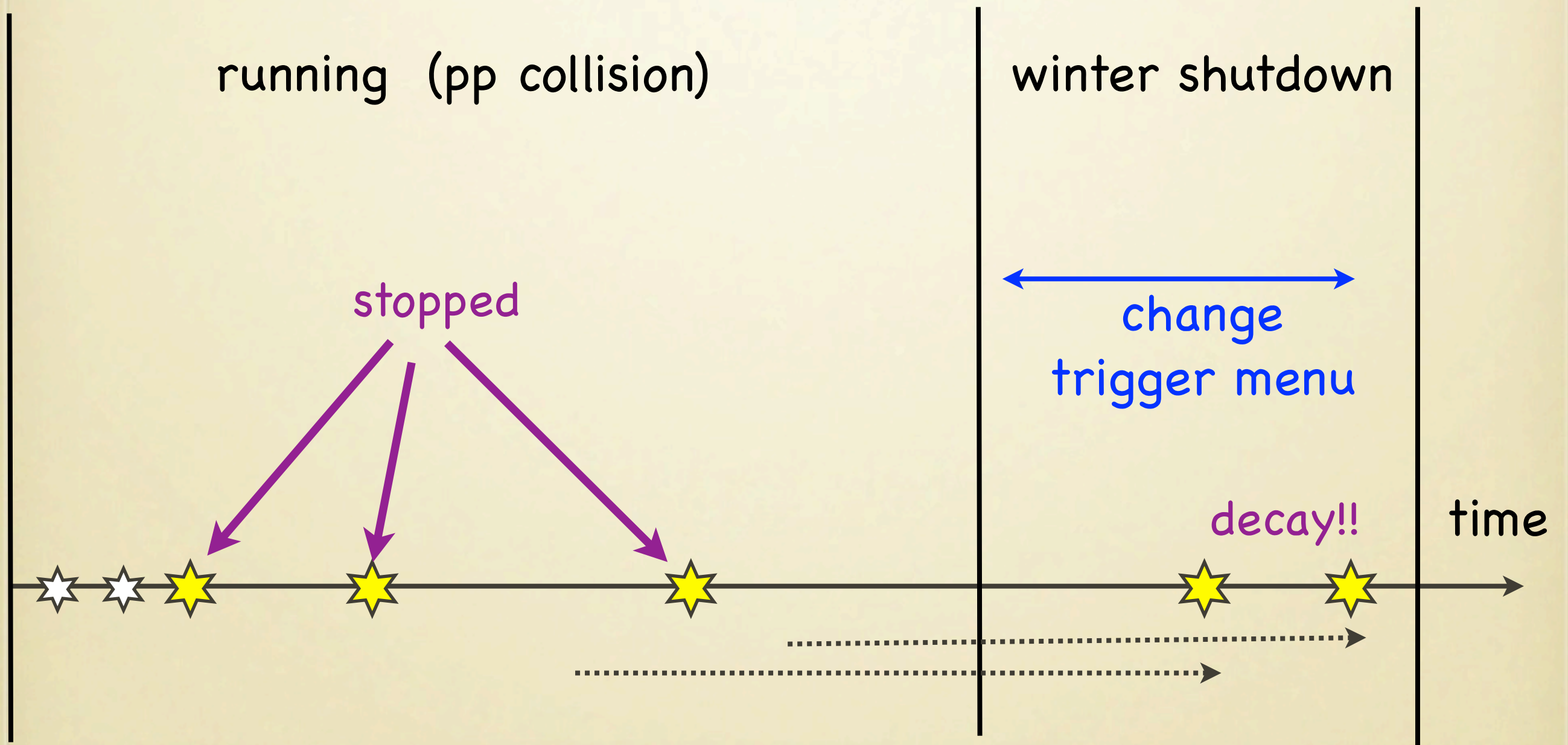
- for long lifetime: use shutdown time



- for long lifetime: use shutdown time



- for long lifetime: use shutdown time



lifetime measurement: Result

TABLE I: Expected statistical errors for each lifetime. $\langle N_D \rangle$ is the expected number of staus' decays in the corresponding period. For 100 fb^{-1} and $\tau_X \simeq \mathcal{O}(1) \text{ sec}$, the empty-bunch method will be useful. (See discussion below.) [SPS7 point, 1 year data]

