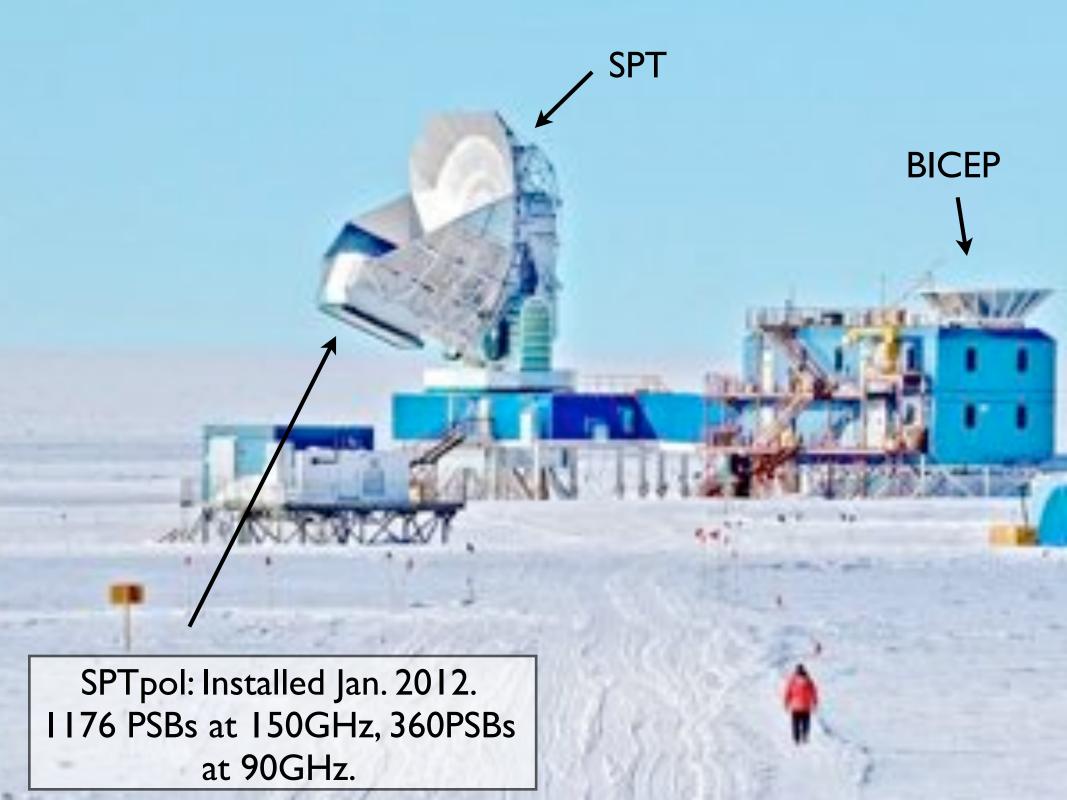
Measurements of B-mode polarization with SPTpol



