# SIMULATED CURRENT-DRIVEN INSTABILITIES IN AGN JETS

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Based on O'Neill, Beckwith, & Begelman (2012)

# What Are Current-Driven Instabilities?







# Why Are Current-Driven Instabilities Relevant?

# M87/Virgo A/Virgo X-1



**Credit:** X-ray: H. Marshall (MIT), et al., CXC, NASA Radio: F. Zhou, F. Owen (NRAO), J. Biretta (STScI) Optical: E. Perlman (UMBC), et al., STScI, NASA

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How do jet magnetic fields cross shear layer?

How do jets remain collimated over many orders of magnitude in physical scale (sub-pc to Mpc)?

# How to Model Current-Driven Instabilities?

## **Linear Analysis**

**Physics:** Lundquist (1951), Kruskal & Schwarzschild (1954), Tayler (1957), Kadomtsev (1966)

#### Astrophysics: Non-relativistic limit

Cohn (1983), Pietrini & Torricelli-Ciamponi (1989), Corbelli & Torricelli-Ciamponi (1990), Appl & Camenzind (1992), Appl (1996), Appl et al. (2000), Kersalé et al. (2000), Bonanno & Urpin (2011)

#### **Astrophysics: Relativistic limit**

Istomin & Pariev (1994, 1996), Begelman (1998), Lyubarskii (1999), Tomimatsu et al. (2001), Narayan et al. (2009), Nalewajko & Begelman (2012)

# **Numerical Modeling**

#### **Relativistic simulations:**

**Global models** (full jet propagation) McKinney & Blandford (2009), Mignone et al. (2010)





Local models (small section of jet) Mizuno et al. (2009) and Mizuno et al. (2011, 2012)

# Our Approach

Local simulations co-moving with jet

Away from shear layer, jet origin

Athena code (Gardiner & Stone 2005, 2008, Stone et

al. 2008, Stone & Gardiner 2009, Beckwith & Stone 2011)

- Special relativistic MHD (Beckwith & Stone 2011)
- Conservative, second-order accurate
- Well-tested, publicly available
- Diverse set of physics and algorithmic options

### Initial Force Equilibrium

$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

**Nital Force Equilibrium**  
$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

**CASE1:** 
$$v_{\phi} = 0$$
  $\frac{1}{\rho} \nabla p = 0$   $\frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B}) = 0$ 

**The set of the equilibrium**  
$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

**CASE1:** 
$$v_{\phi} = 0$$
  $\frac{1}{\rho} \nabla p = 0$   $\frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B}) = 0$   
**CASE2:**  $v_{\phi} = 0$   $\frac{1}{\rho} \nabla p = \frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B})$ 

**SE2:** 
$$v_{\phi} = 0$$
  $\frac{1}{\rho} \nabla p = \frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B})$ 

**The set of the equilibrium**  
$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

**BASE1:** 
$$v_{\phi} = 0$$
  $\frac{1}{\rho} \nabla p = 0$   $\frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B}) = 0$ 

**CASE2:** 
$$v_{\phi} = 0$$
  $\frac{1}{\rho} \nabla p = \frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B})$ 

**SES:** 
$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

**Nital Force Equilibrium**  
$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

Force-free:  $v_{\phi} = 0$   $\frac{1}{\rho} \nabla p = 0$   $\frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B}) = 0$ 

P/B-supported:  $v_{\phi} = 0$   $\frac{1}{\rho} \nabla p = \frac{1}{4\pi\rho} (\mathbf{J} \times \mathbf{B})$ 

Rot/P/Bsupported

$$-\frac{v_{\phi}^2}{r}\mathbf{\hat{r}} = -\frac{1}{\rho}\nabla p + \frac{1}{4\pi\rho}(\mathbf{J}\times\mathbf{B})$$

# Simulated Column Morphology

### Force-Free

DB: SRcol\_join.0000.vtk Cycle: 0



# P/B-supported

DB: SRcol\_join.0000.vtk Cycle: 0



# **Rot/P/B-supported**

DB: SRcol\_join.0000.vtk Cycle: 0



# Simulated Column Energetics



Energy

### Force-Free







# Next Steps

#### DB: SRcol\_join.0000.vtk Cycle: 0



#### DB: SRcol\_join.0050.vtk Cycle: 50



#### DB: SRcol\_join.0100.vtk Cycle: 100



#### DB: SRcol\_join.0150.vtk Cycle: 150



#### DB: SRcol\_join.0200.vtk Cycle: 200







### DB: SRcol\_join.0600.vtk Cycle: 600





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# Acknowledgements

- NASA ATP Grant NNX09AG02G
- NSF AST-0907872
- Computations supported by NSF through XSEDE resources at the Texas Advanced Computing Center (TG-AST090106) and the University of Colorado's Janus supercomputer (CNS-0821794).
   Simulations run using Athena (https://trac.princeton.edu/Athena/)
- Visualizations accomplished using Vislt (Lawrence Livermore National Lab).