	10 fb^{-1}		100 fb^{-1}	
lifetime	$\langle N_D \rangle$	σ	$\langle N_D \rangle$	σ
0.1 sec	0.008	$\pm 0.1 \text{ sec}$	-	-
0.2 sec	1.2	$\pm 0.15 \text{ sec}$	-	-
0.5 sec	23	$\pm 0.1 \text{ sec}$	-	-
1 sec	64	$\pm 0.1 \text{ sec}$	-	-
10 sec	156	$\pm 0.9 \text{ sec}$	-	-
100 sec	171	$\pm 9 \text{ sec}$	-	-
1000 sec	144	$^{+230}_{-170} \text{ sec}$	-	-
10 day	26	$\pm 2.2 \text{ day}$	262	$\pm 0.7 \text{ day}$
100 day	143	$^{+49}_{-25} \text{ day}$	1430	$^{+20}_{-13} \text{ day}$
10 year	14	$^{+7}_{-3} \text{ year}$	138	$^{+1.6}_{-1.2} \text{ year}$
50 year	2.8	$^{+110}_{-21} \text{ year}$	28	$^{+21}_{-12} \text{ year}$
300 year	0.5	-	5	$^{+224}_{-88} \text{ year}$

short



assumption

dead time: 1 sec
waiting time: 30 min.



long

running: 200 days
shutdown: 100 days

$\mathcal{O}(0.1 \text{ sec} \dots 100 \text{ years})$ can be probed!!

$$\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq 0.1 \left(\frac{3 \text{ GeV}}{m_{\tilde{G}}} \right) \left(\frac{m_{\text{gluino}}}{1 \text{ TeV}} \right)^2 \left(\frac{T_R}{10^8 \text{ GeV}} \right)$$

$$= \Omega_{\text{DM}} h^2 = 0.11$$



assumption

(if not, $T_R \rightarrow T_R^{\text{max}}$)

$$T_{\tilde{\tau}} = \frac{48\pi M_{\text{pl}}^2 m_{\tilde{G}}^2}{m_{\tilde{\tau}}^5}$$

can be determined
at the LHC !!!

SUMMARY

Main message of this talk:

In SUSY models with **gravitino LSP** + **stau NLSP**,

📌 $T_R > \text{a few } 10^8 \text{ GeV}$

→ tested at $7 \text{ TeV } 1\text{fb}^{-1}$ (\approx within 1.5 years !)

📌 Stau lifetime can be measured at the LHC.

(→ T_R may be determined,

assuming $\Omega_{\tilde{G}}^{\text{thermal}} h^2 \simeq \Omega_{\text{DM}} h^2$. If not, → upper bound on T_R .)

* with entropy production Δ , replace $T_R \rightarrow T_R \times \Delta^{-1}$

DISCUSSION

gravitational wave may probe TR (and dilution).

[Nakayama, Saito, Suwa, Yokoyama, \[arXiv:0804.1827\] JCAP0806\(2008\)020](#)

[cf. talk on Monday]