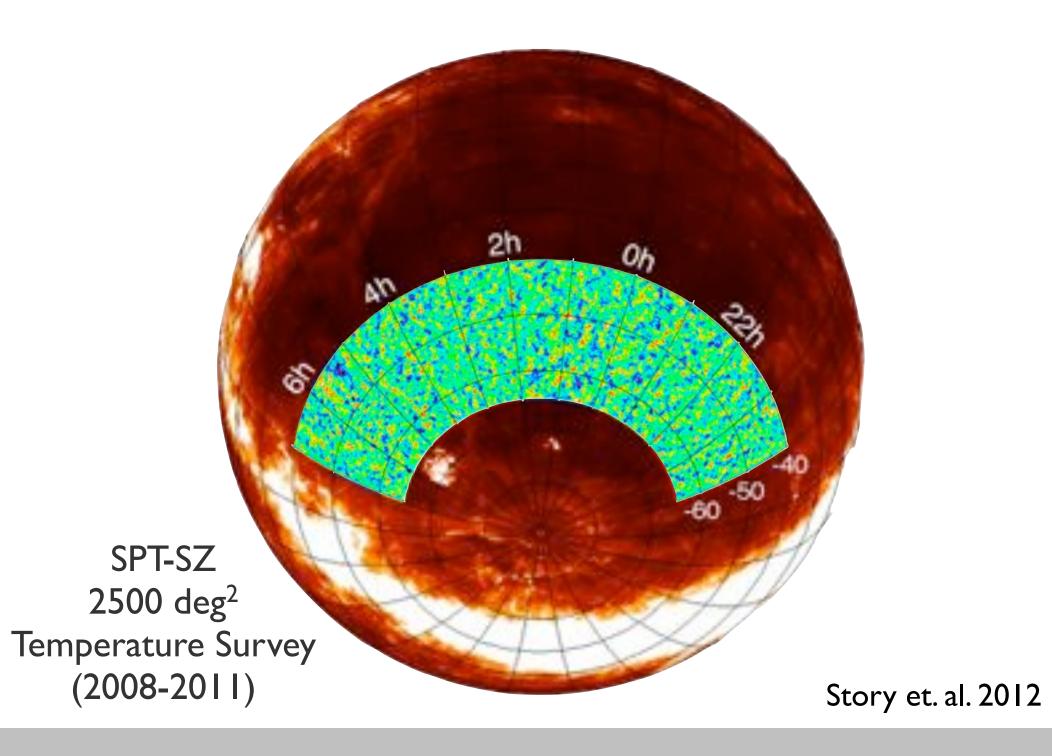


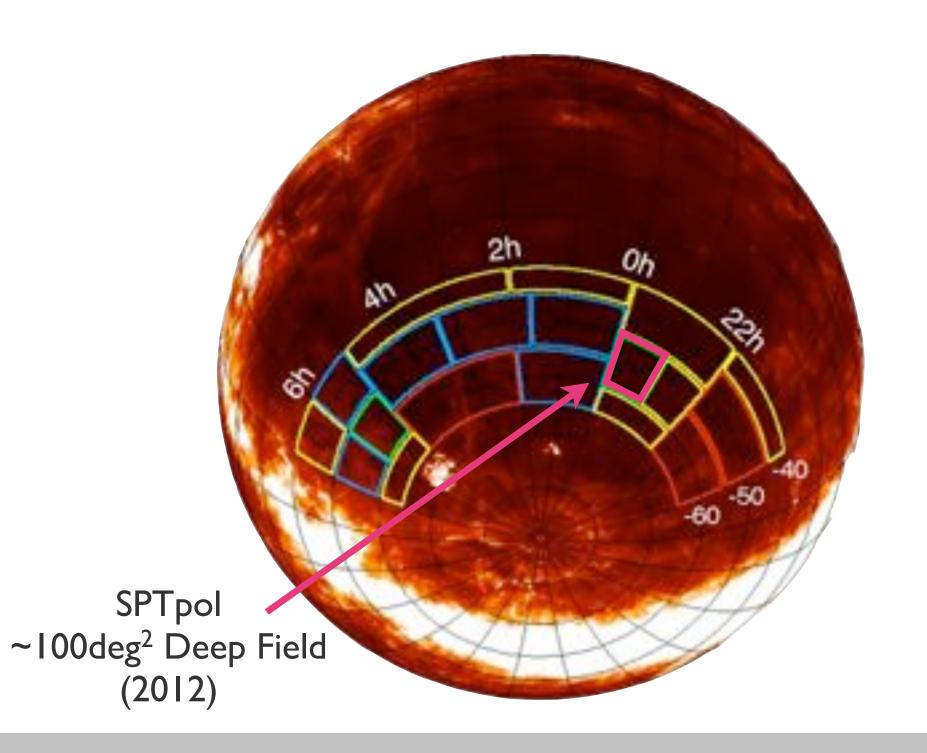


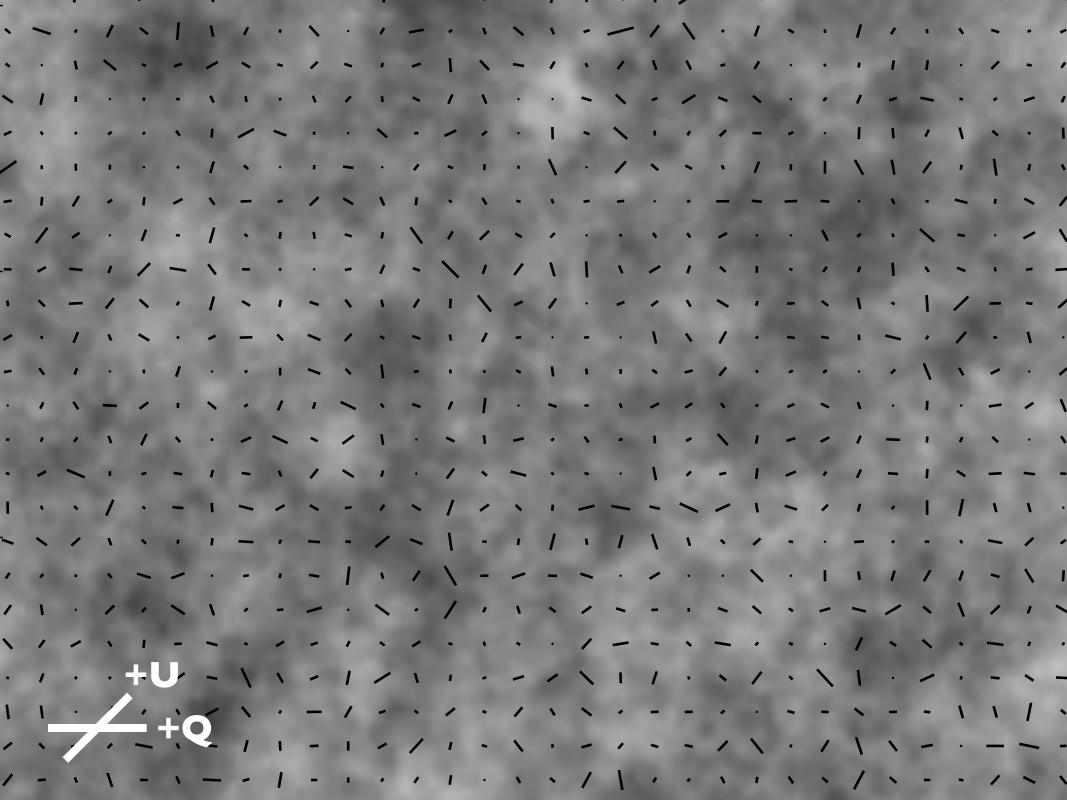


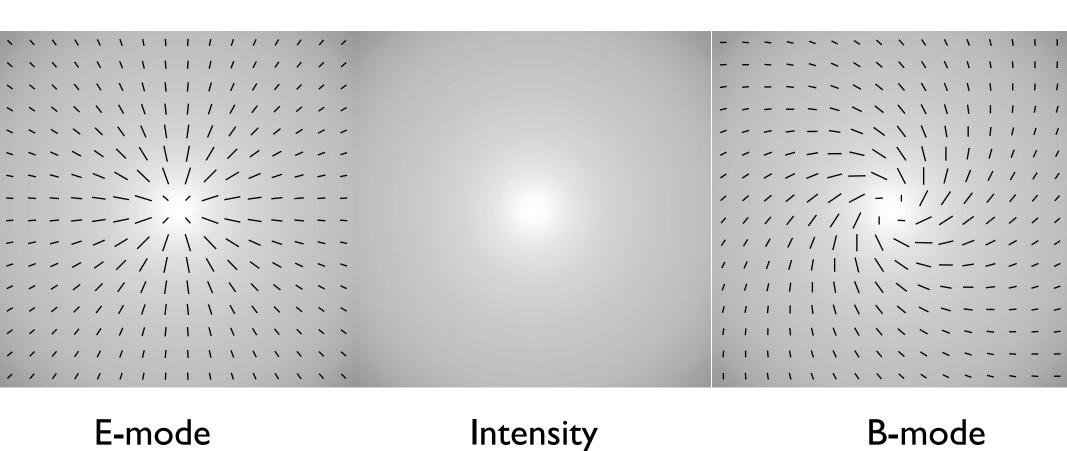


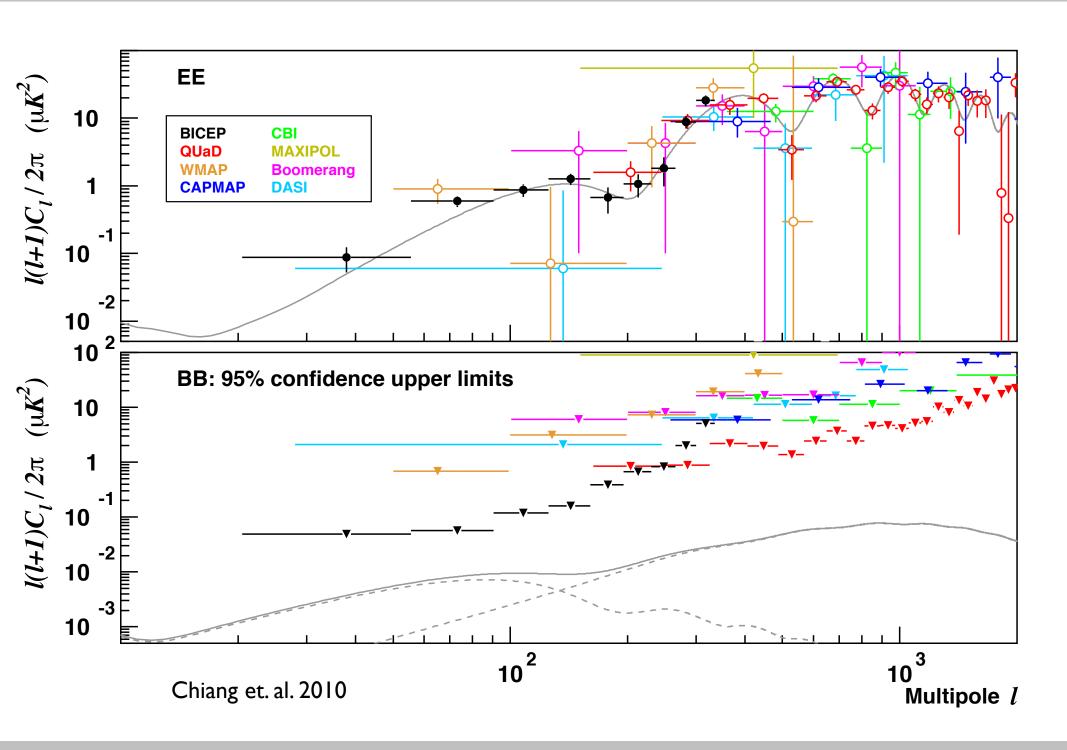


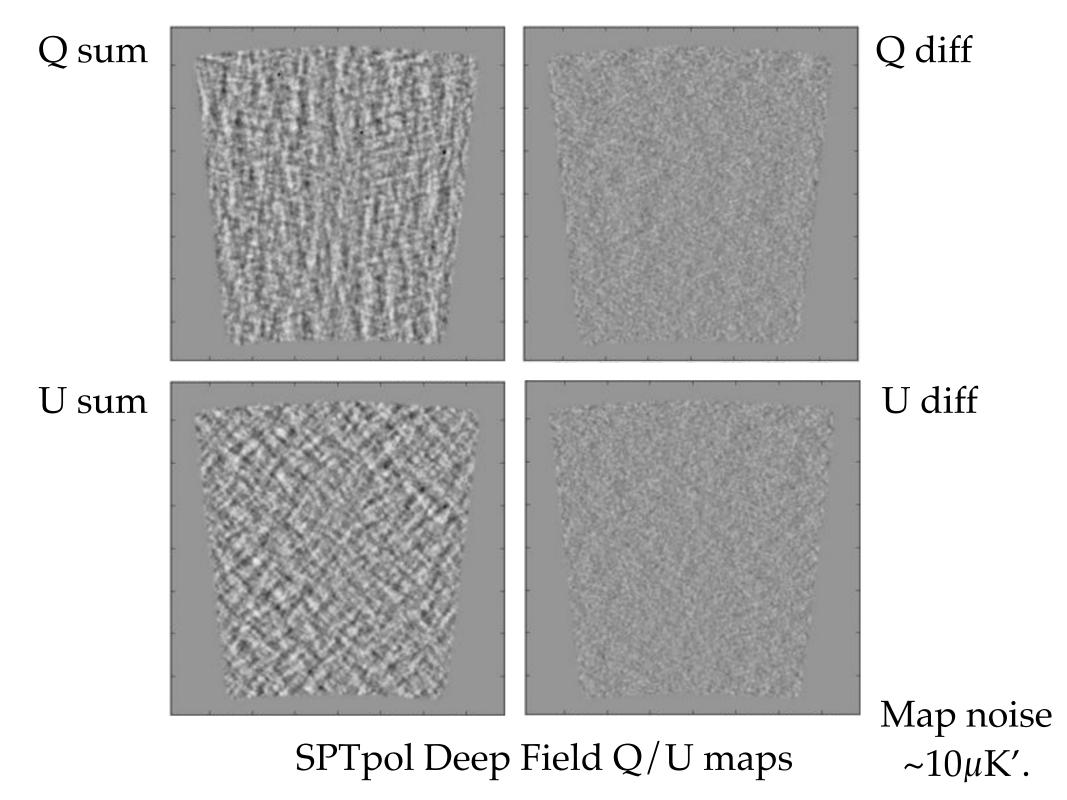


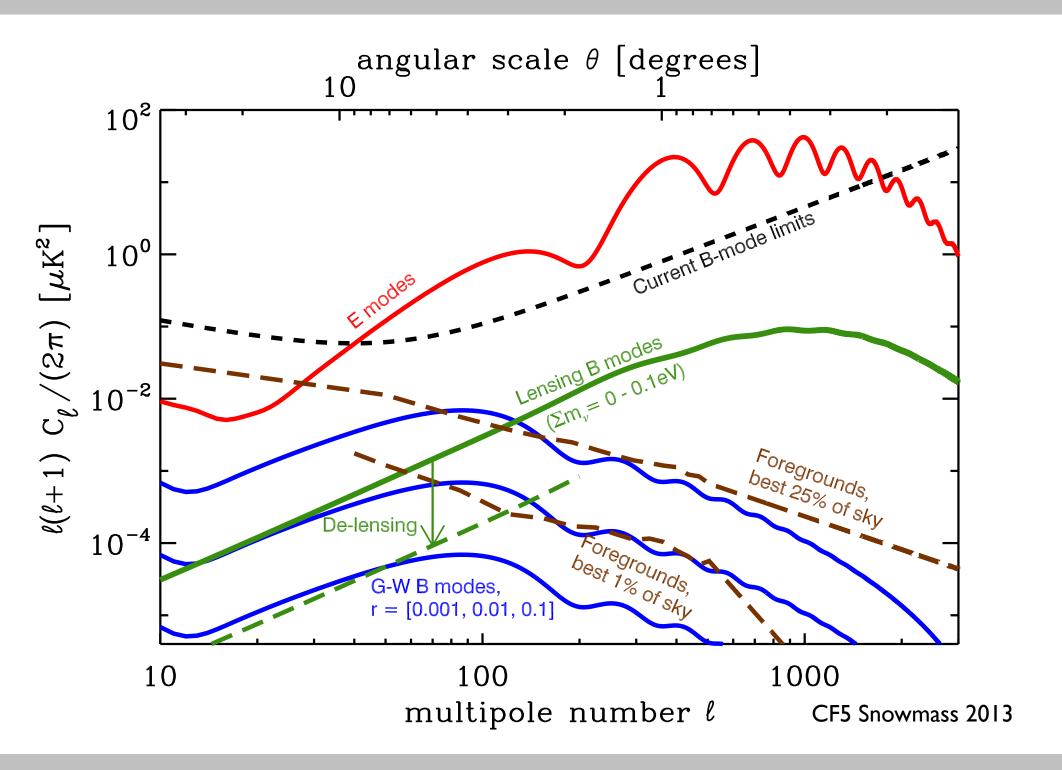


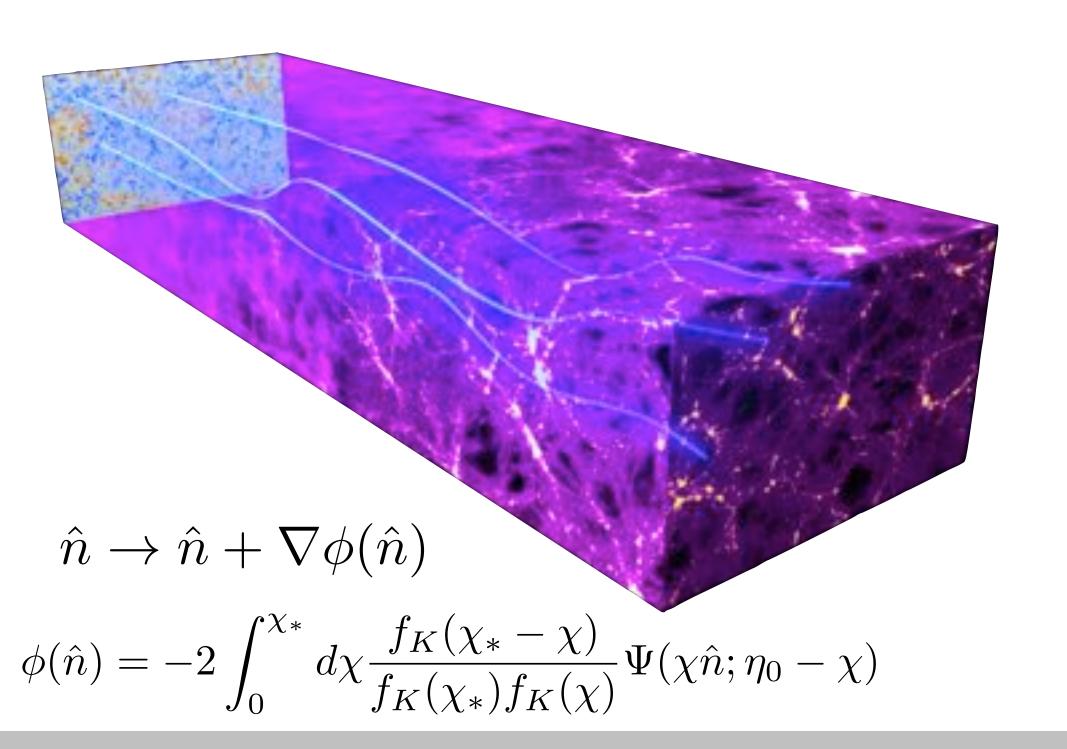


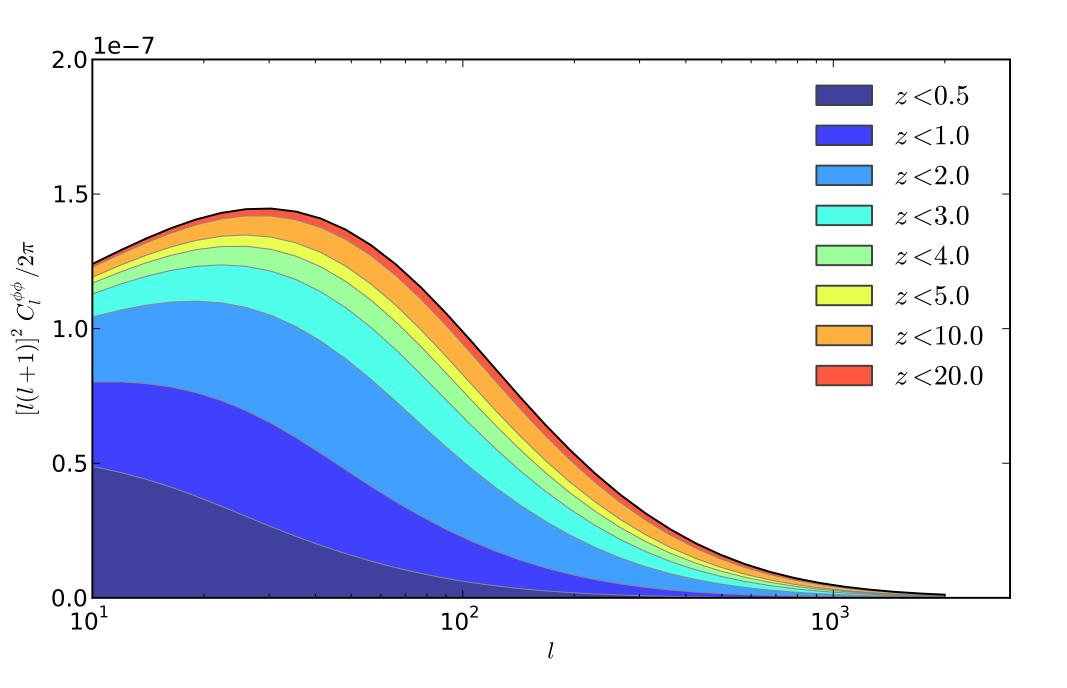


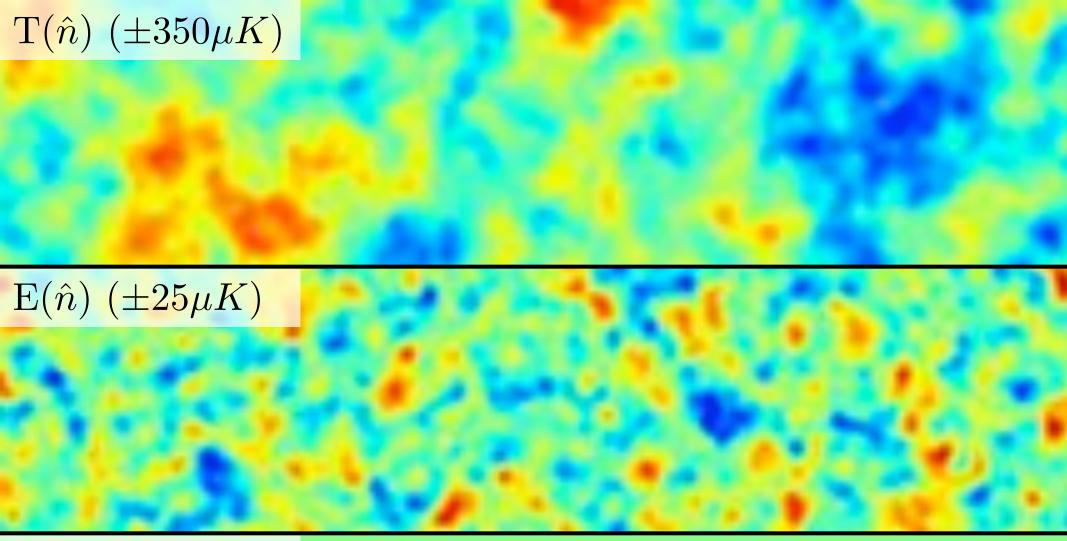




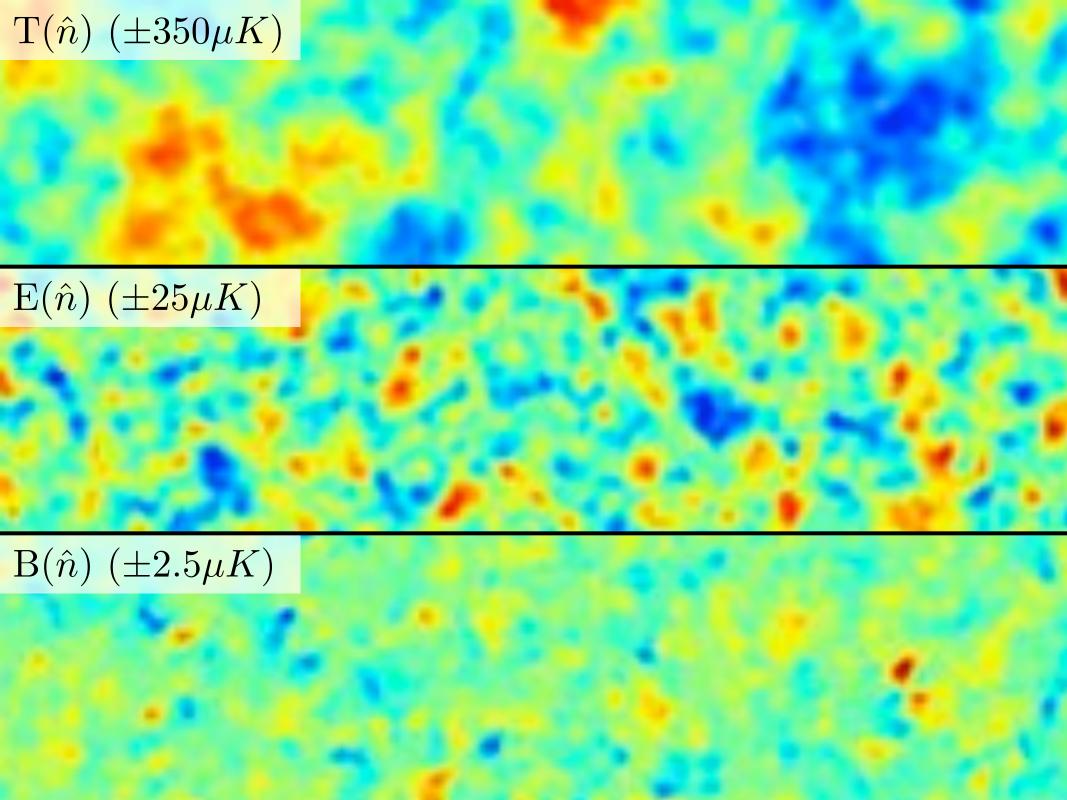






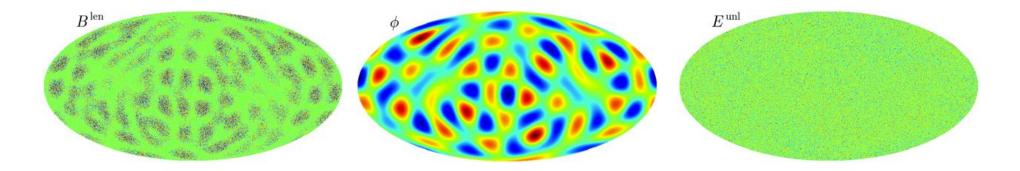


 $B(\hat{n}) \ (\pm 2.5 \mu K)$



Lensing B-modes are pretty much linear in E and Phi:

$$B^{\text{lens}}(\vec{l}_B) \approx \int d^2 l_E \int d^2 l_\phi W^\phi(\vec{l}_E, l_B, \vec{l}_\phi) E(\vec{l}_E) \phi(\vec{l}_\phi)$$



Two ideas:

- Given E and Φ, can estimate Blens for delensing.
- Given E and B, can estimate Φ.

Template EB Lens Reconstruction:

Template-fit for the ϕ coefficients by minimizing the χ^2 :

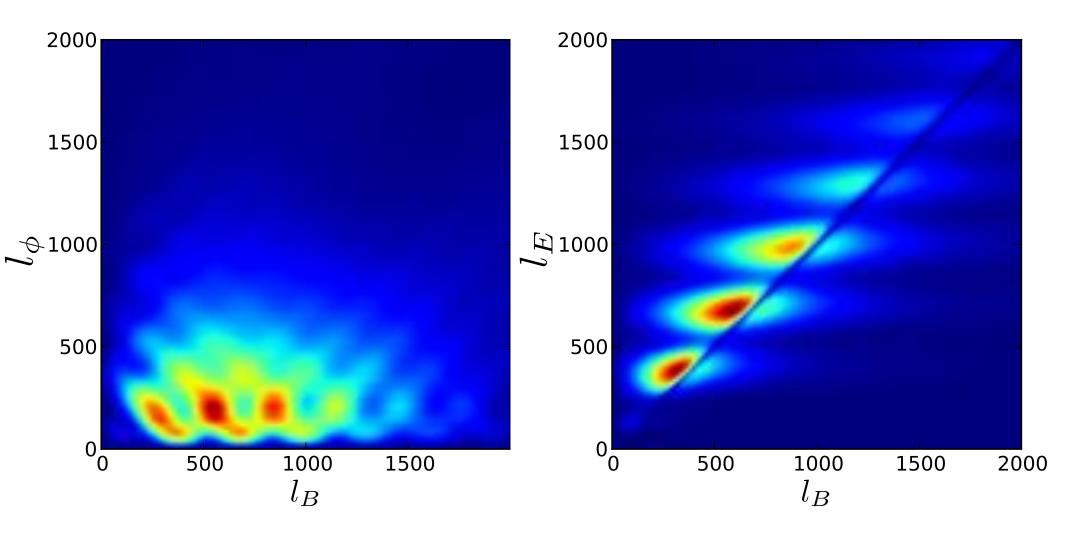
$$\vec{B}^{\text{len}} \approx \vec{B}^{\text{unl}} + \mathbf{M}\vec{\phi} \qquad \vec{B}^{\text{del}} = \vec{B}^{\text{obs}} - \hat{\mathbf{M}}\hat{\vec{\phi}}$$