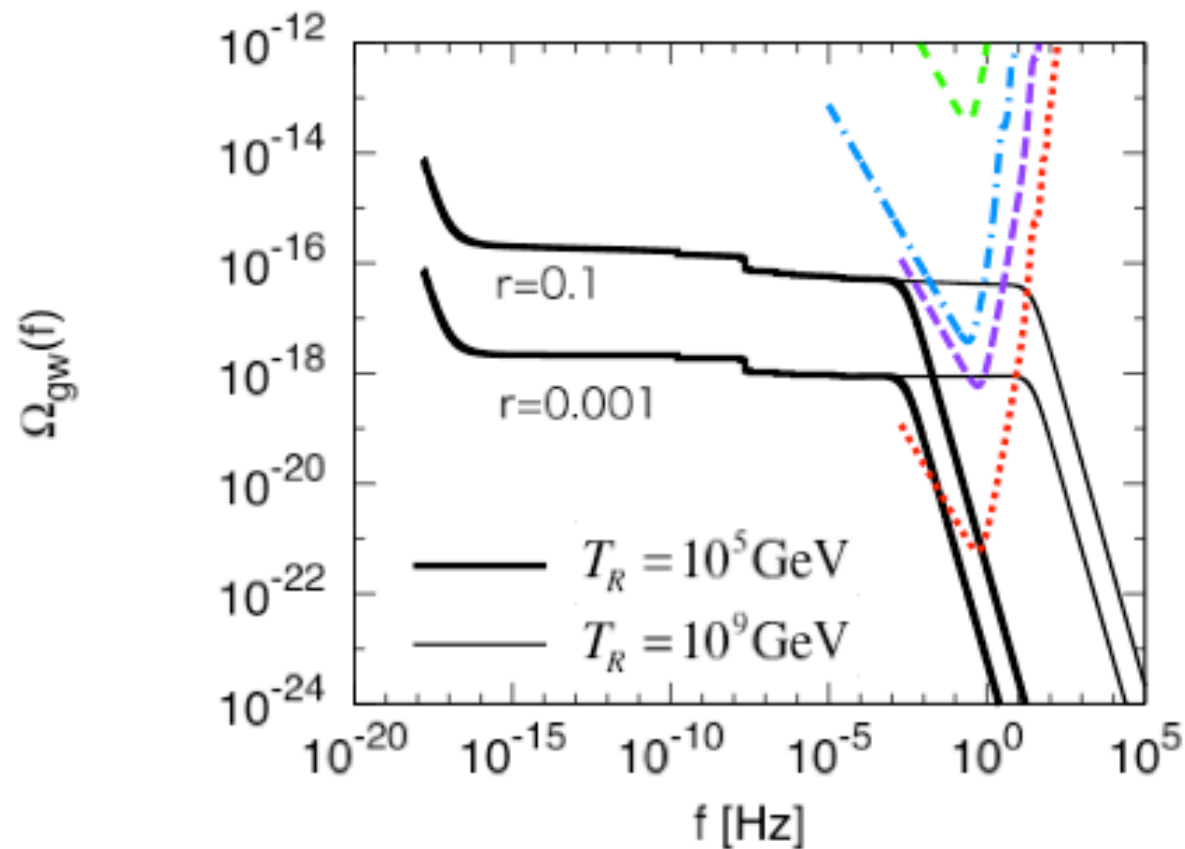


Figure 3. Primordial gravitational wave spectrum for $T_R = 10^9$ GeV and $T_R = 10^5$ GeV are shown by thin and thick lines for $r = 0.1$ and 0.001 . Also shown are expected sensitivity of DECIGO (green dashed), correlated analysis of DECIGO (blue dot-dashed), ultimate-DECIGO (purple dashed) and correlated analysis of ultimate-DECIGO (red dotted), from upper to lower.