$$\chi^2 = \vec{B}^{\text{del}\dagger}(\mathbf{N}^{B_{\text{del}}})^{-1}\vec{B}^{\text{del}} + \hat{\phi}^{\dagger}(\mathbf{C}^{\phi\phi})^{-1}\hat{\vec{\phi}},$$

$$\hat{\vec{\phi}} = \left[\hat{\mathbf{M}}^{\dagger}(\mathbf{N}^{B_{\text{del}}})^{-1}\hat{\mathbf{M}} + (\mathbf{C}^{\phi\phi})^{-1}\right]^{-1}\hat{\mathbf{M}}^{\dagger}(\mathbf{N}^{B_{\text{del}}})^{-1}\vec{B}^{\text{obs}}.$$

The matrix inversion for $\vec{\phi}$ is "expensive". Accuracy of inversion determines quality of reconstruction—

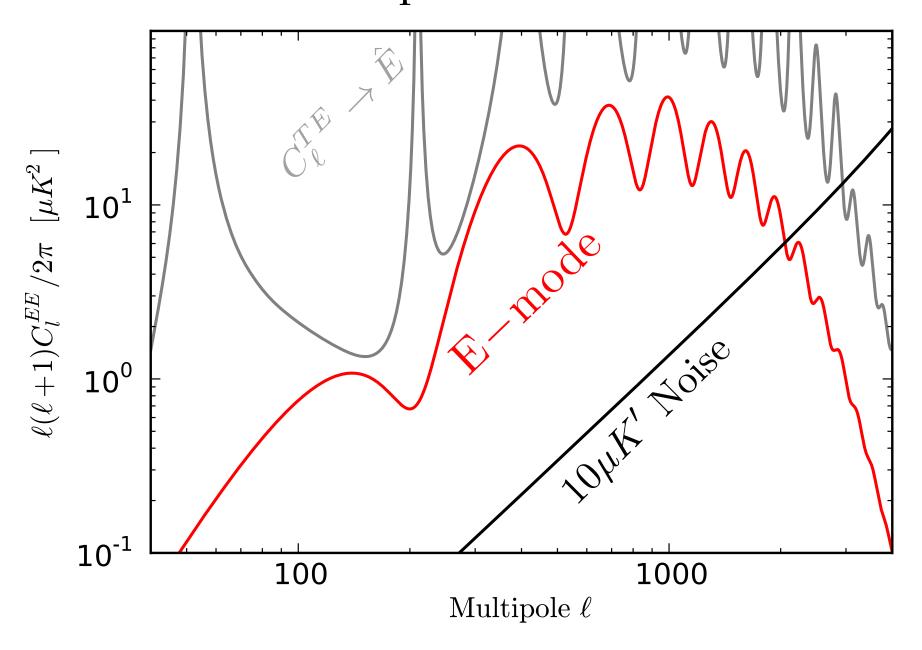
- ▶ Diagonal approximation → Okamoto and Hu (Quadratic)
- ▶ Proper inversion → Hirata and Seljak (Iterative Max. Like.)



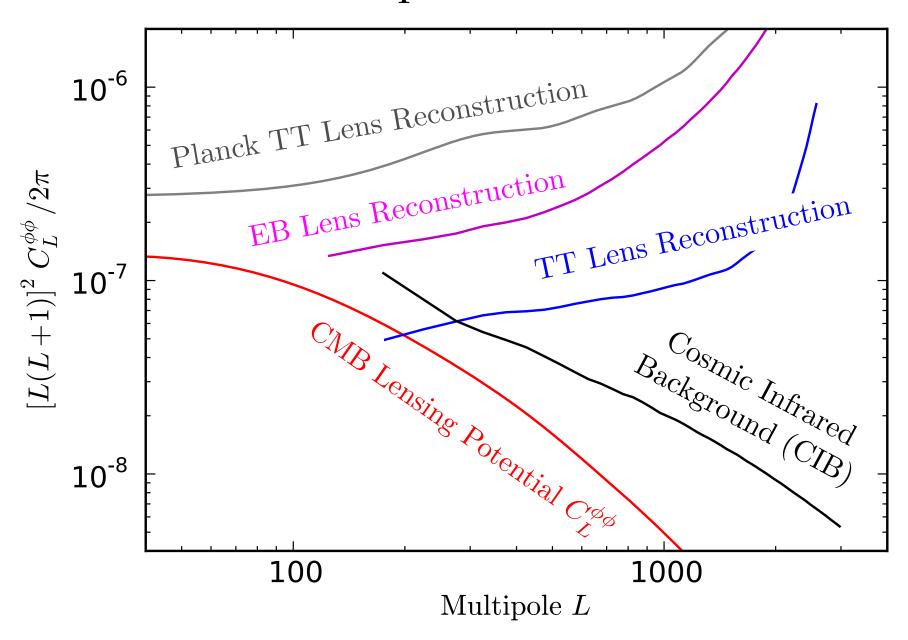
$$l_B \partial C_{l_B}^{BB, \mathrm{lens}} / \partial C_{l_X}^{XX}$$

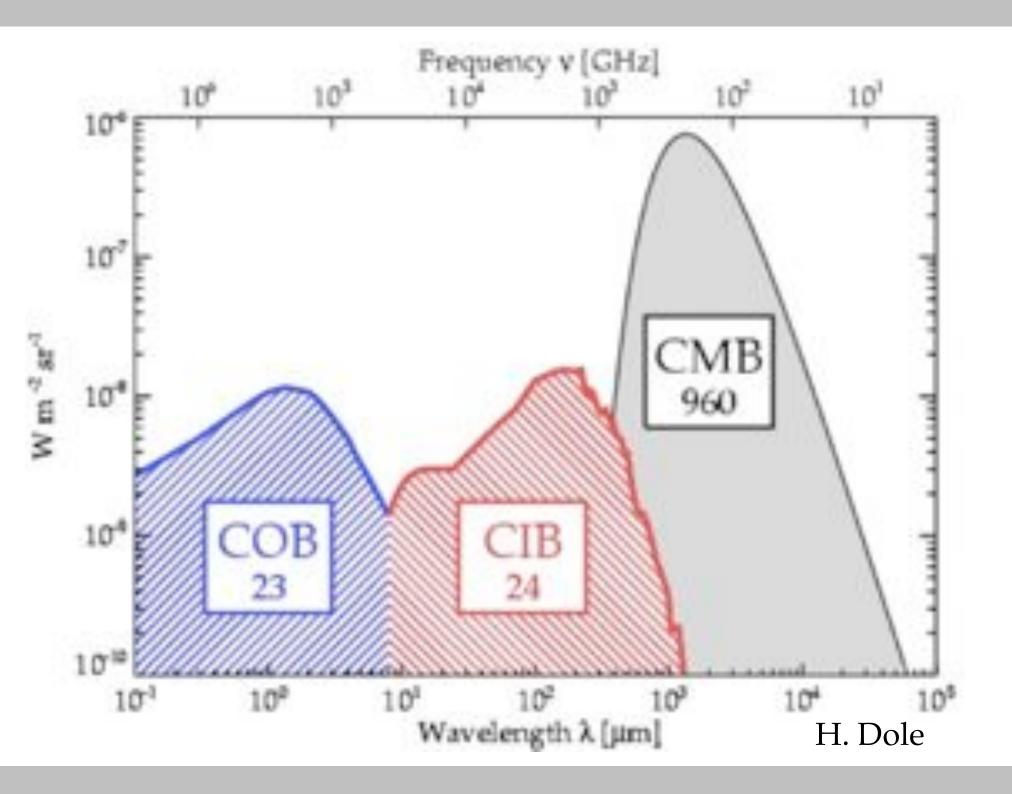
Lensing B modes are sourced by E and ϕ over a range of scales.

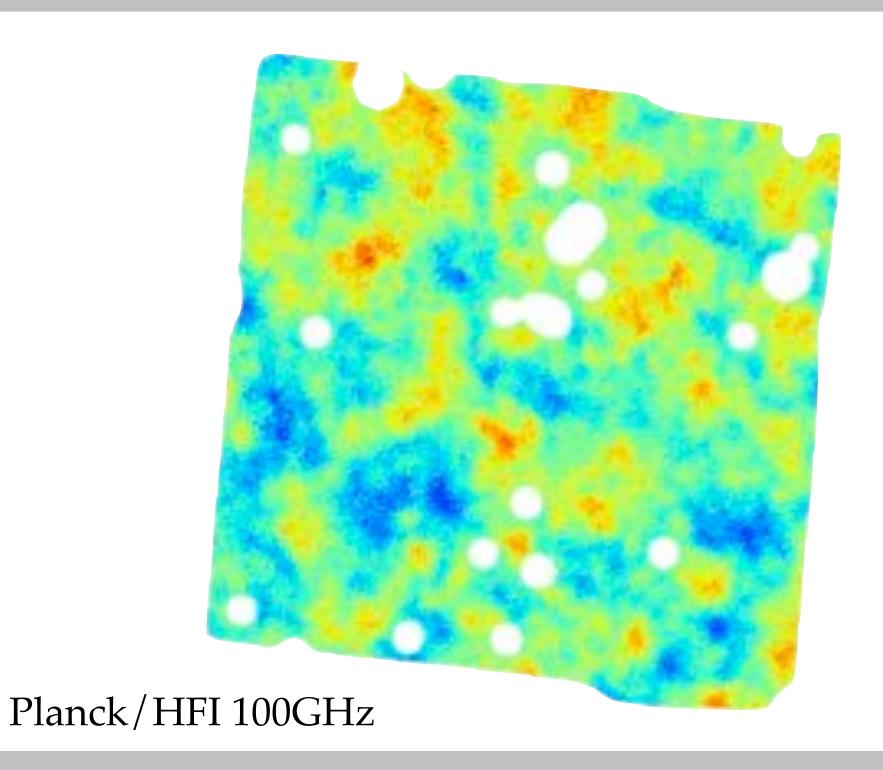
E-mode Noise Spectra:

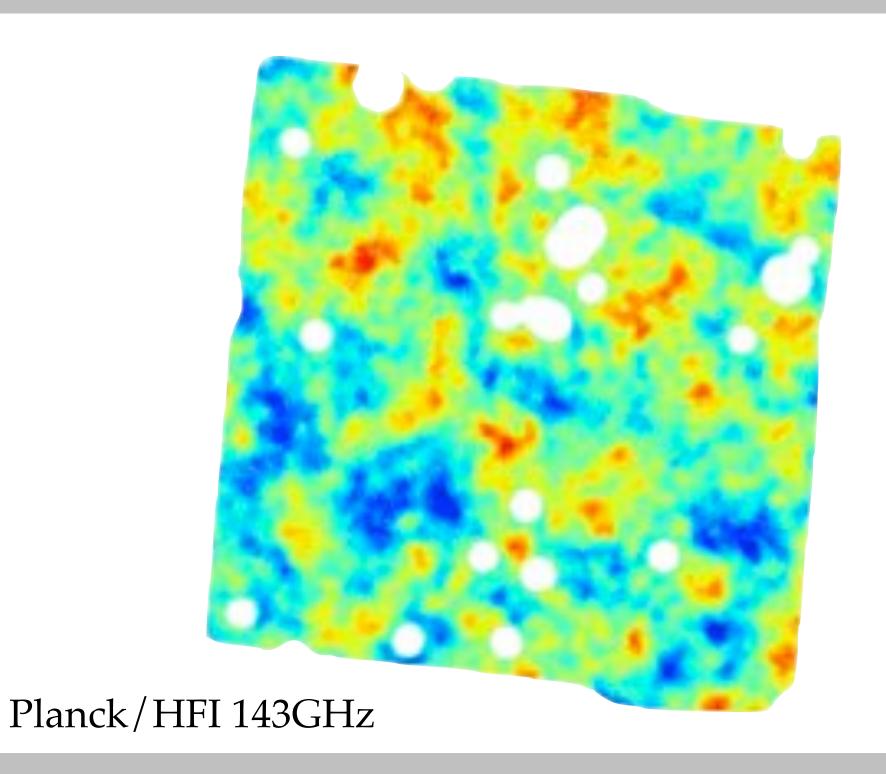


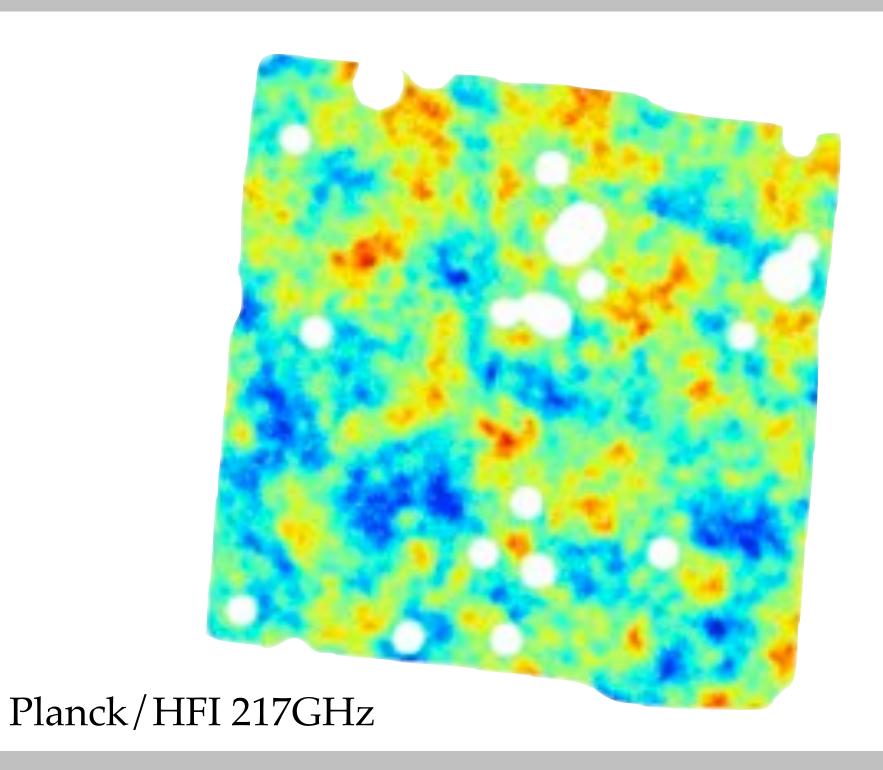
Φ-mode Noise Spectra:

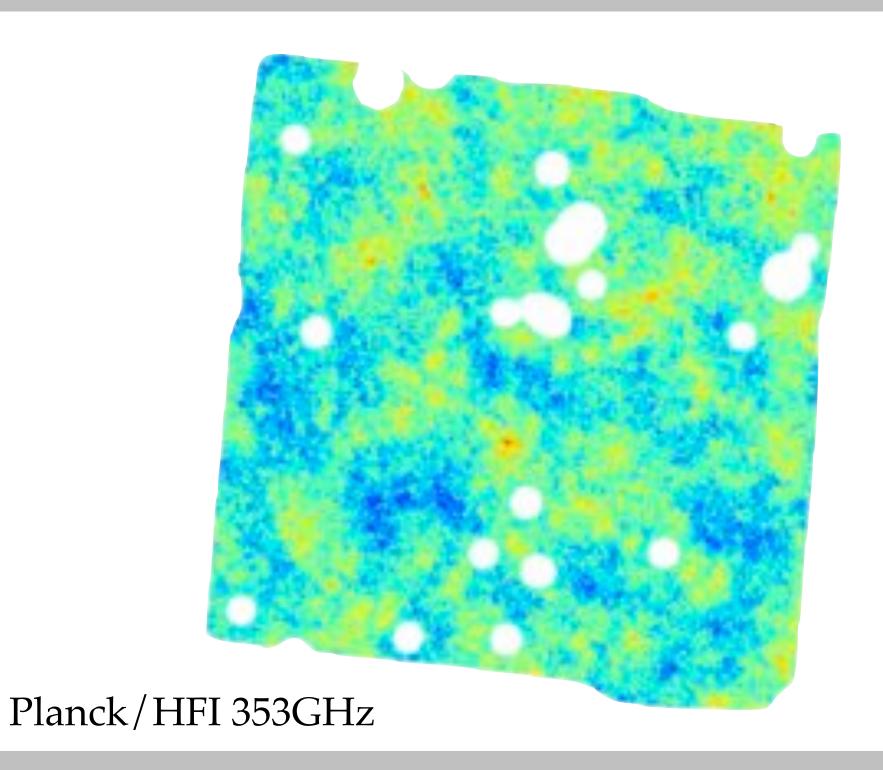


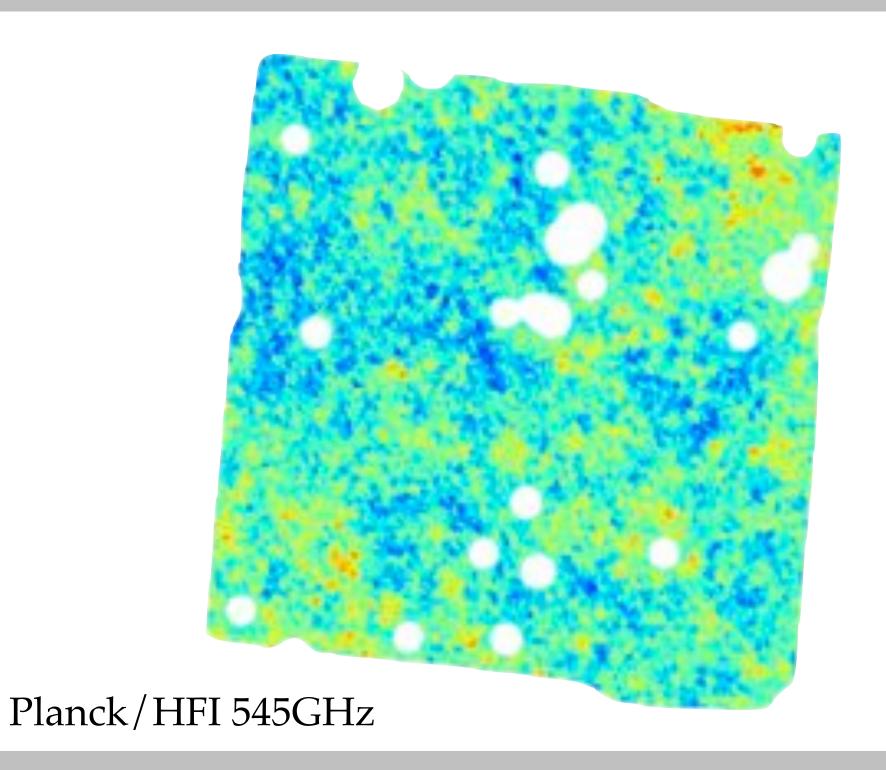


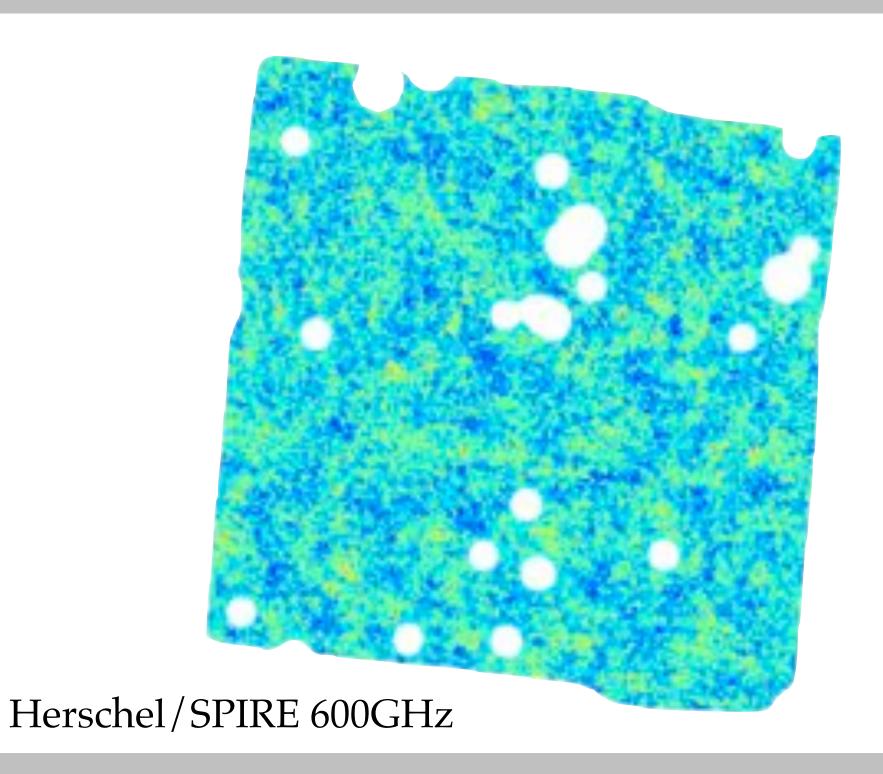


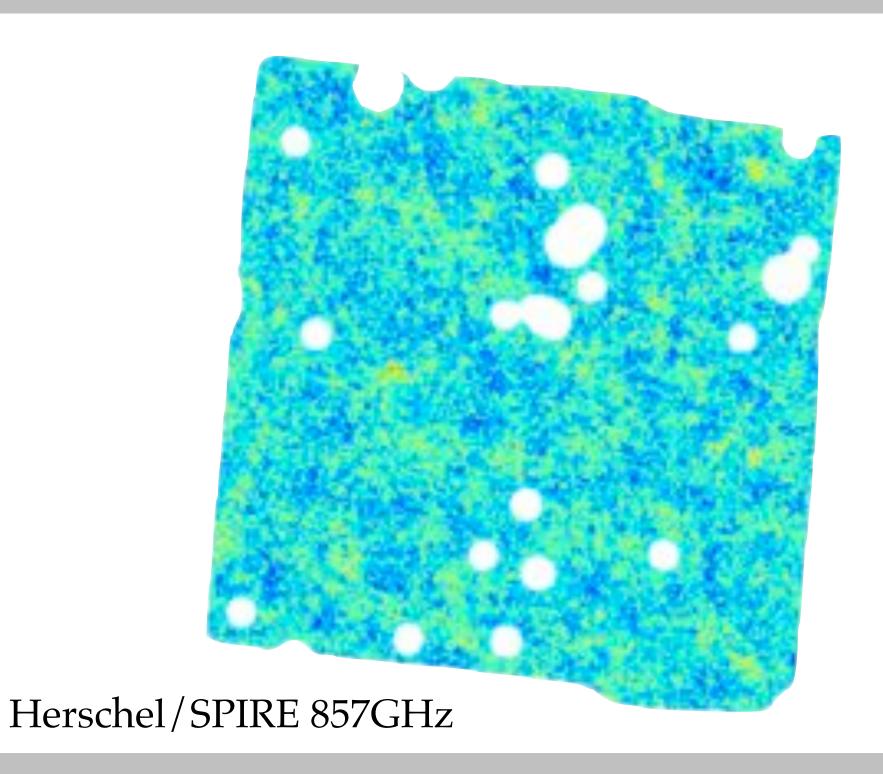


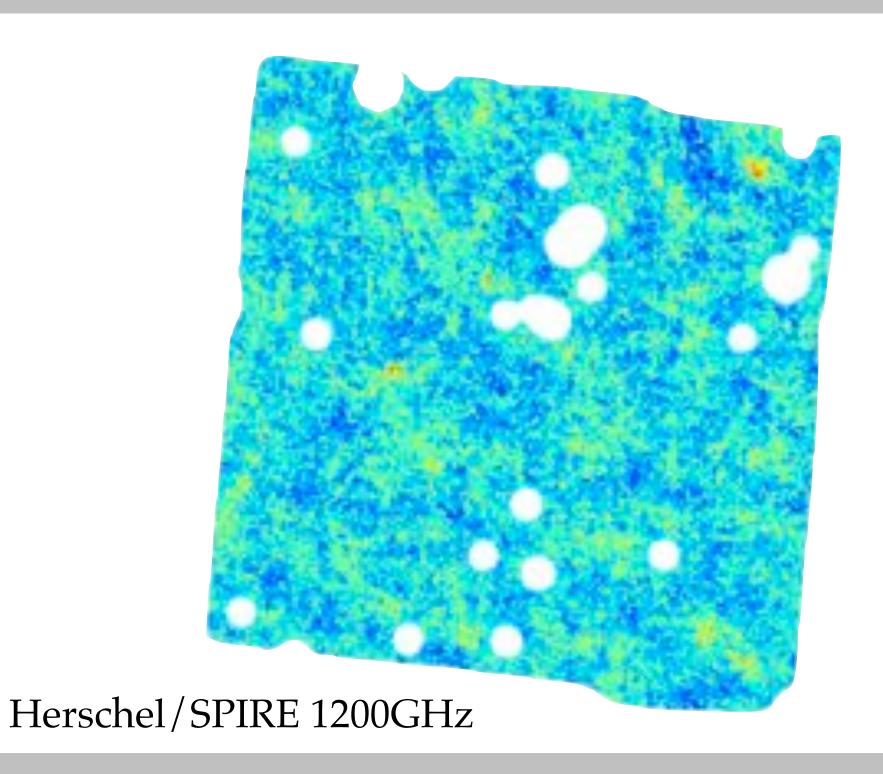


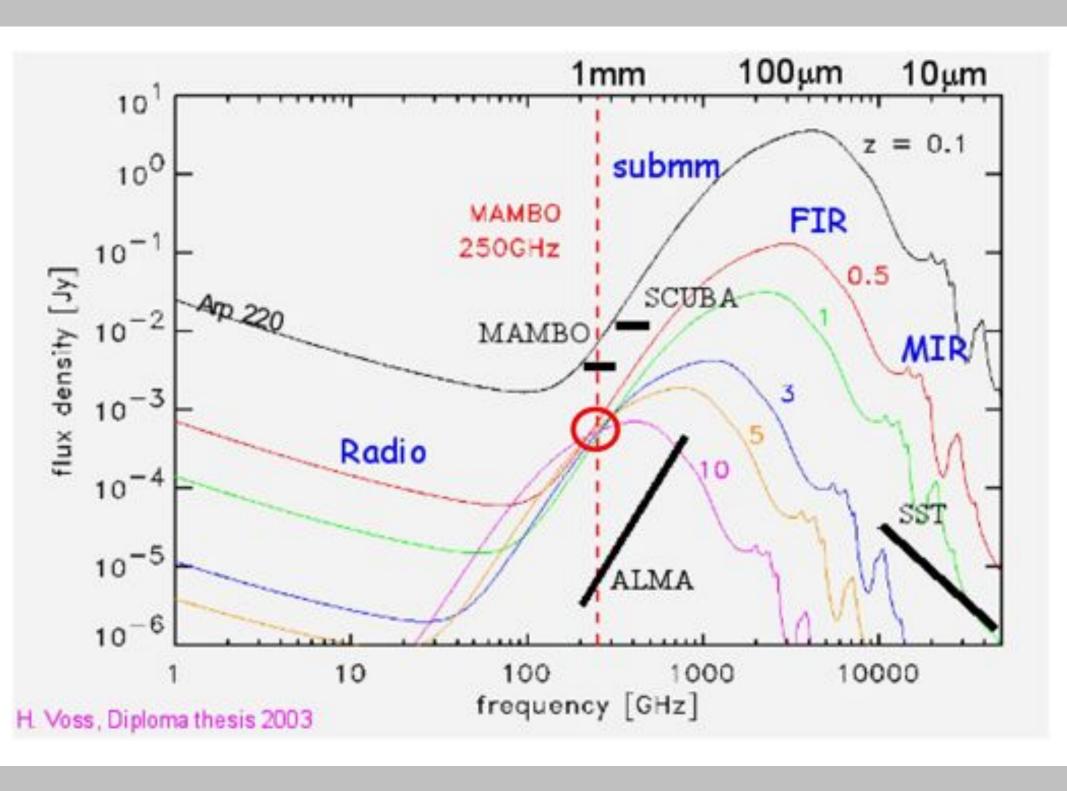


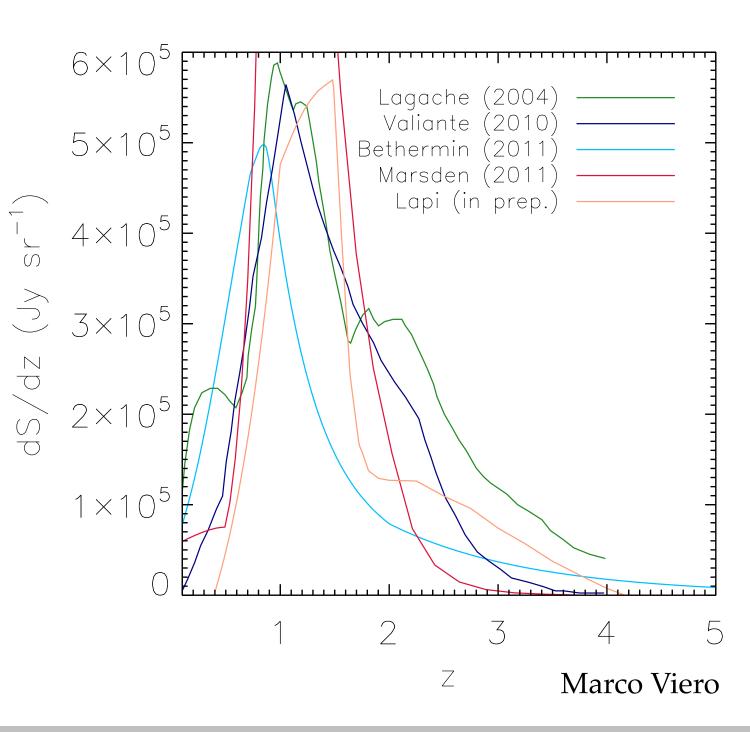




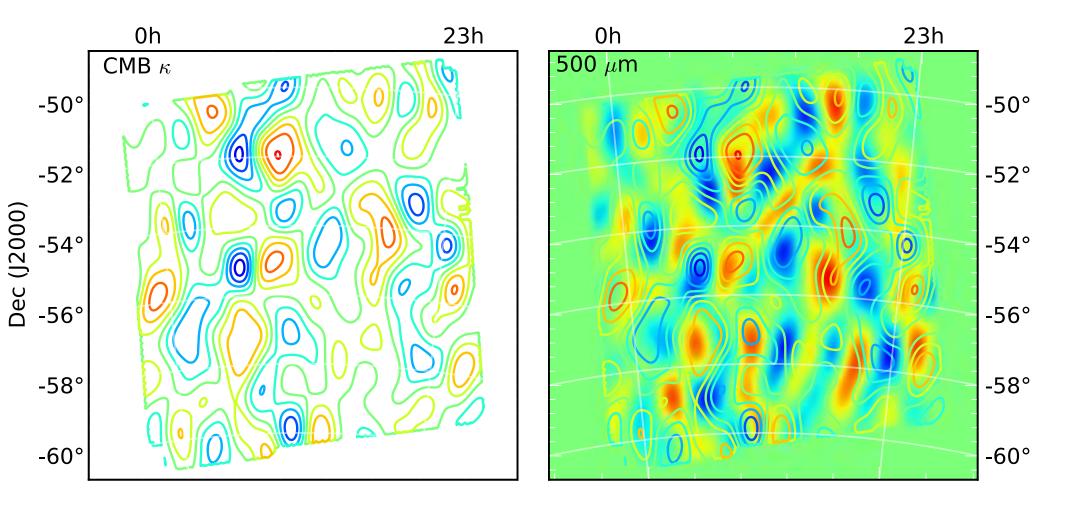




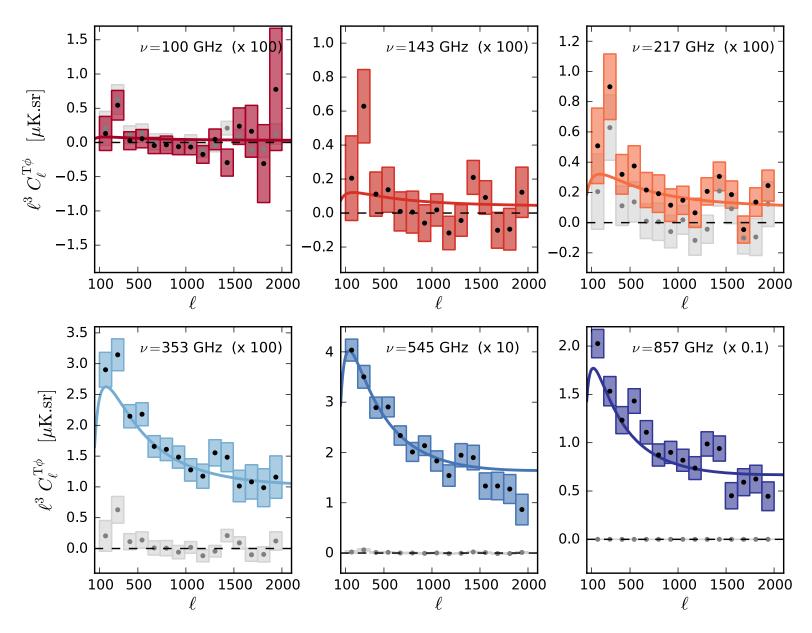




There is considerable uncertainty in the redshift distribution of the CIB-- but fortunately none of this matters if we just measure the lensing-CIB correlation.

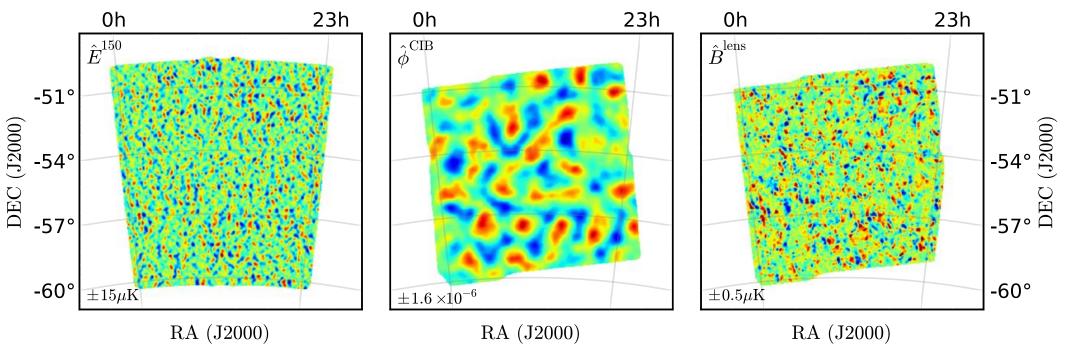


SPT-SZ Mass Map / CIB Overlay (Holder et. al. 2013)

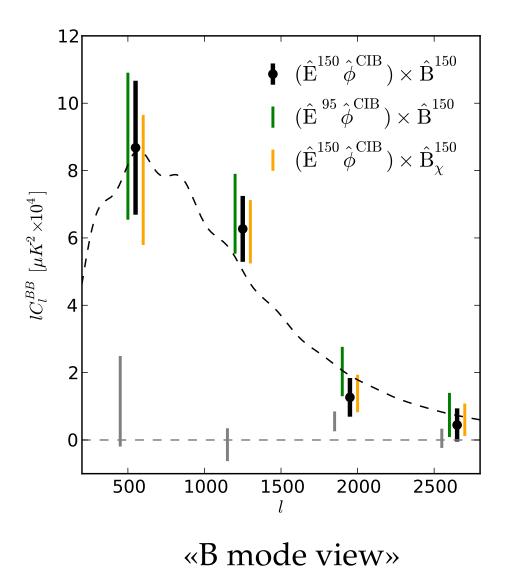


40σ+ CIB-Lensing Cross-correlation (Planck Collaboration 2013 - Doré and Osborne)

Detection of B-mode Polarization in the Cosmic Microwave Background with Data from the South Pole Telescope



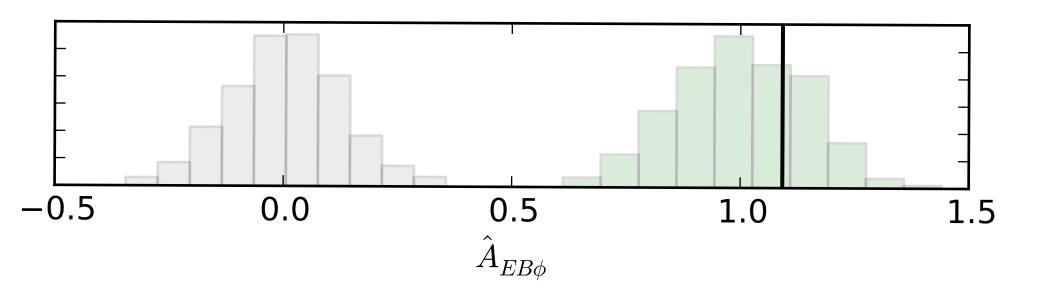
Gravitational lensing of the cosmic microwave background generates a curl pattern in the observed polarization. This "B-mode" signal provides a measure of the projected mass distribution over the entire observable Universe and also acts as a contaminant for the measurement of primordial gravity-wave signals. In this letter we present the