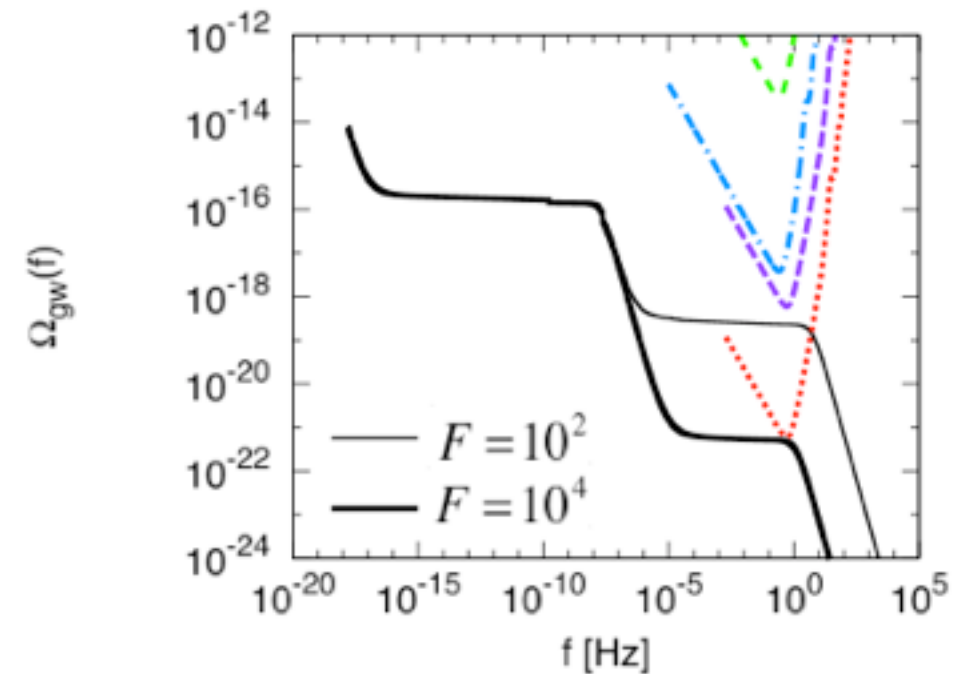


Figure 6. Gravitational wave spectrum for the dilution factor $F = 10^2$ and 10^4 . Here we have fixed $r = 0.1$, $T_R = 10^9$ GeV and $T_X = 1$ GeV.

additional slides

- typically most of staus have large velocity and escape from detector.
- but some of them have sufficiently small velocity and stop at calorimeters.

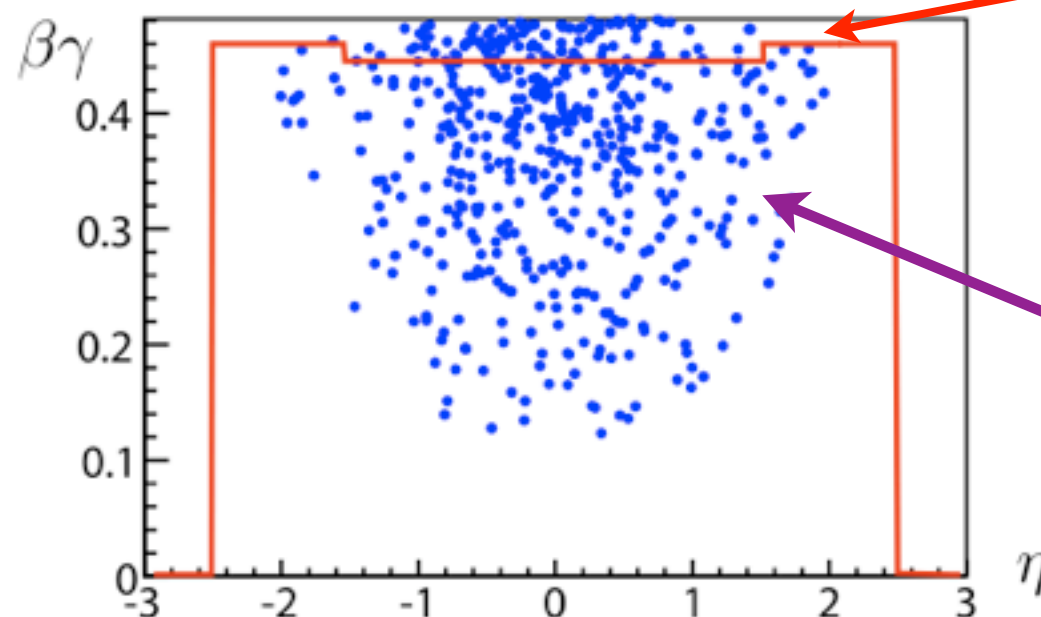
example of SUSY
model point SPS7
($\sigma_{\text{SUSY}} = 3.5 \text{ pb}$)

from Asai, KH,
Shirai '09

(See related work
"stopping gluino",
Arvanitaki et.al.)

TABLE II: The number of stopping staus for 10 fb^{-1} .

with cuts	without cuts
400	805



assume (ATLAS):
Fe 1440mm (barrel)
Cu 1400mm (end-cap)

- stopped events
- about 1% of total SUSY events
 - a few per day (for $10^{33}/\text{cm}^2 \text{ s}$)

FIG. 1: $\eta - \beta\gamma$ distribution of the staus. The red line shows the limit for the stau to stop in the detector.

lifetime measurement: "empty bunch" method
(cf. CMS study, CMS PAS EXO-09-001)

compared to "beam-dump" method,.....

advantages:

- pp collision can continue
- sensitive to (much) shorter lifetime

disadvantages:

- difficult to correspond the stop and decay, if lifetime is longer than the empty bunch period.
- # of decay observed is reduced.