first detection of gravitational lensing B modes, using first-season data from the polarization-sensitive receiver on the South Pole Telescope (SPTpol). We construct a template for the lensing B-mode signal by combining E-mode polarization measured by SPTpol with estimates of the lensing potential from a Herschel-SPIRE map of the cosmic infrared background. We compare this template to the B modes measured directly by SPTpol, finding a non-zero correlation at 7.7σ significance. The correlation has an amplitude and scale-dependence consistent with theoretical expectations, is robust with respect to analysis choices, and constitutes the first measurement of a powerful cosmological observable.



 $\hat{\phi}_{\mathrm{EB}}^{150} \times \hat{\mathbf{T}}^{\mathrm{CIB}}$ 20 $\hat{\phi}_{TT}^{\rm PLANCK}$ $\hat{\phi}_{TT}^{\text{SPT-SZ}}$ 15 $rac{1}{2}l^3 \, C_l^{\mathrm{CIB}-\phi} \, \, [\mathrm{Jy/sr}]$ 200 1600 400 800

«Lensing view»

Estimate overall significance from amplitude of EB Φ bispectrum, which is non-zero at 7.7 σ significance.



Consistent results using:

- ▶ 90GHz E-modes.
- ▶ Temperature-derived E-modes.
- TT, TE, EE, EB lensing estimators.

No signal seen using:

- Curl-mode null test.
- ▶ E-modes from diff. map.
- ▶ B-modes from diff. map.

